

On the Effect of Parallel Trade on Manufacturers' and Retailers' Profits in the Pharmaceutical Sector

Pierre Dubois*

Morten Sæthre†

Toulouse School of Economics

Norwegian School of Economics

March 2020‡

Abstract

Differences in regulated pharmaceutical prices within the European Economic Area create arbitrage opportunities that pharmacy retailers can access through parallel imports. For prescription drugs under patent, parallel trade affects the sharing of profits among an innovating pharmaceutical company, retailers, and parallel traders. We develop a structural model of demand and supply in which retailers can choose the set of goods to sell, thus foreclosing consumers' access to less profitable drugs. This allows retailers to bargain and obtain lower wholesale prices from the manufacturer and parallel trader. With detailed transaction data from Norway, we identify a demand model with unobserved choice sets using retail-side conditions for optimal assortment decisions of pharmacies. We find that retailer incentives play a significant role in fostering parallel trade penetration and that banning parallel imports would benefit manufacturers as well as prevent pharmacies from foreclosing the manufacturer's product. Finally, in the case of the statin market in Norway, we show that it would be possible to decrease spending *and* increase profits of the original manufacturer through lump sum transfers associated with a lower reimbursement price, thus decreasing price differentiation across countries. JEL codes: I11, L22

Key words: Parallel trade, pharmaceuticals, vertical contracts, demand estimation, foreclosure.

*Toulouse School of Economics, University of Toulouse Capitole, Toulouse, France. e-mail: pierre.dubois@tse-fr.eu

†Norwegian School of Economics, Bergen, Norway. e-mail: morten.saethre@nhh.no

‡We are grateful to the Editor and four anonymous referees for their useful suggestions, as well as Matthew Backus, Christian Bontemps, Kurt Brekke, Estelle Cantillon, Liran Einav, Kate Ho, J.F. Houde, Bruno Jullien, Margaret Kyle, Robin Lee, Charles Murry, Aviv Nevo, Peter Newbery, Volker Nocke, Ariel Pakes, Patrick Rey, John Rust, Marc Rysman, Tobias Salz, Nicolas Schutz, Howard Smith, and Amanda Starc for useful comments and to many participants in seminars in Bergen, Bocconi, ECARES Brussels, Columbia, Cornell, CREST Paris, FGV Rio, Harvard/MIT, Helsinki, INSPER Sao Paulo, Mannheim, McGill, NBER Summer Institute, Northwestern, Paris, Penn State, Puc Rio, Royal Holloway, Toulouse, Toronto, Wharton, Yale (Cowles), and CEPR Applied IO and at many conferences. Finally, we thank the Norwegian Competition Authority (through *alminnelige prisreguleringsfondet*) and the ANR-17-EURE-0010 (Investissements d'Avenir program) for financial support of this project.

1 Introduction

Many industries rely on a downstream retailing sector to market goods. Not only do vertical relationships affect price competition among substitutes and differentiated goods, but retailers—as intermediaries between manufacturers and consumers—can also affect competition by engaging in strategic actions affecting final consumers’ demand. In context with price discrimination across markets, there is scope for parallel trade, which affects the sharing of profits in vertical chains.

Within the European Economic Area, free movement of goods is a central force considered to increase competition and bring consumer benefits. Pharmaceutical drugs are no exception, and trade across countries is fully legal. However, drug pricing remains a national competence, and cross-country differences are substantial. As a result, there has been an increase in parallel trade, estimated at 5.5 billion euros in 2012, with highly heterogeneous national market shares that can be up to 25% in some countries.¹² Parallel trade of pharmaceuticals is common in a handful of European countries, including important markets like Scandinavia, Germany, and the Netherlands. Worldwide, it also affects other goods, such as cars, luxury goods and video games. If parallel trade has a significant impact on sales, it may affect firms’ strategic incentives to launch or develop new products.

In the case of medicines, cross-country price differences can be as large as 300%, driven by regulatory caps or strict government rules for price setting. Differences in price regulation depend on the aggressiveness of each member state’s authorities in negotiating with manufacturers (Kyle, 2007). Not surprisingly, these price differences result in parallel imports of pharmaceuticals by high-price countries from low-price countries; i.e., drugs are bought in Eastern or Southern European countries and resold in Northern European countries (Kyle, 2011). Even though there is significant price dispersion across EU countries, Ganslandt and Maskus (2004) report that parallel imports might have led to a reduction in drug prices on the order of 12–19% for drug segments subject to parallel imports entry in Sweden. At the same time, there are large variations in parallel import penetration across otherwise similar countries. These differences seem to have a clear link to regulation governing margins at the pharmacy and domestic supply level (Kanavos et al. (2004) and Kanavos and Vandoros (2010)).

As parallel traders need to enter through pharmaceutical retailers, retailers’ incentives are potentially decisive in determining the extent of parallel trade due to retailers’ role as intermediaries in the supply chain. The strategic role of profit-maximizing pharmacies, towards both drug manufacturers providing directly imported drugs and parallel traders providing parallel imports, can thus be important in the organization of

¹Firms specializing in parallel trade require necessary logistical capacity and facilities suitable for drug repackaging. Repackaging is required for drugs for which the imported package and accompanying information sheets is in a language other than the language of the destination country.

²European Federation of Pharmaceutical Industries and Associations 2008 report https://www.efpia.eu/media/361960/efpia-pharmafigures2018_v07-hq.pdf.

the pharmaceutical sector. Though essentially the same product, direct and parallel imports are potentially differentiated by trade name, appearance, packaging and source of origin from the consumer point of view. Differentiation in appearance and specification across countries has been linked to attempts to reduce the scope for parallel trade (Kyle, 2009, 2011). Parallel imports create an alternative upstream supply for pharmacists, which may have significant implications for the distribution of surplus in the market. In the case of prescription drugs under patent, the monopoly rights of the manufacturer allow them to extract consumers' willingness to pay when setting prices either directly to the market or when negotiating prices with governments. Past research has shown that innovation is indeed elastic to this reward (Acemoglu and Linn (2004), Dubois et al. (2015)). However, if intermediaries such as pharmacies or parallel traders manage to extract a large share of the monopoly rent of manufacturers, the innovation incentive may be inefficiently reduced. It is therefore important to study how the organization of retailing and parallel trade affects profit sharing. While the European market is smaller than that of the US, it can still have an effect (the US represents one-third of total world pharmaceutical spending, while Europe is 22%), and our findings shed light on mechanisms that must be known and taken into account for possible future policies on parallel trade in the US.

Contribution To study the sales of parallel-imported pharmaceutical drugs, we develop a structural model of demand and supply with intermediaries (pharmacists and parallel traders). Specifically, we address the question of how price differences across countries incentivize retail pharmacies to sell parallel imports. Our model explains how parallel imports capture substantial market shares by retailers restricting the supply of less profitable products to increase purchases of more profitable ones. This mechanism consists of the pharmacy chain foreclosing access to direct imports. This foreclosure mechanism is different from the usual anticompetitive practice of deterring a firm from a market as it results from the equilibrium bargaining of wholesale prices by the manufacturer with Norwegian chains and could be avoided with lower wholesale prices. However, the retailer must trade off foreclosing access to lower margin products and staying attractive to consumers, as restrictions in their choice set might repel consumers with a preference for an unavailable product. Indeed, although parallel and direct imports are the same drug, some consumers may prefer the direct import variety due to aversion to products that have been traded and transported across intermediate countries from their production site. Rare safety problems may explain this preference. Moreover, pharmacists must inform patients when a drug is parallel imported, and packaging will usually display the name of the parallel importer and differ in visual appearance. As consumers may be skeptical about parallel imports, we consider the incentives of the retail side of the market to explain the penetration of parallel imports. We take the reimbursement and regulatory price setting in Norway as given since this is determined in an initial stage, usually following market authorization when the manufacturer enters. Given the reimbursement price set by the Norwegian government, we model the retail pharmacist's decision and negotiations of wholesale prices

with the manufacturer and parallel traders, as well as price negotiations in other European countries from which parallel traders eventually import. We model the wholesale price setting between pharmacy chains and the manufacturer or the parallel traders as a simultaneous Nash-bargaining problem. However, we do not model the dynamics of entry and exit across countries, and we do not try to explain the observed network of parallel traders with pharmacy chains. In some of our counterfactuals, we model the effects of a reduction in the reimbursement retail price taken as given in our estimation. We do so by taking into account the behavior of the manufacturer, parallel traders, pharmacy chains in the Norwegian market and changes in wholesale prices in source countries.

We use rich micro data on the Norwegian pharmaceutical market, where we observe detailed demand data and pharmacy margins. In particular, we observe all purchases by individual consumers over time, the pharmacy chain at which a given purchase happened, and whether the specific drug dispensed was imported through the original manufacturer (direct import) or by parallel traders. We also observe pharmacy retail prices for all transactions, in addition to wholesale prices paid by pharmacy chains to upstream firms for each specific drug package. Thus, we observe the gross margin obtained by the chain on all products, which affects retailers' incentives to dispense parallel imports.

As the choice set of consumers potentially changes across pharmacies and is not observable to the econometrician, we develop an estimation method based on observed transactions with unobserved choice sets. To identify choice probabilities without observing choice sets, we nest the Nash equilibrium in pharmacies' strategic choice sets in the probability of each observed choice. The demand model can be identified due to exogenous variation in pharmacy margins for parallel and direct imports that lead to varying choice sets in equilibrium. Our nested fixed-point algorithm could be applied to other settings in which retailer incentives to propose varying assortments of products can be characterized by an equilibrium condition. We find that inclusion of retailer incentives in our model plays an important role in explaining consumer choices. We identify the bargaining weights of each party using the Nash-in-Nash equilibrium equations for wholesale price determinations and exogenous price shocks in source countries together with exchange rate shocks that affect the opportunity value of parallel imports versus direct imports. We then use the estimated bargaining model to simulate three counterfactual situations related to *i*) the possibility for pharmacy chains to use parallel imports, *ii*) their ability to use foreclosure strategies and *iii*) the level of the retail price cap imposed by the government.

Our counterfactual simulations imply that even though, on average, consumers prefer directly imported products, parallel imports allow retail pharmacy chains to capture a much larger share of industry profits than would otherwise be the case, particularly at the expense of the manufacturer. In the atorvastatin market (patented and marketed by Pfizer under trade name Lipitor during 2004-2007), the manufacturer's profit

would double (+104%) if there was no parallel trade, and pharmacy chains could lose all their profit as manufacturers would be able to set wholesale price at the maximum retail reimbursement price. The shift in profits to retailers is driven by two mechanisms: *i*) the creation of price competition between the upstream firms from chains' ability to shift sales as a response to differences in profitability, and *ii*) the outside option a chain gains from the ability to sell parallel-imported drugs when bargaining over wholesale prices with the direct importer. The counterfactual results show that a ban on parallel trade would thus substantially increase the profit of the manufacturer in Norway at the cost of decreasing it slightly in the source country we model (France), showing that the existence of parallel trade leads to higher prices and profit in France than without. In the counterfactual case where closure is banned, the manufacturer gains and causes the pharmacies' profits to decrease, although not by a large amount. This result shows that the differentiation of drugs and the possibility of pharmacy chains to purchase parallel imports at lower prices still allow them to capture a large part of profits. Finally, we perform counterfactuals in which the retail price cap is lowered by 20%. The results demonstrate that most of the reduction is borne by pharmacy chains and parallel traders because the margin of negotiation is considerably reduced by the lower difference between prices in source countries and the maximum allowed retail price. The manufacturer loses very little profit, whereas the total government expenses in this market are reduced by 20%. Thus, a lower reimbursement price in Norway would reduce parallel trade, and despite decreasing the profit of the manufacturer both in Norway and in the source country, it decreases the profit much less than what the Norwegian state would save in reimbursement, thus allowing much lower prices that make both the manufacturer and taxpayers better off with a lump sum transfer to compensate the lower price.

Related literature A small part of the literature on vertical relationships has addressed the role of strategic actions such as choices regarding the assortment of goods (see Draganska et al. (2009) for an example). Typical sectors in which retailers' behavior have attracted attention from economists are Internet platforms and the food retailing industry with large supermarket chains. Pharmacy retailing has been comparatively less studied, although the growth in healthcare expenses among developed countries raises questions about how to design policies to contain spending on pharmaceutical drugs while ensuring or improving patient access to innovation. In Europe, most countries regulate prices of prescription drugs, although other aspects of competitive behavior, such as strategic choice of entry across different markets, also matter substantially (Danzon and Chao, 2000; Danzon et al., 2005; Maini and Pammolli, 2019). How pharmacists choose the assortment of drugs, proposing parallel import, direct import or both, is similar to strategically choosing to stock out or foreclose access to some versions of drugs. The previous literature has provided reduced-form evidence for this type of response to markup differences in prescription drug markets. In a simpler setting in which physicians can prescribe and dispense drugs, Izuka (2013) shows that Japanese physicians respond to markup differentials

between originator and generics. In the Norwegian off-patent drug market, Brekke and Straume (2013) find a strong relationship between market share and differences in pharmacy margins for branded and generic drugs. Crawford et al. (2018) show similar foreclosure strategies in distribution of TV channels. Such a strategy can also be profitable in other industries, though especially so in tightly regulated markets in which price setting is constrained, as is common in many European countries for pharmaceuticals.³ Our demand estimation with unobserved choice sets is also related to the literature regarding consideration sets or unobserved stock-outs. In a seminal paper, Goeree (2008) uses advertising to identify the likely variation in consideration sets using aggregate demand data. Crawford et al. (2017) use sufficient statistics on consideration sets to estimate a discrete choice model with unobserved choice sets using individual-level transaction data. We use the retail pharmacists' incentives to manipulate choice sets to identify our demand model. In a different context, Gaynor et al. (2016) estimate a demand model that explicitly captures choice constraints imposed on patients by physicians. Our identification relies on the observation of individual choices and modeling of pharmacists' strategic choices. Conlon and Mortimer (2013) use the fact that they observe periodical stock-outs of products in vending machines to estimate a demand model with varying choice sets. Our supply-side vertical relationship model is related to the empirical IO literature using the Nash-in-Nash bargaining equilibrium. Grennan (2013) uses a model of bargaining on prices of medical devices between hospitals and upstream suppliers. Gowrisankaran et al. (2015) model bargaining between managed care organization and hospitals in the US. Ho and Lee (2017, 2019) also use bargaining to model the negotiated provider prices. Finally, some studies have addressed the impact of parallel trade on pharmaceuticals in Europe. Using a structural model of demand estimated with data on the German market for oral antidiabetic drugs, Duso et al. (2014) evaluate the welfare impact of parallel imports. Their estimates imply that parallel imports have reduced the prices of on-patent drugs by 11% but that their impact on consumer surplus is modest. The effect of parallel imports on drug prices therefore depends crucially on country specific regulation of the pharmacies. In contrast to Duso et al. (2014), we explicitly model both the vertical relationship between manufacturers and pharmacy retail chains, and the strategic role of retailer incentives in the development of parallel import market shares. Using data from Norway, Brekke and Straume (2015) study the interaction between price cap regulation and parallel imports across a large number of drugs. They find reduced-form evidence that original manufacturers might benefit from lower price ceilings when there is competition from parallel trade. Novel features of our paper include the strategic decisions by retailers regarding the drugs offered to consumers, the structural estimation of the bargaining model and the analysis of counterfactual policies and incentive configurations.

³For details about pharmaceutical market regulation in different countries, see, e.g., Kanavos et al. (2008).

Structure of the paper In Section 2, we present the market and data. We present the structural model of demand and supply in Section 3. In Section 4, we describe the empirical specification and identification of our model and present the estimation results. In Section 5, we present the results from our counterfactual simulations, while Section 6 concludes.

2 The Norwegian Pharmaceutical Market and Parallel Imports

2.1 Overview and Regulation

The supply side of the market for prescription drugs consists mainly of three large pharmacy retail chains, which are vertically integrated with each of their upstream wholesalers. The three largest chains, Apotek 1, Boots and Vitus, cover 85 % of all pharmacies, and public hospital pharmacies (6 %), a smaller retail chain (5 %), and independent pharmacies (4 %) comprise the rest.

The Norwegian Medicines Agency is the main regulatory body for drug affairs, in charge of marketing authorization, drug classification, vigilance, price regulation, reimbursement regulation, and providing information about drugs to both prescribers and the public. With the exception of over-the-counter drugs, all drugs sold on the Norwegian market are subject to a price cap set by the Norwegian Medicines Agency. As a general rule, the price cap is set as the average of the three lowest retail prices of the same product in a fixed group of European comparison countries, consisting of Sweden, Finland, Denmark, Germany, the United Kingdom, the Netherlands, Austria, Belgium and Ireland. This explains why there is usually scope for parallel trade, as no countries in Eastern or Southern Europe, which usually have even cheaper prices, are included. If drugs enter first in Norway, prices would be set in negotiation, with later revisions based on comparisons after entry in other countries. Reconsideration of the price caps is initiated by the Norwegian Medicines Agency, usually once per year. The price caps are set according to the active ingredient in the drug and amount of active ingredient (dosage). Per unit price caps (with the unit defined by Defined Daily Dose (DDD)) should generally be equal within the category of a given dosage for a given active ingredient.

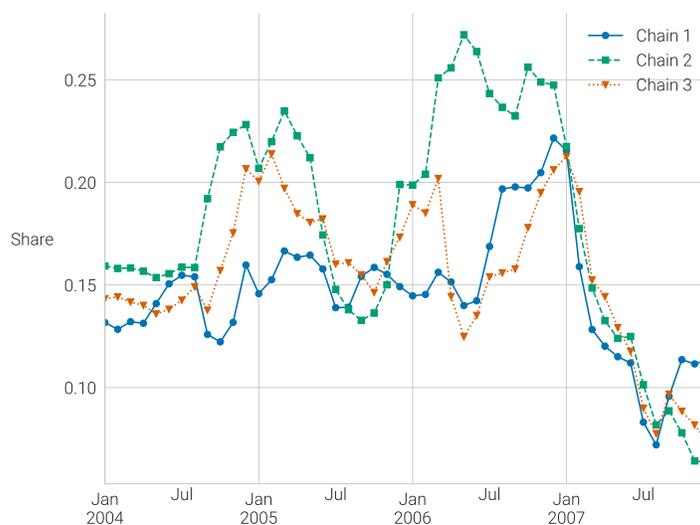
In cases in which the patient has a long-term ailment, defined as requiring treatment for at least three months, and the drug under question has been deemed to be sufficiently cost-effective, government reimbursement is available. The prescribing physician is responsible for deciding whether the patient satisfies the criteria for treatment length, whereas the Norwegian Medicines Agency determines whether a drug satisfies the cost-efficiency criteria for reimbursement. When patients are reimbursed, they face a copayment of 36 % of the total price, capped at 510 NOK in 2007 ($\approx 50\text{€}$) per three months. The copayments for drugs and healthcare spending were capped at 1660 NOK yearly in 2007 ($\approx 170\text{€}$).

2.2 Parallel Trade

Parallel traders must obtain a license from the Norwegian Medicines Agency to sell drugs in Norway, unless they have already obtained a license for sales in the European Economic Area through the centralized European Union procedure⁴. Parallel traders sell to one or more of the three vertically integrated wholesalers. A license is given for a specific drug package imported from a specific country, with the exception of licenses granted through the European Union procedure.

In our dataset, which contains information about prescription filings at pharmacies in Norway for the period 2004–2007, we can identify whether each sold product is directly imported or parallel imported. Parallel trade in Norway happens most prominently in the on-patent period and makes up a negligible share when generics are present. The average share of DDD of parallel import in ATC codes (Anatomical Therapeutic Chemical classification system) with generic entry is 3%, whereas it is roughly 27% among ATC codes without generics.

Figure 2.1: *Parallel import share of sales in DDD by chain*

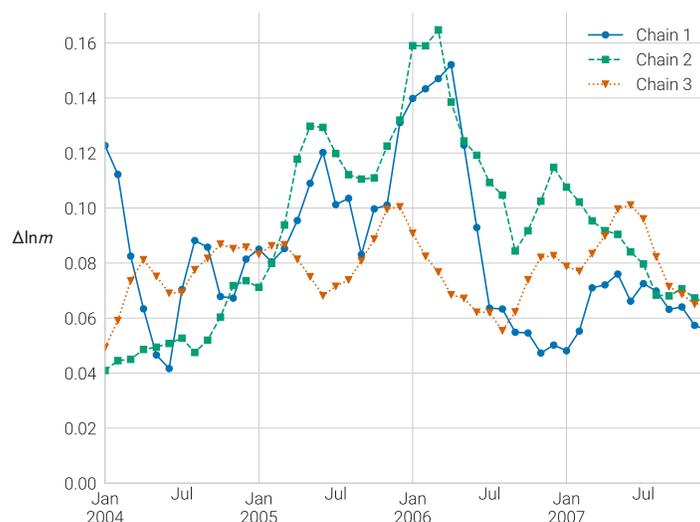


Notes: Graph of the 50 most important molecules featuring sales of parallel imports over the sample period. Monetary units in nominal NOK ($\approx 0.12\text{€}/0.16\text{\$US}$ in the period).

Figure 2.1 shows the parallel import share of sales within each pharmacy chain for the 50 most important active ingredients for which parallel trade occurs. It is interesting to note the large variation both between chains and over time. When analyzing the retail prices of parallel-imported and directly imported versions in each chain, it appears that the price ceiling is binding for both categories for all active ingredients, dosages and package sizes. Thus, there is no retail price difference between parallel- and directly imported versions of the same molecule, and the price is equal to the price cap (i.e., the reimbursement price).

⁴see https://ec.europa.eu/health/sites/health/files/files/eudrallex/vol-1/com_2003_839/com_2003_839_en.pdf.

Figure 2.2: *Difference in product margin between direct and parallel imports*



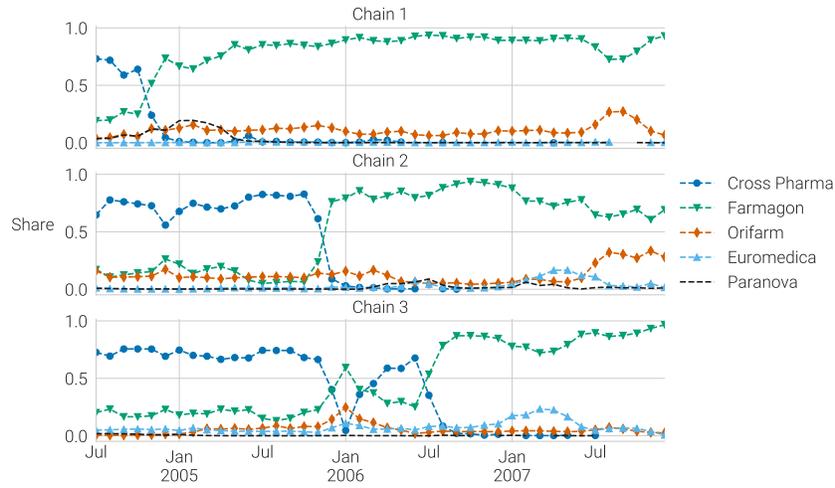
Notes: Margin differences (margin of parallel import minus margin of direct import) in NOK per DDD. Differences calculated for packages of the same ATC code, with same amount of active ingredient and of comparable size.

We also compare the margin that each pharmacy chain obtains. The pharmacy chain margin is defined as the sales price in the pharmacy net of the price the pharmacy chain's integrated wholesaler pays to the supplier for obtaining the drug, where the supplier is either a marketing agency of the manufacturer, in the case of direct imports, or the parallel trading firm. These margin differences shown in Figure 2.2 vary between 4% and 16% over the 4 years of data across the 3 chains.

The seeming correlation between margin differences and the parallel import share of sales in Figure 2.1 is confirmed by a significant chain-month level positive correlation between parallel import shares and margin difference between parallel and direct imports. This cannot be given a causal interpretation by itself, but it is a first indication of pharmacy incentives mattering for the composition of drugs dispensed to consumers.

In the Norwegian market during this period, there were five companies specializing in parallel trade with any noticeable activity, namely, Cross Pharma, Euromedica, Farmagon, Orifarm and Paranova. The share of parallel import sales within each pharmacy chain for each of these companies displayed in Figure 2.3 shows variation both between pharmacies and over time in terms of the relative presence of these companies. Considering the active ingredient level, each pharmacy chain works with one parallel importer at a given time, although the identity of the parallel importer varies across chains for the same drug.

Figure 2.3: *Composition of parallel importers*



Note: Share of parallel import sales DDD within a pharmacy chain for each parallel importer.

3 A Structural Model of Demand and the Supply Chain

We build a model that explains the behavior of consumers, pharmacy chains, parallel traders, and manufacturers while also determining the price setting in other countries that serve as source countries of parallel imports in Norway.

Parallel trade occurs in the European Economic Area when patented drugs have entered in several countries. It has been shown (Danzon et al. (2005), Maini and Pammolli (2019)) that once marketing authorization is obtained, entry is typically sequential—from countries that accept high prices to countries that ask for lower prices—rather than simultaneous. On average, delays between Western European countries and Eastern or Southern European countries are about one to two years. We do not model this part of the game, as done by Maini and Pammolli (2019), but only the price setting after drugs have entered in most countries. Delays in launch decisions cannot be too long because patents have a limited duration and entry is much less valuable after patent expiration where generic competition draws prices to lower levels. Due to high price caps, Norway is typically among the first countries to experience entry of drugs. The retail price, denoted as \bar{p}_t in our model, is the regulated price ceiling based on international comparison (see Section 2), which we take as given in our model. This price is certainly lower than the theoretical monopoly price that would prevail otherwise on an isolated Norwegian market because the manufacturer anticipates trade of drugs after their launch in other countries. Given the retail price in Norway, we assume that the manufacturer negotiates wholesale prices with Norwegian pharmacies as well as other countries. Simultaneously, parallel traders negotiate wholesale prices with the pharmacy chains. Then, given the resulting prices and margins, pharmacies compete to attract consumers. We thus start by modeling the consumer behavior given all wholesale prices and then model the bargaining supply game that determines these prices.

3.1 Consumer Behavior and Demand for Parallel-Traded Products

We assume that the consumer has an exogenous need for a drug with a particular active ingredient and dosage. We abstract from therapeutic choice by prescribers, which, as we show in the online appendix 8.3, is not significantly affected by the availability of parallel-traded versions of the drug or by pharmacy margin differences and can thus be considered exogenous to the main mechanisms of our model.

The consumer chooses which pharmacy chain c to visit and—once in the pharmacy—makes a choice among the available products in the pharmacy. When the consumer chooses a pharmacy c , he does not know if parallel-imported (PI) or directly imported (DI) versions of the drug will be available, although we assume that the consumer is aware of the expected availability. Because pharmacies potentially have higher margins on drugs that the consumer does not strictly prefer, they face a trade-off between not proposing the lower-margin drug to induce consumers to buy the other option and proposing consumers' preferred drug with a nonzero probability to attract them. This phenomenon is confirmed by casual observation, and the fact that pharmacists do consider this policy of non-permanent availability is acknowledged in discussions with them. We assume that consumers know the probabilities of availability chosen by the pharmacy chains. Dubois and Sæthre (2018) present an alternative demand model in which consumers have heterogeneous beliefs about the products available at each pharmacy chain and show that the results from our preferred specification are robust to this alternative modeling of demand. Note that we also assume that consumers do not search over multiple outlets because, unlike more differentiated products such as cars (Moraga-Gonzalez et al., 2018), it seems unlikely in the case of a choice between PI and DI of the same branded prescription drug without price differentiation. We also show in the online appendix 8.2 that consumers switch across versions of the drug within a pharmacy chain more than they switch across chains for the same version of the drug.

For a given active ingredient, the choice set at pharmacies can be $\{PI\}$, $\{DI\}$ or $B \equiv \{DI, PI\}$. We let the origin of the drug be indexed by $k \in \{0, 1\}$ where 0 denotes PI and 1 denotes DI . We denote by θ_{ct}^0 and θ_{ct}^1 the probabilities that the choice sets are $\{PI\}$ or $\{DI\}$, respectively, and thus, $1 - \theta_{ct}^0 - \theta_{ct}^1$ is the probability that the choice set is $B = \{DI, PI\}$. We assume that the utility of consumer i is given by

$$u_{ikct} = V_{ikct} + \varepsilon_{ict} + \lambda_c \epsilon_{ikct}$$

where V_{ikct} is the mean utility consumer i obtains from choosing the drug of origin k in pharmacy chain c in market t and ε_{ict} and ϵ_{ikct} are chain-specific and product-specific sequentially observed shocks, respectively. We assume that they are distributed independently across drugs and chains according to a Gumbel distribution.

However, our choice model is not a nested logit but rather a model with two extreme value distributed shocks observed sequentially by the decision maker, where ϵ_{ikct} is observed after choosing to purchase at chain c .

Thus, as ϵ_{ikct} is i.i.d. extreme value distributed, the probability that consumer i chooses $k \in \{0, 1\}$ conditional on choice of pharmacy chain c when both products are available is

$$s_{ikt|c,B} = \frac{e^{V_{ikct}/\lambda_c}}{e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}}$$

Then, the choice probability of product k conditional on the choice of pharmacy c is

$$\underbrace{s_{ikt|c}}_{\substack{\text{choice probability of } k \\ \text{conditional on} \\ \text{going to chain } c}} = \underbrace{\theta_{ct}^k}_{\substack{\text{probability that} \\ \text{only } k \text{ is} \\ \text{available at } c}} + \underbrace{(1 - \theta_{ct}^0 - \theta_{ct}^1)}_{\substack{\text{probability that} \\ \text{both versions} \\ \text{are available at } c}} \underbrace{s_{ikt|c,B}}_{\substack{\text{choice probability of } k \\ \text{given both versions} \\ \text{are available at } c}}.$$

The consumer chooses a chain by taking expectations with respect to the possible choice sets and with respect to the shock ϵ_{ikct} . The consumer utility of visiting pharmacy c is then $I_{ict} + \varepsilon_{ict}$, where

$$I_{ict} \equiv \sum_{k \in \{0,1\}} \underbrace{\theta_{ct}^k}_{\text{prob. only } k \text{ available}} \underbrace{V_{ikct}}_{\text{utility of } k} + \underbrace{(1 - \theta_{ct}^0 - \theta_{ct}^1)}_{\text{prob. both versions}} \underbrace{E_{\epsilon_{ikct}} \left[\max_{k \in \{0,1\}} (V_{ikct} + \lambda_c \epsilon_{ikct}) \right]}_{\text{expected utility preferred version}}$$

with the log-sum formula for the inclusive value in case the choice set contains both products

$$E_{\epsilon_{ikct}} \left[\max_{k \in \{0,1\}} (V_{ikct} + \lambda_c \epsilon_{ikct}) \right] = \lambda_c \ln \left(\sum_{k \in \{0,1\}} e^{V_{ikct}/\lambda_c} \right)$$

which is always greater than $\max(V_{i0ct}, V_{i1ct})$. Then, as ε_{ict} is extreme value distributed independently across chains, patient i chooses chain c with probability

$$s_{ict} = \frac{e^{I_{ict}}}{\sum_{\tilde{c}} e^{I_{i\tilde{c}t}}}.$$

which allows us to obtain the individual choice probability as $s_{ikct} = s_{ict} s_{ikt|c}$.

It should be noted that in equilibrium, patients will choose a pharmacy without knowing for sure which drug will be proposed only when $\theta_{ct}^0 + \theta_{ct}^1$ is strictly between 0 and 1 but will know what version will not be proposed when $\theta_{ct}^0 = 0$ or $\theta_{ct}^1 = 0$. A patient who has really strong taste differences in favor of k will put more weight on choosing a pharmacy with θ_{ct}^k close to 1 so that she can obtain it with certainty.

The aggregate choice probability or market share of drug k sold by c in period t is

$$s_{kct} = \int s_{ikct} dF(\mathbf{V}_{it}|\boldsymbol{\beta}) \quad (3.1)$$

where $F(\cdot|\boldsymbol{\beta})$ denotes the c.d.f. of consumer preferences $\mathbf{V}_{it} \equiv (V_{i01t}, \dots, V_{i0Ct}, V_{i11t}, \dots, V_{i1Ct})$ conditional on the parameter vector $\boldsymbol{\beta}$.

3.2 Pharmacy Chain Behavior

Let us now turn to the behavior of the pharmacy chains. The profits of chain c normalized by total market size at time t are

$$\pi_{ct} = \sum_{k \in \{0,1\}} (p_{kct} - w_{kct}) s_{kct},$$

where p_{kct} is the retail price and w_{kct} the wholesale price of drug k in pharmacy c at t . As retail prices are regulated with a price ceiling that applies to both the direct and parallel import versions of a drug, pharmacies can choose the set of products they prefer to sell but cannot have prices higher than the price ceiling ($p_{kct} \leq \bar{p}_t$). However, since retail prices are always equal to the price ceiling (as for almost all on-patent drugs), we treat the price ceiling chosen by the regulator as binding ($p_{kct} = \bar{p}_t$). We show in online appendix 8.7 that it may be constrained-optimal for the pharmacy to set both prices of parallel and direct imports at the price ceiling.

Pharmacy chains choose the optimal θ values after setting the wholesale prices with the manufacturer and the parallel trader. We denote by $m_{kct} \equiv \bar{p}_t - w_{kct}$ the product price-cost margin. We assume the existence of a Nash equilibrium in θ values across the C pharmacy chains and use the conditions necessary for equilibrium.

We show in appendix 7.1 that it must be that $\theta_{ct}^k = 0$ for the lowest-margin product. For simplicity, in the following, we assume that in equilibrium after the bargaining stage, parallel imports (good 0) are the high-margin product for all chains (which is the case in our data, as we will show later). Thus, we can set the probability of proposing direct imports alone to zero $\theta_{ct}^1 \equiv 0$ in the following and define the probability that both goods are available in pharmacy chain c as

$$\theta_{ct} \equiv 1 - \theta_{ct}^0,$$

Then, the individual choice probabilities can be written:

$$s_{i1ct} = \frac{e^{V_{i0ct} + \theta_{ct} \delta_{ict}}}{\sum_{\bar{c}} e^{V_{i0\bar{c}t} + \theta_{\bar{c}t} \delta_{i\bar{c}t}}} \theta_{ct} \frac{e^{V_{i1ct}/\lambda_c}}{e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}} \quad \text{and} \quad s_{i0ct} = \frac{e^{V_{i0ct} + \theta_{ct} \delta_{ict}}}{\sum_{\bar{c}} e^{V_{i0\bar{c}t} + \theta_{\bar{c}t} \delta_{i\bar{c}t}}} \left(1 - \theta_{ct} \frac{e^{V_{i1ct}/\lambda_c}}{e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}} \right)$$

where δ_{ict} is the incremental utility from having both drugs available as opposed to parallel import alone:

$$\delta_{ict} \equiv \lambda_c \ln \left(1 + e^{(V_{i1ct} - V_{i0ct})/\lambda_c} \right)$$

The Nash equilibrium across chains now implies the following optimality condition for each chain c at t :

$$\frac{\partial \pi_{ct}}{\partial \theta_{ct}}(\boldsymbol{\theta}_t) = m_{0ct} \frac{\partial s_{0ct}}{\partial \theta_{ct}}(\boldsymbol{\theta}_t) + m_{1ct} \frac{\partial s_{1ct}}{\partial \theta_{ct}}(\boldsymbol{\theta}_t) \begin{cases} \leq 0 & \text{if } \theta_{ct} = 0, \\ = 0 & \text{if } 0 < \theta_{ct} < 1, \\ \geq 0 & \text{if } \theta_{ct} = 1. \end{cases} \quad (3.2)$$

where $\boldsymbol{\theta}_t \equiv (\theta_{0t}, \dots, \theta_{Ct})'$ is the vector of the probabilities that both goods are available and where the derivatives of shares with respect to θ_{ct} are

$$\begin{aligned} \frac{\partial s_{0ct}}{\partial \theta_{ct}} &= \int (-\rho_{ict}s_{ict} + (1 - \theta_{ct}\rho_{ict})\delta_{ict}s_{ict}(1 - s_{ict}))dF(V_{it}|\boldsymbol{\beta}), \text{ and} \\ \frac{\partial s_{1ct}}{\partial \theta_{ct}} &= \int (\rho_{ict}s_{ict} + \theta_{ct}\rho_{ict}\delta_{ict}s_{ict}(1 - s_{ict}))dF(V_{it}|\boldsymbol{\beta}). \end{aligned}$$

where $\rho_{ict} \equiv s_{i1t|c,B}$ is the probability that consumer i chooses the direct import variety in chain c when both are available.⁵

From these expressions, we see that there are basically two effects of increasing the probability that both products are available. To give a better sense of how the model works, we first discuss these effects from the point of view of an individual i . The first effect is a change in the conditional choice probability of the product—that is, the choice probability given that the individual has chosen pharmacy chain c —weighted by the probability s_{ict} that chain c is chosen by individual i in the first place. This is *negative* for parallel imports, as it reduces the number of times for which it is the only product available, whereas it is *positive* for the direct import, as it increases the number of times for which it is part of the choice set. The second effect is a change in the probability of choosing chain c , weighted by individual i 's conditional probability of choosing the product. This effect is *positive* for both products since the incremental expected utility of having both drugs available, δ_{ict} , is positive for all individuals; i.e., more individuals will choose chain c when the variety is greater. The *aggregate* effect then depends on the distribution of individual tastes in the population. As an example, let us consider a *decrease* in θ_{ct} to induce more consumers to buy the parallel-imported variety. This will have a larger impact on the relative shares of the goods within pharmacy chain c when consumers have a strong preference for the directly imported variety on average and even more so when this correlates positively with the probability of choosing chain c in the population. However, if people on average have a

⁵Note that $\delta_{ict} = -\lambda_c \ln(1 - \rho_{ict})$, which has the natural interpretation that individual i 's incremental utility from having both goods available is increasing in the probability that she will choose the directly imported variety when both are available.

strong preference for the directly imported variety, the incremental utility δ_{ict} will tend to be large, thus implying a stronger substitution away from chain c . This negative aggregate effect will be weaker if people have strong preferences for a specific pharmacy such that s_{ict} tends to be either very high or very low and also if there is a positive correlation between the taste for direct imports and chain c . From this, we can see that the distribution of tastes in the population will be central in the decision of pharmacy chains on how to foreclose the lower margin product.

The Nash equilibrium in each market t defines the vector $\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$, with elements $\theta_{ct}^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$ that are functions of the wholesale prices of direct and parallel imports in the market (\mathbf{w}_{1t} and \mathbf{w}_{0t} respectively) and of the exogenously given retail price ceiling \bar{p}_t (omitted from the arguments for simplicity).

3.3 Upstream Manufacturer and Importers

We now turn to the modeling of the manufacturer supplying Norwegian pharmacy chains and other countries. We assume that the manufacturer simultaneously negotiates the wholesale price in the source country and the wholesale prices with pharmacy chains in Norway. Assuming that all prices satisfy a Nash equilibrium condition of simultaneous bargaining between the manufacturer and each country purchaser, the Nash equilibrium conditions determining the wholesale prices in Norway can be written with the wholesale prices in other countries as given.

Indeed, the pharmaceutical firm's combined profits from all countries (Norway and source countries for Norwegian imports) is:

$$\Pi_t = \sum_c \underbrace{(w_{1ct} - c_t)s_{1ct}(\theta_t^*)}_{\text{Imports profit in chain c}} + \underbrace{(p_{1ct}^{I(c)} - c_t)s_{0ct}(\theta_t^*)}_{\text{Profit to Manufacturer of Parallel Import in chain c at wholesale source price } p_{1ct}^{I(c)}} + \sum_I \underbrace{(p_{1t}^I - c_t)q_{It}(p_{1t}^I)}_{\text{other countries profits}}$$

where c_t is the marginal cost of production, $p_{1ct}^{I(c)}$ is the manufacturer's wholesale price in the source country $I(c)$ for the units sold by the parallel importer supplying chain c from country $I(c)$, p_{1t}^I is the wholesale price determining demand in the source country I , $q_{It}(p_{1t}^I)$ is the demand for domestic consumption in source country I , and w_{1ct} is the wholesale price charged for the directly imported drug to chain c at time t . Even though $p_{1t}^{I(c)}$ is the main determinant of $p_{1ct}^{I(c)}$, we allow the possibility that they differ due to transaction costs and wholesale margins.

We assume simultaneous Nash bargaining among the manufacturer, the parallel importers and the chains as well as between the manufacturer and the other countries and characterize the equilibrium.

The bargaining surplus for the manufacturer with respect to pharmacy chain c in Norway is given by

$$\begin{aligned} (\Pi_t - \Pi_{-c,t}) &= \sum_{\bar{c}} [(w_{1\bar{c}t} - c_t)s_{1\bar{c}t} + (p_{1\bar{c}t}^{I(\bar{c})} - c_t)s_{0\bar{c}t}] - \sum_{\bar{c}} [(w_{1\bar{c}t} - c_t)s_{1\bar{c}t \setminus 1c} + (p_{1\bar{c}t}^{I(\bar{c})} - c_t)s_{0\bar{c}t \setminus 1c}] \\ &= \sum_{\bar{c}} (w_{1\bar{c}t} \Delta_{1c} s_{1\bar{c}t} + p_{1\bar{c}t}^{I(\bar{c})} \Delta_{1c} s_{0\bar{c}t}), \end{aligned}$$

because the manufacturer profit in other countries $\sum_I (p_{1t}^I - c_t)q_{It}(p_{1t}^I)$ is unchanged whether or not the manufacturer agrees with pharmacy chain c in Norway. Concerning parallel traders exporting drugs to Norway, their Nash profit surplus when bargaining with Norwegian pharmacy retailing chains also does not depend on other possible trade activities in other countries. Finally, the Nash profit surplus of Norwegian pharmacists also depends only on Norwegian profits.

This shows that we do not need to account for equilibrium conditions in other countries when considering the equilibrium in the Norwegian market and can take the wholesale prices in source countries as given. We therefore present the equilibrium conditions for the Norwegian market alone and later discuss how we need to account for equilibrium effects of different counterfactual policies both in Norway and in other countries.

We assume that upstream firms and pharmacy chains bargain over wholesale prices, leading to the *Nash-in-Nash bargaining* model (Horn and Wolinsky, 1988). As documented by Brekke and Straume (2015), the prohibition against side payments in contracts between manufacturers and wholesalers in the Norwegian pharmaceutical market explains why only linear pricing transactions are observed.

When describing equilibrium price conditions, we take as given the transactions of parallel traders. The choice of a parallel trader to work with a pharmacy chain varies with variations in the opportunity costs of drugs for parallel traders. The fact that the identity of the parallel trader company may change over time for a given pharmacy will not affect the wholesale price equilibrium, provided that the negotiation with the pharmacy chain is a bilateral negotiation that does not use threat of replacements like in Ho and Lee (2019) (explaining the network of parallel traders with pharmacy chains is left for future research).

3.3.1 Manufacturer Behavior

The total sales of the manufacturer of a drug in a given market (country) come from two channels: the direct import channel of its product (good 1) to all chains c and the parallel imports of the same patented active ingredient (good 0) by all chains c . Here, we hypothesize a fully rational manufacturer, internalizing the sales in a given market induced by parallel trade with other countries.

Thus, using the simpler notation θ_t^* for $\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$, the profits of the manufacturer are given by

$$\Pi_t(\mathbf{w}_{1t}, \theta_t^*) = \sum_c \underbrace{(w_{1ct} - c_t)s_{1ct}(\theta_t^*)}_{\text{Profit to Manufacturer of Direct Imports profit in chain } c} + \underbrace{(p_{1ct}^{I(c)} - c_t)s_{0ct}(\theta_t^*)}_{\text{Profit to Manufacturer of Parallel Import in chain } c \text{ at wholesale source price } p_{1ct}^{I(c)}}$$

where c_t is the marginal cost of production assumed to be identical across countries, $p_{1ct}^{I(c)}$ is the manufacturer price in the source country of the parallel importer supply chain c , and, as before, w_{1ct} is the wholesale prices charged for directly imported drugs to chain c at time t . In the online appendix 8.13, we describe the full bargaining model where we do not assume that it is always the same θ_{ct}^k that is at the zero corner solution for the different vectors of wholesale prices considered in bargaining. For simplicity of exposition, we propose here the bargaining game where we assume the relevant zone of negotiation is such that the pharmacy chains will never find it optimal to propose parallel imports only.

We assume that in each pairwise negotiation with the pharmacy chains, the manufacturer and chain c set wholesale prices to maximize the Nash product

$$(\Pi_t - \Pi_{-c,t})^{b_{1c}} (\pi_{ct} - \pi_{-1,ct})^{1-b_{1c}} \quad (3.3)$$

where b_{1c} is the bargaining weight of the manufacturer when negotiating with chain c , $\Pi_{-c,t}$ is the manufacturer's profit in the absence of an agreement with chain c , and $\pi_{-1,ct}$ is likewise chain c 's profit in absence of an agreement with the manufacturer.

We assume that in the case of disagreement between the manufacturer and chain c , the chain still sells parallel imports. It is true that if the wholesale price of the manufacturer is low enough, it may not be profitable for parallel traders to enter, in which case the pharmacy chain has no other supply channel. We write equilibrium conditions that are valid in the range of wholesale prices where parallel trade is still valuable. Thus, the Nash surplus of the pharmacy chain agreeing with the manufacturer can be written as the difference between the profit when the chain sells both direct and parallel imports and the profit when it sells only parallel imports at the agreed wholesale price in equilibrium (because of the Nash assumption). We assume that each bargaining manufacturer-chain pair takes as given the equilibrium wholesale prices of parallel imports in each pharmacy chain $\mathbf{w}_{0t} = (w_{01t}, w_{02t}, \dots, w_{0Ct})$. This corresponds to a Nash-in-Nash equilibrium (Horn and Wolinsky, 1988) which is commonplace in the literature estimating structural bargaining models (see e.g., Crawford and Yurukoglu (2012), Gowrisankaran et al. (2015) and Ho and Lee

(2017)). The first-order condition for a solution to equation (8.7) is

$$b_{1c} \frac{\partial \Pi_t / \partial w_{1ct}}{\Pi_t - \Pi_{-c,t}} + (1 - b_{1c}) \frac{\partial \pi_{ct} / \partial w_{1ct}}{\pi_{ct} - \pi_{-1,ct}} = 0. \quad (3.4)$$

In maximizing the Nash product, there will be an effect on the manufacturer's profit due to how changes in wholesale prices affect the equilibrium $\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$ in the next stage of the game.

Note that in the case where the manufacturer has all the bargaining power, that is, $b_{1c} = 1$, equation (3.4) reduces to the first-order condition for an optimal take-it-or-leave-it contract on w_{1ct} for the manufacturer, whereas in the case of $b_{1c} = 0$, it can be rewritten as the condition for an optimal contract proposed by the chain.

The derivative of the manufacturer's profits with respect to the wholesale price is

$$\frac{\partial \Pi_t(\mathbf{w}_{1t}, \theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} = s_{1ct}(\theta_t^*) + \sum_{\bar{c}} \left[w_{1\bar{c}t} \frac{\partial s_{1\bar{c}t}(\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} + p_{1t}^{I(\bar{c})} \frac{\partial s_{0\bar{c}t}(\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} \right]$$

where $\sum_{\bar{c}} (c_t \frac{\partial s_{1\bar{c}t}}{\partial w_{1ct}} + c_t \frac{\partial s_{0\bar{c}t}}{\partial w_{1ct}})$ cancels out because aggregate demand is fixed ($\sum_{\bar{c}} (\frac{\partial s_{1\bar{c}t}}{\partial w_{1ct}} + \frac{\partial s_{0\bar{c}t}}{\partial w_{1ct}}) = 0$), and the derivative of chain c 's profits with respect to the wholesale price w_{1ct} is

$$\frac{\partial \pi_{ct}(w_{0ct}, w_{1ct}, \theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} = -s_{1ct}(\theta_t^*) + (\bar{p}_t - w_{1ct}) \frac{\partial s_{1ct}(\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} + (\bar{p}_t - w_{0ct}) \frac{\partial s_{0ct}(\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}}$$

In the two expressions above, the derivatives of market shares with respect to wholesale prices will depend on the derivatives of market shares with respect to θ and the derivatives of equilibrium θ values with respect to wholesale prices (detailed formulas are in Appendix 8.4).

By denoting the net value of agreement for the manufacturer and chain c respectively as $\Delta_c \Pi_t \equiv \Pi_t - \Pi_{-c,t}$ and $\Delta_1 \pi_{ct} \equiv \pi_{ct} - \pi_{-1,ct}$ and using vector notations for market shares $\mathbf{s}_{0t} = (s_{01t}, \dots, s_{0Ct})$ and $\mathbf{s}_{1t} = (s_{11t}, \dots, s_{1Ct})$, we can then rewrite equation (3.4) governing the solution to the bargaining between the manufacturer and chain c as

$$s_{1ct} + \mathbf{w}'_{1t} \frac{\partial \mathbf{s}_{1t}}{\partial w_{1ct}} + \mathbf{p}'_{1t} \frac{\partial \mathbf{s}_{0t}}{\partial w_{1ct}} = \frac{1 - b_{1c}}{b_{1c}} \frac{\Delta_c \Pi_t}{\Delta_1 \pi_{ct}} \left(s_{1ct} - m_{1ct} \frac{\partial s_{1ct}}{\partial w_{1ct}} - m_{0ct} \frac{\partial s_{0ct}}{\partial w_{1ct}} \right) \quad (3.5)$$

The expression in parentheses on the right-hand side is the (negative of) loss in profits to chain c from a change in the direct import wholesale price, which depends on the reduction in direct import sale from the change in equilibrium θ_t^* , in addition to the gain in parallel import sale. The larger the relative bargaining power of the chain, $\frac{1-b_{1c}}{b_{1c}}$, is and the larger the net value of agreement for the manufacturer relative to that of the chain, $\Delta_c \Pi_t / \Delta_1 \pi_{ct}$, is, the larger the weight given to the (change in) profits of the pharmacy chain when determining the wholesale price.

By letting $s_{j\bar{c}t\setminus 1c}$ denote the share of chain \bar{c} 's product j in t when direct imports are not available at chain c , we can express the net value for the manufacturer, suppressing arguments θ_t^* , as

$$\begin{aligned}\Delta_c \Pi_t &= \sum_{\bar{c}} [(w_{1\bar{c}t} - c_t) s_{1\bar{c}t} + (p_{1t}^{I(\bar{c})} - c_t) s_{0\bar{c}t}] - \sum_{\bar{c}} [(w_{1\bar{c}t} - c_t) s_{1\bar{c}t\setminus 1c} + (p_{1t}^{I(\bar{c})} - c_t) s_{0\bar{c}t\setminus 1c}] \\ &= \sum_{\bar{c}} (w_{1\bar{c}t} \Delta_{1c} s_{1\bar{c}t} + p_{1t}^{I(\bar{c})} \Delta_{1c} s_{0\bar{c}t}),\end{aligned}$$

because $s_{j\bar{c}t\setminus 1c} = 0$, and defining $\Delta_{1c} s_{j\bar{c}t} \equiv s_{j\bar{c}t} - s_{j\bar{c}t\setminus 1c}$ the difference in share of product j in chain \bar{c} between the case of agreement and disagreement in the negotiations between the manufacturer and chain c .

Similarly, the net value for the chain c is

$$\Delta_1 \pi_{ct} = (\bar{p}_t - w_{1ct}) s_{1ct} + (\bar{p}_t - w_{0ct}) \Delta_{1c} s_{0ct},$$

Once the demand shape is identified, together with the optimal behavior of pharmacy chains, the system (3.5) has one equation per molecule-pharmacy chain-period, with in principle one unknown parameter b_{1c} . The system also depends on the wholesale price of drugs earned by the manufacturer in the foreign country $p_{1ct}^{I(c)}$. If $p_{1ct}^{I(c)}$ is known, the system of equations (3.5) allows us to identify the bargaining weight of each pharmacy chain.

3.3.2 Parallel Importer Behavior

The full Nash-in-Nash solution is obtained when we also consider the conditions for bargaining between the parallel importer and each of the pharmacy chains.

The parallel importer's profits from its total sales of a drug in the importing market is given by

$$\Pi_t^{PI} = \sum_c (w_{0ct} - p_{0ct}^{I(c)}) s_{0ct}(\theta_t^*),$$

where w_{0ct} is the wholesale price paid for parallel-imported drugs by chain c and $p_{0ct}^{I(c)}$ is the price that the importer has to pay for the drug in the source country, which we allow to vary across chains c for full generality because each chain may use different source countries.

We assume that the parallel importer bargains over the wholesale price with each pharmacy chain c , where they take as given the negotiated wholesale prices of the originator product to each pharmacy chain $\mathbf{w}_{1t} = (w_{11t}, w_{12t}, \dots, w_{1Ct})$. Similar to equation (3.4), the first-order conditions for the solution to the Nash bargaining between each pharmacy chain c and the parallel importer are

$$b_{0c} \frac{\partial \Pi_t^{PI} / \partial w_{0ct}}{\Pi_t^{PI} - \Pi_{-c,t}^{PI}} + (1 - b_{0c}) \frac{\partial \pi_{ct} / \partial w_{0ct}}{\pi_{ct} - \pi_{-0,ct}} = 0, \quad (3.6)$$

which, as in section 3.3.1, can be rewritten using vector notations for prices and market shares stacked over chains c as

$$s_{0ct} + (\mathbf{w}_{0t} - \mathbf{p}_{0t}^I)' \frac{\partial \mathbf{s}_{0t}}{\partial w_{0ct}} = \frac{1 - b_{0c}}{b_{0c}} \frac{\Delta_c \Pi_t^{PI}}{\Delta_0 \pi_{ct}} \left(s_{0ct} - m_{1ct} \frac{\partial s_{1ct}}{\partial w_{0ct}} - m_{0ct} \frac{\partial s_{0ct}}{\partial w_{0ct}} \right) \quad (3.7)$$

where the left-hand side is the derivative of parallel importer profits with respect to w_{0ct} and where

$$\Delta_c \Pi_t^{PI} = \Pi_t^{PI} - \Pi_{-c,t}^{PI} \quad \text{with} \quad \Pi_{-c,t}^{PI} = \sum_{\tilde{c} \neq c} (w_{0\tilde{c}t} - p_{0\tilde{c}t}^{I(\tilde{c})}) s_{0\tilde{c}t \setminus 0c},$$

$$\Delta_0 \pi_{ct} = \pi_{ct} - \pi_{-0,ct} = (\bar{p}_t - w_{1ct}) \Delta_{0c} s_{1ct} + (\bar{p}_t - w_{0ct}) s_{0ct}$$

and $\Delta_{0c} s_{1ct}$ corresponds to the change in market share of the direct imports at chain c with and without parallel imports at chain c .

Then, one can use these optimality conditions to identify the parallel importer's bargaining parameters b_{0c} , provided that we observe or can model the prices at which imports are paid from the source country $p_{0ct}^{I(c)}$.

4 Data, Identification and Empirical Results

4.1 Data and Descriptive Statistics

We estimate our model on the Norwegian market for atorvastatin, which is a member of the statin drug class used to lower blood cholesterol. It is marketed by Pfizer under the trade name *Lipitor*. The patent expired towards the end of 2011, and the drug was thus under patent for the whole period from 2004 to 2007 covered by our data. The drug comes in four distinct strengths in the Norwegian market: tablets with 10, 20, 40 and 80 milligrams of the active ingredient. The prescription determines which of these strengths the consumer can obtain at the pharmacy, and the pharmacy can freely propose the directly imported or parallel-imported alternatives. Atorvastatin was used by roughly 140,000 individuals in 2004 and 2005, but the number of users dropped to approximately 100,000 in 2006 and 85,000 in 2007.⁶ This change is due to a change in the recommendation of statin prescriptions in June 2005, which required simvastatin to be prescribed for all new cases requiring statin treatment and required present users to be put on simvastatin treatment within a year, unless medical considerations dictated otherwise.⁷ The motivation for the regulation was to reduce expenditure for the Norwegian National Insurance Administration because the reimbursement price of simvastatin was lower.

⁶The population of Norway was roughly 4.6 million in this period.

⁷More details about this regulatory change can be found in Sakshaug et al. (2007).

We use data on atorvastatin for our structural model estimation while including other prescription drugs under patent for reduced-form evidence. We combine data from several sources: transaction data from the *Norwegian Directorate of Health* covering all purchases of reimbursable drugs by individuals in Norway; wholesale registry data from the *Norwegian Institute of Public Health* containing monthly wholesale prices of drug wholesalers in Norway; data regarding price regulation, substitutability and parallel marketing licenses from the *Norwegian Medicines Agency*; and data about aggregate wholesale prices in several countries from *IMS Health* (now called IQVIA). We thus have data concerning all purchases of atorvastatin in Norway for the period 2004–2007, which amounts to approximately 1.4 million transactions. The transactions were performed by approximately 170,000 individuals, where a pseudo-ID for each individual allows us to track individual choices over time. For each transaction, we know the price charged for the drug by the pharmacy chain, the copayment paid, the specific pharmacy at which the transaction happened, the number of packages bought, and the specific drug package. The normal treatment for high cholesterol is one tablet per day, and the strength depends on the initial cholesterol rate and type. Given this normal rate of administration, chronic treatment with Lipitor is enough to reach the binding maximum copayment per quarter. Given that most chronic users of Lipitor also consume other drugs, all of them usually reach the maximum copayment for medical drugs, meaning they are marginally fully reimbursed.

Table 4.1: *Market size (DDD), share of parallel imports, consumers and wholesale prices*

		2004	2005	2006	2007
40 mg	Defined Daily Doses (millions DDD)	23.78	31.22	26.42	29.32
	Share parallel import	0.79	0.48	0.07	0.17
	Consumer Price (p_t)	4.16	4.21	3.82	3.90
	Direct import wholesale price	3.00	3.01	2.71	2.76
	Parallel import wholesale price	2.91	2.93	2.87	2.03
80 mg	Defined Daily Doses (millions DDD)	12.03	20.12	27.38	35.69
	Share parallel import	0.93	0.86	0.96	0.63
	Consumer Price (p_t)	2.15	2.23	1.98	1.97
	Direct import wholesale price	1.55	1.60	1.40	1.39
	Parallel import wholesale price	1.52	1.50	1.38	1.35

Note: Prices in in NOK/DDD.

Table 4.1 shows the yearly size of the atorvastatin market in Norway in millions of *defined daily doses* (DDD), segmented by the amount of active ingredient.⁸ We also calculated the parallel import share of DDD within each segment. For 40 and 80 mg, parallel imports often cover a substantial share of the market, constituting approximately 90% of the 80 mg segment in the period 2004-2006.⁹ The reason for the differences

⁸Our definition of the market includes direct purchases in pharmacies by individuals exclusively. Although there might be some usage of atorvastatin in hospitals—for instance, as part of statin treatment after heart attacks—the numbers in our data are virtually identical to official statistics regarding drug utilization in Norway for aggregate usage of atorvastatin, which leads us to conclude that this usage represents a negligible share of sales.

⁹Parallel imports only entered in 2007 with very small market shares for the 10 and 20 mg dosage forms.

in parallel import shares is likely a combination of differences in parallel export opportunities, differences in profitability across parallel import locations and differences in the relative price in the source country and Norway. The online appendix 8.11 shows evidence across all products without the presence of a generic on the correlation between parallel import entry and the source countries wholesale prices in NOK that vary with exchange rate shocks. We use our model to explain the parallel imports market shares for markets in which they are present, which are the ones that we use in our estimation regarding upstream manufacturer and importer behavior.

The price to consumers reflects the regulatory price ceiling set by the Norwegian Medicines Agency, as all packages—both parallel and direct imports—are consistently priced at the price ceiling. From the wholesale prices, we see that the aggregate margin is larger for parallel imports in all cases (the exception for 40 mg in 2006 is due to the average being taken over the full year for direct imports but only for part of the year for parallel imports because the reduction in the price ceiling early that year allowed parallel importers to withdraw¹⁰ from the market (see Figure 4.1)).

Pfizer holds the patent and is responsible for the direct imports, whereas Farmagon and Orifarm are parallel importers. The parallel importers have licenses to import from the United Kingdom, France, Czech Republic and Poland. Parallel-imported drugs are repackaged by the parallel importer to be in accordance with specific national guidelines on package labels, language and warnings.

Figure 4.1 shows monthly sales of parallel imports and the manufacturer (Pfizer) in thousands of DDD for each segment and pharmacy chain. These graphs show the important variation over time, products and chains of the parallel import or direct import sales.

Figure 4.2 shows the percentage margin difference between parallel and direct imports separately for each segment and pharmacy chain. As the consumer price is always equal to the price cap for both the directly and parallel-imported varieties, the retail pharmacist margin difference between parallel and direct imports is exactly equal to the wholesale prices difference of parallel and direct imports. Margins of parallel imports are consistently higher than direct imports because wholesale prices are consistently lower than the direct import wholesale price.

Figure 4.1 shows that the sales of the 40 mg version of parallel imports are more important than sales of direct imports and that the former grew over time during 2004 across the three chains. However, they decreased strongly after that period for chains 1 and 2, as the margin advantage of parallel imports decreased simultaneously in 2005 for both chains, as seen in Figure 4.2. For chain 3, the parallel import sales decreased earlier in the second part of 2004, when their margins decreased relative to those of direct imports, but during

¹⁰In 2007, there were again some parallel imports for the 40 mg market but only in one chain, not the three, as was generally the case for 2004-2006 for the 40 mg period and for the full period for the 80 mg. Our model is still valid when not all chains use parallel imports, but we did not include this market and period in our sample period of estimation. Including 2007 data for the 40 mg market in our estimation sample is unlikely to change the results of the bargaining parameters estimates significantly.

Figure 4.1: Monthly sales in 1,000 DDD of DI and PI for each chain and dosage

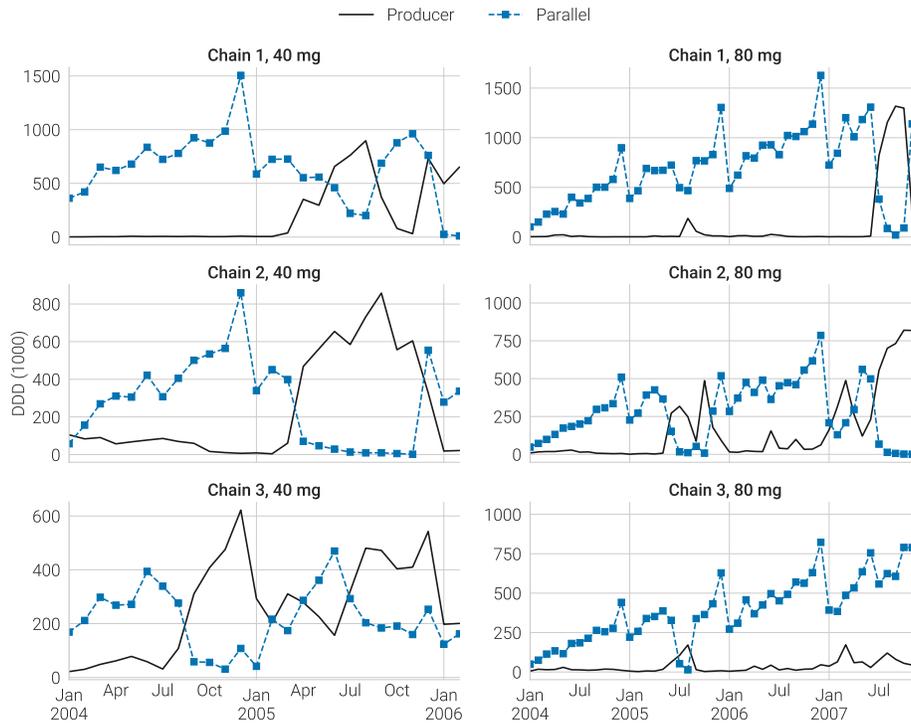
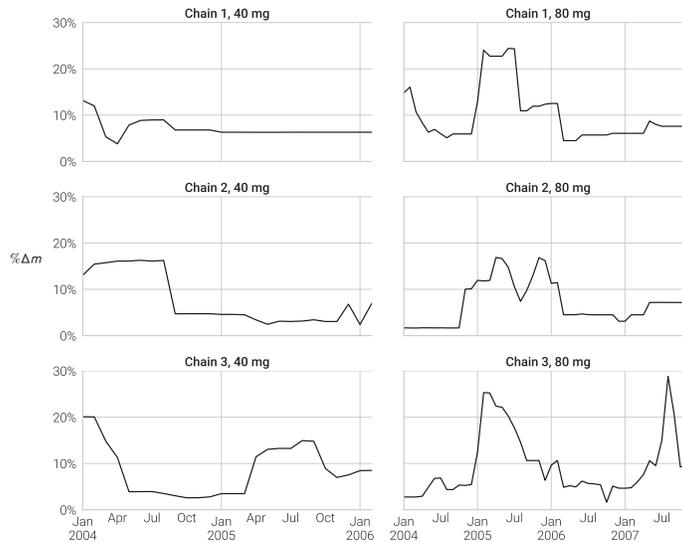


Figure 4.2: Margin difference between PI and DI in percentage of DI wholesale price



2005, unlike in those in chains 1 and 2, parallel import sales in chain 3 increased again and exhibited at the same time a growing margin compared to direct imports. For the 80 mg version, parallel imports dominated sales over direct imports, except at the end of 2007 for chain 2 and temporarily for chain 1. These figures show that sales of Lipitor vary significantly over time between parallel and direct imports.

4.2 Reduced-Form Evidence

To further investigate the descriptive evidence of correlation between pharmacy margins and sales of different versions of the same drug, we perform a set of reduced-form regressions showing that sales of parallel imports do react to the pharmaceutical chain margins. We do so for all prescription drugs under patent for which there is substantial parallel imports over the period 2004-2007 as well as for Lipitor only, which is the product market for which we estimate our structural model. As s_{kjct} stands for the market share of drug j version k in pharmacy chain c at month t (where $\sum_{c \in \{1, \dots, C\}, k \in \{0, 1\}} s_{kjct} = 1$), we regress the log relative within-chain share of direct imports ($\ln(s_{1jct}/(s_{0jct} + s_{1jct}))$) on the margin of the pharmacy chain for each version k .

Table 4.2 below shows that the margins of parallel imports and direct imports of the pharmacy chain affect the relative sales of each version within the chain in a way suggesting that pharmacy chains manage to steer sale towards the most profitable version of the drug.

Table 4.2: *Reduced form evidence of relationship between parallel imports and pharmacy margins*

Dependent Variable ($\ln \frac{s_{1jct}}{s_{0jct} + s_{1jct}}$)	All prescription drugs		Lipitor Only	
	(OLS)	(2SLS)	(OLS)	(2SLS)
	(1)	(2)	(3)	(4)
Direct imports margin m_{1jct}	0.013 (0.043)	0.052 (0.014)	1.863 (0.574)	2.433 (0.602)
Parallel imports margin m_{0jct}	-0.058 (0.013)	-0.035 (0.009)	-0.244 (0.070)	-0.572 (0.119)
Chain-year fixed effects	Yes	Yes	Yes	Yes
Year-month fixed effects	Yes	Yes	Yes	Yes
ATC5 fixed effects	Yes	Yes	No	No
N	3,333	3,333	574	574

Notes: Standard errors in parenthesis are clustered at the molecule level in columns (1) and (2) and at market level in columns (3) and (4).

The regressions in columns (1) and (2) are for all prescription drugs under patent for which there is substantial parallel imports and (3) and (4) are for Lipitor only. In the case of Lipitor only, drug class (ATC5) fixed effects are useless as the regression is done on one product only. These regressions show that the larger the parallel import margin is and the lower the direct import margin is, the larger the sales of parallel imports versus direct imports. As patients' unobserved preferences for one version over the other could change over time (for example because of demographics) and be observed by the pharmacy chain, wholesale price negotiations could lead to margins correlated with these unobserved preferences. We therefore instrument margins in a two-stage least squares regression in columns (2) and (4) using as instruments the average quarterly wholesale prices of the drug in Czech rep., France, Germany, Italy, Spain, and the UK, in addition to the NOK exchange rates with US dollar, Euro, UK pound, Czech koruna, and Swiss Franc. Costa-Font (2016) finds a similar effect using data from the Netherlands by regressing the market share of

parallel imports of statins on price differences in source countries and other distance variables, showing that they are driven by cross-country differences in margins. We thus have clear evidence that strategic behavior of pharmacies allows them to sell more of the drugs for which they have a higher margin. The trade-off mechanism exhibited in our model is consistent with these findings, predicting that pharmacies will sell even more of the high-margin version of the drug when the margin difference increases.

Similarly, Brekke and Straume (2013) show that in the case of off-patent drugs, the share of generics versus the originator brand are related to pharmacy-chain margins even controlling for (consumer) price differences. This shows that pharmacies manage to steer patients to choose the higher margin product when substitution is possible.

Moreover, we also show that pharmacy chains' margins and profits increase with the entry of parallel imports. Table 7.1 in appendix 7.3 shows a positive correlation between the presence of parallel imports for a given product, chain and time period, and the total profit or average margin across the DI and PI versions of the drug in chain c at period t . Instrumenting the presence of PI for a given product with the wholesale price in source countries and exchange rates, the two stage least squares regressions show a strong positive and significant effect. This shows that pharmacy chains can use parallel import to increase profit.

4.3 Econometric Identification and Estimation

Our structural model of demand and supply can be estimated using data regarding consumer choices between parallel trade and directly imported versions of a drug and data about the pharmacy retail chain margins or wholesale prices. We first show how to estimate the discrete choice model developed in Section 3.1, in which consumers choose between pharmacy chains and direct versus parallel-imported drugs. Our random utility model resembles a classic random coefficients discrete choice model, although with the difference that random utilities depend on pharmacies' unobserved strategic choices on assortment of parallel trade versus direct imported drugs. To address this issue, we simultaneously estimate preference parameters and the assortment set probabilities of pharmacy chains using the profit maximization conditions explained in section 3.2 in the likelihood function as shown below. In a second step, we use the estimated parameters to identify the bargaining parameters using the vertical chain bargaining model developed in section 3.3.

4.3.1 Demand Identification with Consumer and Pharmacy Chain Behaviors

From the discrete choice demand model described in section 3.1, the individual choice probability for consumer i choosing version $j \in \{0, 1\}$ at pharmacy chain c and period t is given by

$$s_{ijct}(\boldsymbol{\theta}_t) = s_{ict}s_{ijt|c} = \frac{e^{V_{i0ct} + \theta_{ct}\delta_{ict}}}{\sum_{\tilde{c}} e^{V_{i0\tilde{c}t} + \theta_{\tilde{c}t}\delta_{i\tilde{c}t}}} \left(1_{\{j=0\}} + (-1)^{1_{\{j=0\}}} \theta_{ct} \frac{e^{V_{i1ct}/\lambda_c}}{e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}} \right) \quad (4.1)$$

where $\delta_{ict} = \lambda_c \ln(1 + e^{(V_{i1ct} - V_{i0ct})/\lambda_c})$. We specify individual i 's utility from product version j bought at pharmacy chain c in market t as

$$V_{ijct} = \alpha_{jct} + \nu_{ijct}$$

where α_{jct} is the average utility in market t for product j at chain c , common to all individuals, and ν_{ijct} is the individual deviation from the mean utility for that good, capturing heterogeneity in consumers' tastes. Just as there is typically significant heterogeneity in preferences for generics related to education (Bronnenberg et al., 2015), a similar source of unobserved heterogeneity is possible for parallel imports. In our setting, unobserved heterogeneity in the consumers' distances to stores, for example, could be important, as could other chain-specific variation in preferences. Since the common mean effects α_{jct} vary freely across version-chain-market, they can capture unobserved market effects for each product in addition to chain effects.

We allow a flexible distribution of preferences modeling ν_{ijct} as a mixture of normal distributions as:

$$\nu_{ijct} = \underbrace{\delta_j^{g_i} + \sigma_j^{g_i} \nu_i^j}_{\text{Drug version specific taste}} + \underbrace{\delta_c^{g_i} + \sigma_c^{g_i} \nu_i^c}_{\text{Pharmacy specific taste}} \quad (4.2)$$

where ν_i^k is individual i 's taste characteristics for characteristic k , which is either the product version j or a specific chain c ; $g_i \in \mathcal{G}$ denotes the latent group of i ; and \mathcal{G} is the set of groups in the population. We assume that ν_i^k obeys a standard normal distribution in the population with $\delta_k^{g_i}$ as the mean deviation in taste for k for individuals in this group and $\sigma_k^{g_i}$ as the standard deviation of this individual heterogeneity. After some initial estimates and tests with a growing number of latent classes, we allow four latent classes, where one is arbitrarily chosen as the base group, $g = 0$ with $\delta_j^0 = \delta_c^0 = 0$.¹¹ Each group g has a population share τ_g to be estimated in the likelihood. We denote by $\beta = (\delta_j^g, \sigma_j^g, \delta_c^g, \sigma_c^g, \lambda_1, \dots, \lambda_C, \tau_1, \dots, \tau_G)$ the full vector of parameters governing heterogeneous preferences.

Then, the likelihood of individual i 's choice sequence is given by

$$L_i(\beta; \alpha_{0ct}, \alpha_{1ct}, \theta_{ct}) = \sum_{g \in \mathcal{G}} \tau_g \int \left(\prod_{p \in \mathcal{P}_i} s_{ij(p)c(p)t(p)}(\nu_i) \right) dF(\nu_i | \beta), \quad (4.3)$$

where \mathcal{P}_i is the set of purchase events of consumer i , $j(p)$ and $c(p)$ denote consumer i 's choice of product and chain under purchase event p , and $t(p)$ is the market in which purchase event p happens. Thus, $s_{ij(p)c(p)t(p)}(\nu_i)$ is individual i 's choice probability conditional on his unobserved heterogeneity $\nu_i \equiv (\nu_i^j, \nu_i^c)$ and $F(\nu_i | \beta)$ is the cumulative distribution function of ν_i .

As the parameters θ_{ct} are unobserved, we use the pharmacy chains' Nash equilibrium to solve for them within the likelihood calculation which gives us a nested fixed-point algorithm as follows:

¹¹This normalization is necessary for identification since the α_{jct} average utility parameters will pin down the baseline mean utility of version and chain across the unobserved groups.

Inner loop for given preference parameters β : We first find the mean preference parameters α_{jct} and the choice set parameters θ_{ct} that satisfy the conditions necessary for Nash equilibrium across pharmacy chains and the equality condition between observed and simulated market shares given the vector of parameters β .

For a given vector (θ_t, β) , we know from Berry (1994) and Berry et al. (1995) that one can solve for all $\alpha_{0ct}, \alpha_{1ct}$ such that for all j, c :

$$\hat{s}_{jct} = s_{jct}(\theta_t, \alpha_{0ct}, \alpha_{1ct}, \beta) \quad (4.4)$$

where the simulated shares are $s_{jct}(\theta_t, \alpha_{0ct}, \alpha_{1ct}, \beta) = \sum_i s_{ijct} = \sum_i \sum_{g \in \mathcal{G}} \tau_g \int s_{ijct}(\nu_i) dF(\nu_i | \beta)$. Therefore, we can uniquely define $\alpha_{0ct}(\theta_t, \beta), \alpha_{1ct}(\theta_t, \beta)$ that are continuous in all θ_{ct} . Then, for any $\alpha_{0ct}, \alpha_{1ct}$ we assume that there exists a Nash equilibrium in θ_t across the chains so that we can define $\theta_{ct}(\alpha_{0t}, \alpha_{1t}, \beta) \in [0, 1]$ that solves for all c :

$$\theta_{ct}^* = \arg \max_{0 \leq \theta_{ct} \leq 1} \pi_{ct}(m_{0ct}, m_{1ct}, \theta_{-ct}^*, \theta_{ct}, \alpha_{0ct}, \alpha_{1ct}, \beta) \quad (4.5)$$

with $\pi_{ct}(m_{0ct}, m_{1ct}, \theta_t, \alpha_{0ct}, \alpha_{1ct}, \beta) \equiv m_{0ct} s_{0ct}(\theta_t, \alpha_{0ct}, \alpha_{1ct}, \beta) + m_{1ct} s_{1ct}(\theta_t, \alpha_{0ct}, \alpha_{1ct}, \beta)$.¹²

For each pharmacy chain c , the profit function π_{ct} is continuous in all θ_{ct} , the best response of each chain is well defined, and we only require best response functions to cross. We will assume this is the case, which can be verified empirically. $\theta_{ct}(\alpha_{0t}, \alpha_{1t}, \beta) \in [0, 1]$ are continuous in all $\alpha_{0ct}, \alpha_{1ct}$ because $\pi_{ct}(\theta_t, \alpha_{0ct}, \alpha_{1ct}, \beta)$ is continuous in all θ_{ct} that belong to $[0, 1]$. Then, assuming that the image of $[0, 1]^C$ by $\theta_t(\alpha_{0t}(\cdot, \beta), \alpha_{1t}(\cdot, \beta), \beta)$ is $[0, 1]^C$, we can use Brouwer's fixed-point theorem and obtain that there is a vector θ_t that is solution of

$$\theta_t(\alpha_{0t}(\theta_t, \beta), \alpha_{1t}(\theta_t, \beta), \beta) = \theta_t$$

This proves that there is a vector $(\alpha_{0t}(\hat{s}_t, \mathbf{m}_{0t}, \mathbf{m}_{1t}, \beta), \alpha_{1t}(\hat{s}_t, \mathbf{m}_{0t}, \mathbf{m}_{1t}, \beta), \theta_t(\hat{s}_t, \mathbf{m}_{0t}, \mathbf{m}_{1t}, \beta))$ solution of (4.4) and (4.5). At this step, we can search for the possibility of multiple solutions over the support of θ , which has the advantage of being bounded below and above.¹³

Outer loop maximizing the likelihood in β : We then maximize in β the likelihood function

$$L_i(\beta; \hat{s}_t, \mathbf{m}_{0t}, \mathbf{m}_{1t}) = L_i(\beta; \alpha_{0t}(\hat{s}_t, \mathbf{m}_{0t}, \mathbf{m}_{1t}, \beta), \alpha_{1t}(\hat{s}_t, \mathbf{m}_{0t}, \mathbf{m}_{1t}, \beta), \theta_t(\hat{s}_t, \mathbf{m}_{0t}, \mathbf{m}_{1t}, \beta)) \quad (4.6)$$

¹²We do not need to assume unicity, and we numerically search for possible multiple equilibria.

¹³We provide details about our numerical procedure corresponding to the inner loop algorithm in the online appendix 8.6.

The estimation routine is a nested fixed-point algorithm, where we solve for the parameters $\alpha_{0t}(\beta)$, $\alpha_{1t}(\beta)$ and $\theta_t(\beta)$ conditional on the current value of β in the inner loop, while searching for the parameter vector β that maximizes the log likelihood in the outer loop.

These optimal choices of θ_{ct} mean that they can be expressed as functions of the vector of margins or wholesale prices, $\theta_{ct}^*(\mathbf{m}_{0t}, \mathbf{m}_{1t})$ or $\theta_{ct}^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$, in addition to being functions of the mean utility parameters α_{jct} and the vector β . The identification of the demand model is given by the properties of the likelihood (4.3) but does not want to rely on its functional form with the assumption that margins $(\mathbf{m}_{0t}, \mathbf{m}_{1t})$ (or equivalently wholesale prices $(\mathbf{w}_{0t}, \mathbf{w}_{1t})$) vary independently of preferences $(\alpha_{0t}, \alpha_{1t})$. We could allow the heterogeneity of preferences (4.2) to be time-varying provided that we also assume that the variability of margins $(\mathbf{m}_{0t}, \mathbf{m}_{1t})$ is independent of the varying heterogeneity of preferences. We do not do so for simplicity and because of the already large time flexibility introduced by the mean preferences $(\alpha_{0t}, \alpha_{1t})$. Then, observing individual choice variation across choice occasions gives us considerable identifying power with respect to mean preferences α_{0t} , α_{1t} , as individuals have time-invariant heterogeneity of preferences.

Even if there are many parameters since we have $(\alpha_{0ct}, \alpha_{1ct}, \theta_{ct})$ for each chain-market combination, by utilizing the fact that these parameters are common across consumers within each chain-market, they can be solved for by a simpler root-finding algorithm, conditional on the parameter vector β . The intuition is that within each market t , these parameters can be set such that observed market shares are equal to predicted aggregate shares and such that the conditions for chain profit maximization hold.

Finally, we note that the corner solutions of $\theta_{ct}(\beta) = 1$ allow some independent variation of the likelihood in parameters β not coming from the changes in θ_{ct} driven by β when θ_{ct} is interior. This intuitively allows us to separately identify the effect of preferences from the effect of choice sets. Intuitively, θ_{ct} will be equal to one when the margins for each version of the drug are sufficiently similar given the region of preference parameters β , and the individual choices will vary only because of preferences.

4.3.2 Identifying Bargaining in the Supply-Side Model

We now use the vertical structure competition game developed in section 3.3 to identify the supply-side parameters of the model. The objective is to identify all the bargaining parameters b_{0c} and b_{1c} respectively for the parallel importer and the manufacturer negotiation with each pharmacy chain c .

The optimality conditions (3.5) and (3.7) of the bargaining game between the manufacturer or the parallel importer and pharmacy chains relate demand and bargaining parameters to the source country opportunity costs of drugs for the parallel importer (\mathbf{p}_{0t}^I) and the manufacturer (\mathbf{p}_{1t}^I). We note that all $p_{0ct}^{I(c)}$ and $p_{1t}^{I(c)}$ can be different because of the costs related to packaging and extra logistics when importing from source countries and the pricing between the manufacturer, the source-country wholesaler and the parallel importer.

We assume that parallel importers' costs ($\mathbf{p}_{0t}^I = (p_{01t}^{I(1)}, \dots, p_{0Ct}^{I(C)})$) and the source countries' wholesale prices of the manufacturer ($\mathbf{p}_{1t}^I = (p_{1t}^{I(1)}, \dots, p_{1t}^{I(C)})$) are functions of observables X_t , such as the wholesale prices in the source countries, company-fixed effects for the manufacturer or parallel importer, and interactions with source country prices¹⁴. With \mathbf{p}_{0t}^I and \mathbf{p}_{1t}^I from the optimal bargaining equations (3.4) and (3.6), stacked in the vector $\mathbf{p}_t^I = (\mathbf{p}_{0t}^I, \mathbf{p}_{1t}^I)$ for each market t , we specify

$$\mathbf{p}_t^I(\mathbf{b}) = X_t\eta + \epsilon_t,$$

where \mathbf{b} is the vector of bargaining parameters $\mathbf{b} = (b_{01}, \dots, b_{0C}, b_{11}, \dots, b_{1C})$.

Then, we assume that we observe instrumental variables Z_t such that $E[\epsilon_t|Z_t] = 0$ and identify the parameter vector (η, \mathbf{b}) using the moment condition $E[\epsilon(\eta, \mathbf{b})|Z] = 0$. Our instrumental variables Z_t include exchange rate shocks between NOK and the US dollar and Euro, in addition to the price ceiling \bar{p}_t , indicators for pharmacy chain identity, and interactions. We use the sample analogs of moment conditions $E[Z'\epsilon(\eta, \mathbf{b})] = 0$, with a weighting matrix W such that our GMM estimator is

$$(\hat{\eta}, \hat{\mathbf{b}}) = \arg \min_{\eta, \mathbf{b}} \epsilon(\eta, \mathbf{b})' ZWZ' \epsilon(\eta, \mathbf{b}). \quad (4.7)$$

The intuition for identifying the bargaining parameters in light of the instrument set is that pharmacy chain identity should be informative about the overall bargaining strength of the chain while being plausibly uncorrelated with unobserved determinants of costs related to parallel trade. We thus preclude the possibility that sorting of parallel importers across pharmacy chains is related to the costs of parallel trade.¹⁵ In addition, the price ceiling affects sales revenues for a given product, with a potentially differential impact on the total net value of agreement in the different pharmacy chains due to differences in the response of demand and other chains' strategies (θ_{ct}) in the event of a disagreement. Thus, the interactions between pharmacy chain indicators and the price ceiling can help identify the bargaining parameters because the equilibrium effect of changes in net values of agreement depends on the bargaining parameters. The necessary assumption for the price ceiling to be valid instruments is that it is uncorrelated with ϵ_t , conditional on the wholesale prices in other countries included in X_t ¹⁶.

¹⁴We use not only the wholesale prices in the source countries France and the UK but also those in Germany, Italy, Spain, Turkey, France, the UK and the US, which will be informative about the price at which parallel traders acquire the drugs and what the manufacturer earns on parallel trade.

¹⁵The costs here are interpretable as both the total costs of parallel traders, e.g., procurement and handling, sales value in the source country and differences in import costs between Norway and the source country.

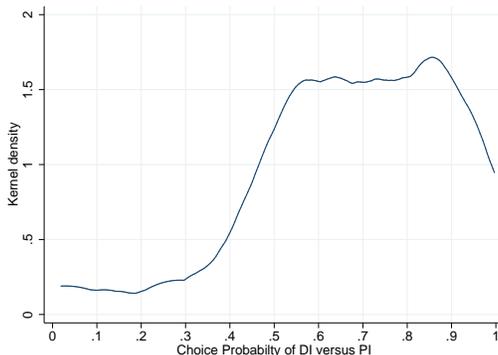
¹⁶It is possible that the price ceiling—as a function of prices in several other countries, as described in Section 2.1—is correlated with the unobserved determinants of parallel trade costs. The UK is the only source country in our sample that is also in the reference countries for regulatory price ceilings but robustness checks shows that not using UK prices gives similar results .

4.4 Estimation Results of the Structural Model

As our data contain a very large amount of choices, we draw a random sample of 50,000 individuals from the full sample for estimating the individual choice model. We also restrict our attention to the markets for the 40 and 80 mg versions, as parallel imports only entered late in our period of analysis for the 10 and 20 mg strengths, so we do not have sufficient data for a careful estimation.

Demand Estimates The maximum simulated likelihood estimates of the demand model are presented in Tables 4.3 and 4.4. Table 4.3 presents the preference parameters except all the mean parameters α_{jct} . The mean utility preferences of baseline group ($g = 0$) are normalized to zero. The statistical and economic significance of parameters governing preferences of unobserved discrete groups shows that the finite mixture of normal specification of preferences is better than a simple random coefficient distribution of preference. Moreover, it shows a pattern in which each group has a stronger relative preference for each of the pharmacy chains, which can be interpreted by the many unobserved factors—such as travel distance or chain-store preference—that would matter in consumers choices. All λ_c parameters are in the (0,1) interval as should be the case. With our estimates, we can simulate the average probability that an individual would choose direct imports versus parallel imports if free to choose. Figure 4.3 presents the distribution of this probability across markets (dosage-months), clearly showing the average preferences of consumers for direct imports.

Figure 4.3: *Distribution across markets of probability to choose any DI versus any PI*



Note: Probability to choose direct versus parallel imports if free to choose across the three chains and predicted from demand parameters estimates and averaged across latent groups.

Table 4.4 presents the distribution of the estimates of the chain-market specific choice set probabilities θ . These estimates show that θ varies across markets and chains and are on average between 0.58 and 0.82 for the 40 mg market and between 0.39 and 0.67 for the 80 mg one. The estimates also show that there are many corner solutions for which θ is equal to one, meaning that both parallel imports and direct imports are always proposed by that chain in a given market (dosage-month combination). The median and 25% and 75% quantiles show that for some years, more than half of market-chains have $\theta_{ct} = 1$. Looking at chains'

Table 4.3: *Parameter estimates for consumer choice model with supply constraints*

Latent groups	$g = 0$	$g = 1$	$g = 2$	$g = 3$
τ_g	0.07 –	0.26 (0.00)	0.29 (0.00)	0.38 (0.00)
Drug version specific taste ($\delta_j^g + \sigma_j^g \nu_i^j$)				
δ_0^g	0.00 –	0.53 (0.04)	–0.35 (0.04)	–0.39 (0.04)
σ_0^g	0.22 (0.13)	0.02 (0.83)	0.98 (0.01)	0.81 (0.02)
Chain specific taste ($\delta_c^g + \sigma_c^g \nu_i^c$)				
δ_2^g	0.00 –	4.09 (0.03)	1.94 (0.05)	–4.30 (0.11)
δ_3^g	0.00 –	–0.97 (0.12)	6.46 (0.07)	–3.80 (0.10)
σ_2^g	3.01 (0.13)	6.50 (0.23)	7.96 (0.10)	2.67 (0.13)
σ_3^g	2.75 (0.16)	3.27 (0.13)	3.59 (0.07)	2.52 (0.13)
$\lambda_1, \lambda_2, \lambda_3$	0.32, 0.54, 0.54 (0.01), (0.01), (0.01)			
$\ln \mathcal{L}(\hat{\beta})$	–168,093			
N	50,000			

Note: one observation is a choice sequence of transactions by an individual. Standard errors in parentheses. The drug version specific taste is for parallel imports, and the reference is for direct imports. All $\alpha_{0ct}, \alpha_{1ct}$ jointly estimated are not shown, whereas $\theta_{0ct}, \theta_{1ct}$ are presented in Table 4.4.

behavior, chain 1 performs significant foreclosure of direct imports in 2004, whereas chain 2 never does, and chain 3 does moderately for the market for the 40 mg dosage. In 2005, the picture is similar for the 40 mg market, with a bit less foreclosure of direct imports by chain 1, but on the 80 mg market, chains 2 and 3 start engaging in some foreclosure. In 2006, chain 2 starts performing foreclosure on the 40 mg market but still does not do so on the 80 mg market. Chain 1 continues quite substantial foreclosure in 2006 and 2007, whereas chain 3 does less in 2006 but a bit more in 2007. The fact that the chains have different strategies in θ_{ct} can be explained by the fact that they have different margins and possibly different tastes by consumers (α_{kct}) which are unrestricted and can depend on geographic location of stores (for example). In the case of 40 mg dosage, chain 1 indeed has wholesale margins for parallel imports, which are on average 0.39 NOK higher than for direct imports while for chain 2 it is 0.21 NOK and for chain 3 it is 0.16 NOK. For the 80 mg dosage, chain 1 indeed has wholesale margins for parallel imports that are on average 0.06 NOK higher than for direct imports while for chain 2 it is 0.04 NOK and for chain 3 it is 0.06 NOK. There is variation over time, but these averages are consistent with the fact that chains have different strategies. Of course, margins are endogenously determined, and our model also allows us to rationalize the margins determination with

bargaining over wholesale price with the parallel traders and the manufacturer. The equilibrium margins depend on consumers' preferences (α_{kct}), the bargaining parameters and the shocks in source countries' wholesale prices. We also report the mean across chains and markets of the estimated standard errors of θ_{ct} , which show that they are precisely estimated.

Table 4.4: *Foreclosure parameter estimates θ_{ct}*

Strength		40mg			80mg			
Chain	Year	2004	2005	2006	2004	2005	2006	2007
1	Mean	0.008	0.522	0.404	0.037	0.041	0.016	0.358
	25% percentile	0.006	0.081	0.004	0.007	0.007	0.006	0.005
	Median	0.007	0.632	0.012	0.020	0.010	0.011	0.106
	75% percentile	0.010	0.880	1.000	0.035	0.020	0.024	0.858
	Mean std. err.	(0.180)	(0.346)	(0.105)	(0.263)	(0.055)	(0.148)	(0.203)
2	Mean	1.000	1.000	0.437	1.000	0.839	1.000	1.000
	25% percentile	1.000	1.000	0.018	1.000	0.979	1.000	1.000
	Median	1.000	1.000	0.152	1.000	1.000	1.000	1.000
	75% percentile	1.000	1.000	1.000	1.000	1.000	1.000	1.000
	Mean std. err.	(0.234)	(0.052)	(0.182)	(0.111)	(0.143)	(0.041)	(0.042)
3	Mean	0.756	0.962	1.000	1.000	0.302	0.847	0.502
	25% percentile	0.438	1.000	1.000	1.000	0.035	1.000	0.208
	Median	1.000	1.000	1.000	1.000	0.055	1.000	0.308
	75% percentile	1.000	1.000	1.000	1.000	0.414	1.000	1.000
	Mean std. err.	(0.062)	(0.147)	(0.052)	(0.347)	(0.155)	(0.310)	(0.333)
All chains	Mean	0.588	0.828	0.613	0.679	0.394	0.621	0.62
	25% percentile	0.010	0.835	0.015	0.042	0.016	0.029	0.20
	Median	1.000	1.000	1.000	1.000	0.064	1.000	1.00
	75% percentile	1.000	1.000	1.000	1.000	1.000	1.000	1.00
	Mean std. err.	(0.159)	(0.182)	(0.113)	(0.240)	(0.118)	(0.166)	(0.193)

Note: The last row of each panel estimates lists the mean across markets of estimated standard errors of θ_{ct} . The standard errors of each θ_{ct} are obtained using their censored normal asymptotic distributions, as described in Appendix 8.5.

Bargaining Model Estimates The estimates of the bargaining parameters in Table 4.5 follow the method presented in Section 4.3.2, using the demand model estimates of Tables 4.3 and 4.4. Note that the constraint that bargaining parameters should be between 0 and 1 is not imposed in our estimation. The GMM estimates of equation (4.7) are obtained using the Lipitor wholesale price in the UK and the Czech Republic converted to NOK per DDD, both interacted with an indicator for parallel imports as explanatory variables X_t , and instruments Z_t that (in addition) include excluded variables such as indicators for chain identity and upstream firm type (parallel trader versus manufacturer), exchange rates NOK/\$US, NOK/€, NOK/CZK, interactions of exchange rates with indicators for parallel trade and the inclusive value of the upstream firm interacted with upstream firm type. The inclusive value of upstream firm is the (average) log-sum of exponential utility for each upstream firm in the market. This instrument is derived from the demand model, and measures of how “valuable” the firm’s presence is to consumers in the market. Gowrisankaran et al. (2015) use this type of

instrument, namely, a “predicted willingness-to-pay for the hospital” when estimating the bargaining weights between hospitals and Managed Care Organizations in the US. In our case, these inclusive values measure the willingness of customers to pay for parallel imports or direct imports; they are estimated using the consumer choice model and can explain why the manufacturer or parallel importer may be able to negotiate better wholesale prices with the pharmacy chain, thus serving to identify bargaining weights.

Table 4.5: *Bargaining parameter estimates (GMM)*

	Manufacturer b_{1c}	Parallel Importer b_{0c}
Pharmacy Chain 1	0.95 (0.02)	0.50 (0.38)
Pharmacy Chain 2	0.55 (0.12)	0.26 (0.41)
Pharmacy Chain 3	0.67 (0.14)	0.32 (0.36)

Note: Standard errors in parenthesis. Estimates of GMM equation (4.7), where X_t includes UK and Czech Republic Lipitor wholesale price interacted with indicator for parallel imports and excluded instruments in Z_t are exchange rates NOK/\$US, NOK/€, NOK/CZK interacted with indicator for parallel trade and the inclusive value of the upstream supplier interacted with upstream supplier type (DI or PI).

From these estimates, we can see that (perhaps unsurprisingly) the parallel importers on average wield a smaller bargaining weight than the manufacturer. Pharmacy retailers, which are concentrated in Norway, constitute an important gatekeeper for parallel trade companies that want to export to Norway. Among the three pharmaceutical retailing chains, chain 2 is the international company Boots that retails drugs in a few other European countries such as the UK, Ireland, the Netherlands, but is absent in France and other southern Europe countries that are typically source countries for parallel trade. It is thus unlikely that international retail pharmacists like Boots can influence parallel trade bargaining because of their presence in source countries. However, the fact that Boots also resells Pfizer products in the UK in addition to Norway can have some effect in their bargaining power with respect to the manufacturer. Taking this as given may explain why chain 2 (Boots) has the higher bargaining parameter with respect to the manufacturer while it does not have the highest market share in Norway.

We also use the Nash-bargaining equation (7.4) shown in appendix 7.2 for one of the main source countries (France) to identify the marginal cost of production c_t . Indeed, since aggregate demand (adding PI and DI) is constant in Norway, the cost of production is immaterial to the change in manufacturer profit in Norway and the marginal cost c_t is indeed absent from the Norwegian Nash-in-Nash equilibrium conditions. Details on demand estimates in France, which is an important source country for Lipitor in Norway, are provided in the online appendix 8.10.

5 Counterfactual Simulations

Using our estimated model, we study several counterfactual policies. The first counterfactual of interest investigates the effect of parallel trade on firms' profits and consumer welfare by comparing the current situation with the counterfactual equilibrium where parallel trade is absent. Then, we consider a hypothetical regulation of pharmacies that would remove their possibility to foreclose the choice of direct imports to consumers. Finally, we implement a counterfactual in which we also decrease the retail price of Lipitor by 20%. In the last two counterfactuals, we take into account non-negative profit conditions for parallel traders, allowing exit but not entry as this is unlikely to happen given that we model counterfactuals where parallel traders are in general worse off. Both a ban on direct import foreclosure and a retail price decrease in Norway tend to reduce parallel trade. Entry of new parallel traders would be more likely if we were modeling the effects of a price increase in Norway or a policy change which would reduce the price in one of the source countries.

5.1 The Impact of Parallel Trade

We simulate a counterfactual situation in which parallel imports are banned, and direct imports therefore capture all demand. As observed retail prices are equal to the regulated price ceilings even when parallel imports are present, retail prices will necessarily be equal to the regulated price ceilings when only direct imports are allowed. Then, consumers will simply choose their preferred pharmacy chain. In such a case, the aggregate counterfactual market share of direct imports sold by chain c is

$$s_{1ct_{noPI}} = \int \frac{e^{V_{i1ct}}}{\sum_c e^{V_{i1ct}}} dF(\boldsymbol{\nu}_i | \boldsymbol{\beta}), \quad (5.1)$$

which is equal to the market share of chain c in the absence of parallel imports. Once the counterfactual demand is known, we determine the counterfactual wholesale prices to compute profits. When parallel importers are absent, a pharmacy chain gets zero profits in case of disagreement with the manufacturer. In case of agreement, chain profits only depend on direct imports with $\pi_{ct_{noPI}} = (\bar{p}_t - w_{1ct})s_{1ct_{noPI}}$. For the manufacturer, profits are given by $\Pi_{t_{noPI}}(\mathbf{w}_{1t}) = \sum_c (w_{1ct} - c_t)s_{1ct_{noPI}}$.

Without parallel imports, if the manufacturer disagrees with a chain, consumers only options are direct imports sold by other chains. If all consumers still purchase the drug, the manufacturer will still obtain margins on all units demanded. The manufacturer has an incentive to set all wholesale prices equal to the retail price ceiling $w_{1ct} = \bar{p}_t$ because there is no loss from disagreeing with any chain, i.e., $\Pi_{t_{noPI}} - \Pi_{-c,t_{noPI}} = 0$. In this case, the full market revenue is captured by the manufacturer, with pharmacy chains obtaining zero profits, as if there was vertical integration.

However, this main scenario can be thought of as an upper bound on what the manufacturer can obtain. If demand for direct imports in a chain is lost in the case of disagreement with the chain, then the Nash bargaining between the manufacturer and any chain c leads to the simple wholesale price

$$w_{1ct_{noPI}} = b_{1c}\bar{p}_t + (1 - b_{1c})c_t. \quad (5.2)$$

Though this scenario is unlikely, it provides a lower bound on the counterfactual profit of the manufacturer.

Table 5.1: *Impact of removing parallel imports of Atorvastatin*

	Δq_0	Δq_1	Integration $w_{1ct} = \bar{p}_t$ $\Delta\pi$	Bargaining $w_{1ct} = b_{1c}\bar{p}_t + (1 - b_{1c})c_t$ Δw_1	$\Delta\pi$
Pharmacy Chain 1	-12.56 -100%	14.68 435%	-13.75 -100%	0.35 17%	-5.51 -40%
Pharmacy Chain 2	-5.11 -100%	4.05 100%	-7.86 -100%	0.21 10%	-2.89 -37%
Pharmacy Chain 3	-6.32 -100%	5.25 217%	-7.58 -100%	0.26 13%	-3.19 -42%
			$\Delta\Pi$		$\Delta\Pi$
Manufacturer		23.99 243%	28.56 104%	0.27 13%	10.94 40%
Parallel	-23.99 -100%		-1.13 -100%		-1.13 -100%
Manufacturer on French market			-2.72 -1.36%		-2.72 -1.36%
Other statins profit on French market			-5.04 -1.31%		-5.04 -1.31%

Note: Quantities are in millions of DDD per year. Prices are in NOK, and profits are in millions of NOK per year.

Table 5.1 presents the counterfactual changes in quantities (Δq), wholesale prices of direct imports (Δw_1) and profits ($\Delta\pi$ and $\Delta\Pi$) from the observed equilibrium to the counterfactual case without parallel trade. The demand changes when parallel imports are banned are identified using (5.1).

Removing parallel imports implies that aggregate demand switches to direct imports and is redistributed across the three chains so that chain 1 sells more Lipitor than before the ban while chains 2 and 3 sell less as there is less substitution towards direct imports than the initial parallel imports sold within these chains (the aggregate quantity sold by each chain, $\Delta q_1 + \Delta q_0$, being positive only for chain 1). The change in profits would favor the upstream manufacturer and penalize pharmacy chains. Pharmacy chains cannot use intra-brand competition between parallel and direct imports to extract part of manufacturers profits. The total profit of the manufacturer would increase by 28.56 million NOK per year if the manufacturer set

wholesale price to the maximum reimbursement price and to a minimum of 10.94 NOK per year if the retailer keep some bargaining power. The parallel trader would disappear (losing their 1.13 million yearly profit) and pharmacy chains would lose significantly. Chain 1 loses much more than the others because they must accept a much higher increase in wholesale price. The differences across chains are due to the fact that they do not use the same amount of parallel imports and thus, when banning parallel imports, the effect is more or less strong. Chain 1 had considerably stronger incentives to foreclose direct imports, leading to both higher share of parallel imports and lower bargained wholesale prices, such that the increase in the wholesale price of DI with a ban on PI is larger.

Table 5.1 also shows the change in profit for the manufacturer and for other statin producers in the source country France. Solving for the bargaining outcome between the manufacturer and French regulator, we find that price would decrease leading to a reduction in profit of 2.72 million NOK per year, or less than 2% of the estimated profit on the French market. Other statins producers would lose approximately twice this amount due to tougher competition from Lipitor. This is small compared to the gain in Norway. The fact that the price decreases shows that the existence of parallel trade puts upward pressure on prices in France. The counterfactual outcome in France absent parallel trade does not depend on the wholesale prices in Norway, and is therefore the same when Norwegian wholesale prices are high—equal to the maximum retail reimbursement price—or low.

This counterfactual shows that banning parallel imports would benefit the manufacturer and substantially reduce the profit of retail chains. We report details on consumer welfare effects in online appendix 8.12. Although many consumers gain because they prefer direct imports, effects are mixed since there is also a negative effect from variety loss. However, we do not consider consumer welfare effects as very important given the problem at hand where both products offer truly similar medical benefits.

5.2 The Impact of Direct Imports Foreclosure by Pharmacy Chains

We now consider a policy which, e.g., through regulation, would prevent pharmacies from foreclosing access to directly imported versions of drugs to consumers. Under such a policy, parallel imports are allowed and used by pharmacy chains, but pharmacies are not allowed to exclusively offer parallel imports to consumers. Inspection of pharmacies' offerings to consumers would easily allow such a regulation to be implemented. Our estimates show that among the chain-market combinations featuring parallel imports, the estimated θ varies significantly between zero and one but is less than one for 45% of chain-markets, meaning that the consumer will face a restricted choice set in those instances. The quantitative effect of setting θ equal to one on the pharmacy chain demand will depend on the preferences of consumers. Moreover, when the pharmacy chains are required to always offer both varieties, it will also have an effect on the bargained wholesale prices between

the upstream firms and the pharmacy chains. This implies that wholesale prices will generally increase, since there is no longer an incentive for the upstream firms to reduce wholesale prices to increase sales.

To simulate the counterfactual, we use the bargaining model of Section 3.3 with the estimated bargaining parameters, where counterfactual demand is obtained by requiring pharmacies to set $\theta_{ct} = 1$. When foreclosure is prevented, consumers can always choose between direct and parallel imports, and the pharmacist cannot affect demand. Therefore, the market share of each version and chain is exogenously given by preferences. To be more precise, when foreclosure is prevented, the counterfactual individual choice probabilities s_{ikct} are given by $s_{ikct} = s_{ict}s_{ikt|c}$, where the choice probability $s_{ikt|c}$ of version k of the drug conditional on pharmacy chain c is as before, but not the chain choice probability. The expected consumer utility of visiting pharmacy c is $E_{\epsilon_{ikct}} [\max_{k \in \{0,1\}} (V_{ikct} + \lambda_c \epsilon_{ikct})] = \lambda_c \ln \left(\sum_{k \in \{0,1\}} e^{V_{ikct}/\lambda_c} \right)$ such that the individual choice probability is:

$$s_{ikct} = \frac{\left(\sum_{k' \in \{0,1\}} e^{V_{ik'ct}/\lambda_c} \right)^{\lambda_c} e^{V_{ikct}/\lambda_c}}{\sum_{\tilde{c}} \left(\sum_{k' \in \{0,1\}} e^{V_{ik'ct}/\lambda_{\tilde{c}}} \right)^{\lambda_{\tilde{c}}} e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}}. \quad (5.3)$$

Aggregate demand is obtained by integrating over the estimated distribution of preferences of consumers.

We then solve for the bargaining outcomes between the manufacturer or parallel importer and the pharmacy chains by taking into account bargaining in the source country France (details are provided in the online appendix 8.9).

Table 5.2 shows the counterfactual results. First, preventing foreclosure of direct imports would raise total direct import sales by 9.27 million DDD per year (reducing sales of parallel imports by the same amount). The largest part of this substitution would occur at chain 1. Then, as wholesale prices increase, the three pharmacy chains lose profits, with losses from 6% at chain 2 to 11% at chain 1. We see that the manufacturer would gain from such a change, with an overall increase of revenue of 0.97 millions NOK per year. This increase occurs because there is no longer an element of competition for the upstream firm when bargaining over wholesale prices with the chains, such that the manufacturer wins both because of an increase in wholesale price of direct imports and substitution from parallel imports to direct imports. Pharmacy chains would lose more than the manufacturer earns because parallel importers would also slightly gain with this policy. This experiment shows that it would reduce the part of profits obtained by pharmacy chains at the expense of the original manufacturer, in addition to shifting some profits from pharmacy chains to the parallel traders. Finally, the profit of the manufacturer and other statin producers in the source country France would barely change as indicated in Table 5.2.

Table 5.2: *Impact of preventing parallel imports foreclosure ($\theta_{ct} = 1$) of Atorvastatin*

	Δq_0	Δq_1	Δw_0	Δw_1	$\Delta \pi$
Pharmacy Chain 1	-8.01 -64%	8.75 259%	0.09 5%	0.09 4%	-1.49 -11%
Pharmacy Chain 2	0.06 1%	-0.45 -11%	0.01 0%	0.02 1%	-0.50 -6%
Pharmacy Chain 3	-1.32 -21%	0.97 40%	0.02 1%	0.01 1%	-0.63 -8%
					$\Delta \Pi$
Manufacturer		9.26 94%		0.04 2%	0.97 4%
Parallel	-9.26 -39%		0.04 2%		0.50 44%
Manufacturer on French market					0.03 0.02%
Other statins profit on French market					0.08 0.02%

Note: Quantities are in millions of DDD per year. Prices are in NOK, and profits are in millions of NOK per year.

5.3 Decrease in the Price Ceiling

We now consider a reduction of retail prices \bar{p}_t by 20% under the assumption that foreclosure is also absent.¹⁷ In this counterfactual, as new wholesale prices may decrease substantially and parallel importers profits decrease, it is likely that participation constraints requiring positive profits may bind for parallel importers, leading them to exit from some markets.

Table 5.3 shows that the 20% reimbursement price reduction that decreases total drug expenses by the government by 20% has a much lower effect on the manufacturer than pharmacy chains. The 20% retail price decrease leads to a wholesale price decrease of direct imports of only 1% in chain 1, 9% in chain 2 and 4% in chain 3. The sales of direct imports increase substantially in chain 1, while total profits of the manufacturer decrease by 7% or an average of 2.03 million NOK per year. At the same time, total expenses decrease by 19.47 million NOK per year (20% of the total expenses in these markets). This shows that if the manufacturer ex ante negotiates the retail price ceiling \bar{p}_t for reimbursement with the Norwegian government, it could accept a 20% lower retail price with a lump sum transfer above 2.03 millions NOK per year from the government that would make both the manufacturer and the government (tax payers) better off. Moreover, the lower reimbursement price of Lipitor in Norway leads to a reduction in the price of Lipitor in the source country (France) of only 0.25% on average and a profit decrease of 0.16 million NOK (0.08% of the profit on the French market) for the manufacturer and a decrease of 0.26 million NOK per year for all other statin

¹⁷Preventing foreclosure in the counterfactuals where the retail price ceiling is lower simplifies simulations, although allowing pharmacists to use a foreclosure strategy does not change the results in any important ways.

Table 5.3: *Impact of reducing the price ceiling by 20% for Atorvastatin*

	Δq_0	Δq_1	Δw_0	Δw_1	$\Delta \pi$
Pharmacy Chain 1	-7.93 -63%	8.78 260%	-0.04 -2%	-0.02 -1%	-9.50 -69%
Pharmacy Chain 2	-0.27 -5%	-0.21 -5%	-0.46 -23%	-0.18 -9%	-3.70 -47%
Pharmacy Chain 3	-1.47 -23%	1.09 45%	-0.17 -8%	-0.08 -4%	-4.68 -62%
					$\Delta \Pi$
Manufacturer		9.67 98%		-0.09 -5%	-2.03 -7%
Parallel	-9.67 -40%		-0.22 -11%		-0.44 -39%
Manufacturer on French market					-0.16 -0.08%
Other statins profit on French market					-0.26 -0.07%

Note: quantities are in millions of DDD per year. Prices are in NOK, and profits are in millions of NOK per year.

producers in France. Other statin prices in France are also reduced, but only by roughly one tenth of the price reduction of Lipitor in France.

Robustness checks Dubois and Sæthre (2018) show the results when the reaction in France is not taken into account. In that case, parallel imports would decrease slightly more (in chain 1 and almost same in others) at the benefit of direct imports, and the manufacturer's profits would decrease by 1.92 million instead of 2.03 million. It shows that taking into account the price reaction in source countries when the Norwegian government sets a lower reimbursement price matters somewhat when evaluating the loss to the manufacturer.

With other retail price reduction amounts, the effects are qualitatively similar. With a 10% retail price reduction, for example, the effect on the manufacturer profit is even smaller, while most of the reduction in expenses is attributed to a reduction in pharmacy chain profits. Table 5.4 shows the changes in profits for different retail price reductions from 10 to 30%. As mentioned earlier, when performing these counterfactuals, we must also check that the price reduction still allows parallel importers to remain in the market. When the retail price is too small, some parallel importers will exit the market because their source cost corresponding to some wholesale price in a source country is too high compared to the maximum price allowed in Norway. In the case of a 20% price reduction, there are approximately 10% of chains-month combinations (20 cases) where the parallel importer exits. Of course, when some parallel trader stops working with a chain in a given market, it both reduces competition between chains and (marginally) benefits the manufacturer.

Table 5.4: *Impact of reducing the price ceiling of Atosvastatin (and preventing parallel imports foreclosure)*

Δp_t	−10%	−15%	−20%	−25%	−30%
$\Delta \pi_t$					
Pharmacy Chain 1	−5.38 −39%	−7.33 −53%	−9.50 −69%	−11.41 −83%	−13.22 −96%
Pharmacy Chain 2	−2.64 −34%	−3.35 −43%	−3.70 −47%	−4.32 −55%	−5.00 −64%
Pharmacy Chain 3	−2.70 −36%	−3.73 −49%	−4.67 −62%	−5.60 −74%	−6.48 −85%
$\Delta \Pi$					
Manufacturer	−0.19 −1%	−1.06 −4%	−2.04 −7%	−2.95 −11%	−4.15 −15%
Parallel	0.01 1%	−0.21 −19%	−0.44 −39%	−0.65 −58%	−0.85 −75%
Number of chain-market exits	2	8	20	32	43
Government spending change ($\Delta(p_t q_t)$)	−9.73	−14.60	−19.47	−24.33	−29.20
$\Delta(p_t q_t) - \Delta \Pi$	−9.55	−13.54	−17.42	−21.38	−25.05
Manufacturer on French market	−0.01	−0.08	−0.16	−0.18	−0.26
Other statins profit on French market	−0.02	−0.10	−0.26	−0.32	−0.50

Notes: The profits changes are in millions of NOK per year. Percentage are indicated below absolute changes. There are 77 markets (strength-month combinations) and thus 231 chain-market observations.

6 Conclusion

By investigating the incentives of pharmacy chains in selling parallel-traded drugs, we show that foreclosure of directly imported drugs is plausibly used by pharmacy chains to increase profits and bargaining position relative to the manufacturer. Pharmacy chains procure parallel imports at lower prices than direct imports and attempt to steer demand towards the parallel-imported versions of drugs. With retail prices constrained by regulation, pharmacy chains effectively introduce competition between upstream suppliers by distorting assortment. In our counterfactual simulations, we find that a lower retail price may not be very detrimental to the manufacturer, as it can reduce the presence of parallel imports, thus reducing opportunities for pharmacies to extract rents by using parallel imports.

The specific random foreclosure mechanism that we highlight—in which pharmacies can distort availability of drugs for which they have differing margins—has not been formalized in the previous literature, although pharmacists’ incentives have been mentioned as a plausible factor impacting sales of drugs for which substitution at the pharmacy level is available (see, e.g., Caves et al., 1991). The incentives to distort availability seem particularly important in many European countries, where price regulation is prevalent.

Furthermore, we show how to identify and estimate the consumer demand model with choice sets unobserved to the econometrician by modeling retailer incentives to choose the optimal set of product varieties.

In our case, this is achieved by using rich data regarding retail pharmacies' margins, in a setting where the retailer has clear incentives to partially foreclose access to less profitable products, even though it might reduce the retailer's attractiveness to consumers. The method can be useful for many other settings where strategic supply-side choice of product offerings can be modeled and taken into account when estimating demand.

We estimate our structural model for the atorvastatin market, showing that the original manufacturer could be better off accepting a lower reimbursement price combined with a lump sum transfer from the government when marketing in Norway. This transfer would be much less expensive than the additional reimbursement that the government spends under the higher observed prices. This finding shows that lower price discrimination across countries can make both the tax payer and private patent holder better off if accompanied by lump sum compensation to the original manufacturer who owns the patent. However, we do not model the optimal reimbursement price setting by the Norwegian government, which should take into account not only the consequences on international price setting given the possibility of parallel trade, but also the existence of substitute drugs on the market. Moreover, we also do not account for quantity constraints. Quantity shortages are unlikely to happen for an important statin product such as atorvastatin, and the European competition law prevents restriction of quantities for trade. However, European competition authorities started becoming less strict on this point, as they understood the problem of parallel imports, such that quantity restrictions on imports may become important in the future.

Our results also show that we should consider vertical relationships and market structure of pharmacy retailing in the debate on impact of parallel trade on long-term welfare. In fact, parallel trade can be considered a threat to third-degree price discrimination, which could result in a manufacturer only serving high-demand markets (Malueg and Schwartz, 1994). Danzon et al. (2005) already shows that launch delays are correlated with price regulation. However, Grossman and Lai (2008) also shows that parallel trade limits the ability of poorer countries to free ride on innovation incentives created in richer countries, which benefits everyone in the long run, even if free riding may benefit them in the short run. While free trade of goods remains a principle of the European Economic Area, it seems regulators are starting to understand the potential harm to exporting countries because of recent and possibly related drug shortages.¹⁸

The ability of regulators to trade off static and dynamic efficiency by responding optimally to the presence of parallel trade and determining price regulation, hinges on the ability of each country's regulator to fully incorporate the effect of price ceilings on innovation and politically trade off price levels and innovation in an optimal manner. Our results show that it may be important to also consider the structure and regulation of pharmaceutical retailing, as intermediate retailers may manage to extract a large part of the reward to

¹⁸“The EU Commission acknowledges that parallel trade in medicines may be one of the reasons for the occurrence of shortages of a number of medicinal products for human use.” Press release, May 2018.

innovators. We leave for future research the study of optimal price regulation across countries when parallel trade and strategic pharmacies interact with pharmaceutical industry manufacturers.

References

- ACEMOGLU, D. AND J. LINN (2004): “Market Size in Innovation: Theory and Evidence from the Pharmaceutical Industry.” *Quarterly Journal of Economics*, 119, 1049–1090.
- BERRY, S. (1994): “Estimating discrete-choice models of product differentiation,” *The RAND Journal of Economics*, 25, 242–262.
- BERRY, S., J. LEVINSOHN, AND A. PAKES (1995): “Automobile prices in market equilibrium,” *Econometrica*, 63, 841–890.
- BREKKE, KURT R., T. H. H. AND O. R. STRAUME (2013): “Margins and market shares: Pharmacy incentives for generic substitution,” *European Economic Review*, 61, 116–131.
- (2015): “Price Regulation and Parallel Imports of Pharmaceuticals,” *Journal of Public Economics*, 129, 92–105.
- BRONNENBERG, B. J., J.-P. DUBÉ, M. GENTZKOW, AND J. SHAPIRO (2015): “Do Pharmacists Buy Bayer? Sophisticated Shoppers and the Brand Premium,” *Quarterly Journal of Economics*, 130, 1669 – 1726.
- CAVES, R., M. WHINSTON, M. HURWITZ, A. PAKES, AND P. TEMIN (1991): “Patent expiration, entry, and competition in the US pharmaceutical industry,” *Brookings papers on economic activity. Microeconomics*, 1991, 1–66.
- CONLON, C. AND J. H. MORTIMER (2013): “Demand estimation under incomplete product availability,” *American Economic Journal-Microeconomics*, 5, 1–30.
- COSTA-FONT, J. (2016): “Is medicines parallel trade regulatory arbitrage?” *International Journal of Health Care Finance and Economics*, 16, 321 – 336.
- CRAWFORD, G., R. GRIFFITH, AND A. IARIA (2017): “Preference Estimation with Unobserved Choice Set Heterogeneity Using Sufficient Sets,” *CEPR Discussion Paper 11675*.
- CRAWFORD, G., R. LEE, M. WHINSTON, AND A. YURUKOGLU (2018): “The Welfare Effects of Vertical Integration in Multichannel Television Markets,” *Econometrica*, 3, 891 – 954.
- CRAWFORD, G. S. AND A. YURUKOGLU (2012): “The Welfare Effects of Bundling in Multichannel Television Markets,” *American Economic Review*, 102, 643–85.
- DANZON, P. AND L. CHAO (2000): “Cross-National Price Differences for Pharmaceuticals: How Large and Why?” *Journal of Health Economics*, 19, 159–195.
- DANZON, P., Y. R. WANG, AND L. WANG (2005): “The Impact of Price Regulation on the Launch Delay of New Drugs – Evidence from Twenty-Five Major Markets in the 1990s,” *Health Economics*, 14, 269–292.
- DRAGANSKA, M., M. MAZZEO, AND K. SEIM (2009): “Beyond plain vanilla: Modeling joint product assortment and pricing decisions,” *Quantitative Marketing and Economics*, 7, 105–146.
- DUBOIS, P., O. DE MOUZON, F. SCOTT-MORTON, AND P. SEABRIGHT (2015): “Market size and pharmaceutical innovation,” *Rand Journal of Economics*, 46, 844–871.
- DUBOIS, P. AND L. LASIO (2018): “Identifying Industry Margins with Price Constraints: Structural Estimation on Pharmaceuticals,” *American Economic Review*, 12, 3685–3724.
- DUBOIS, P. AND M. SÆTHRE (2018): “On the Effect of Parallel Trade on Manufacturers’ and Retailers’ Profits in the Pharmaceutical Sector,” *CEPR Discussion Paper 12649*, 1–64.

- DUSO, T., A. HERR, AND M. SUPLIET (2014): “The Welfare Impact of Parallel Imports: A Structural Approach Applied to the German Market for Oral Anti-diabetics,” *Health Economics*, 23, 1036–1057.
- GANSLANDT, M. AND K. E. MASKUS (2004): “Parallel imports and the pricing of pharmaceutical products: evidence from the European Union,” *Journal of Health Economics*, 23, 1035 – 1057.
- GAYNOR, M., C. PROPPER, AND S. SEILER (2016): “Free to Choose? Reform, Choice, and Consideration Sets in the English National Health Service,” *American Economic Review*, 106, 3521–57.
- GOEREE, M. S. (2008): “Limited Information and Advertising in the U.S. Personal Computer Industry,” *Econometrica*, 76, 1017–1074.
- GOWRISANKARAN, G., A. NEVO, AND R. TOWN (2015): “Mergers When Prices are Negotiated: Evidence from the Hospital Industry,” *American Economic Review*, 105, 172–203.
- GRENNAN, M. (2013): “Price Discrimination and Bargaining: Empirical Evidence from Medical Devices,” *American Economic Review*, 103, 145–177.
- GROSSMAN, G. M. AND E. L.-C. LAI (2008): “Parallel Imports and Price Controls,” *The RAND Journal of Economics*, 39, 378 – 402.
- HO, K. AND R. LEE (2017): “Insurer Competition in Health Care Markets,” *Econometrica*, 85, 379–417.
- (2019): “Equilibrium Insurer-Provider Networks: Bargaining and Exclusion in Health Care Markets,” *American Economic Review*, 109, 473–522.
- HORN, H. AND A. WOLINSKY (1988): “Bilateral Monopolies and Incentives for Merger,” *The RAND Journal of Economics*, 19, 408 – 419.
- IZUKA, T. (2013): “Physician Agency and Adoption of Generic Pharmaceuticals,” *American Economic Review*, 102, 2826–2858.
- JUDD, K. L. (1998): *Numerical Methods in Economics*, vol. 1 of *MIT Press Books*, The MIT Press.
- KANAVOS, P., J. COSTA-FONT, S. MERKUR, AND M. GEMMILL (2004): *The economic impact of pharmaceutical parallel trade in European Union member states: A stakeholder analysis*, London School of Economics and Political Science London.
- KANAVOS, P., J. COSTA-FONT, AND E. SEELEY (2008): “Competition in off-patent drug markets: Issues, regulation and evidence,” *Economic Policy*, 23, 499–544.
- KANAVOS, P. AND S. VANDOROS (2010): “Competition in prescription drug markets: is parallel trade the answer?” *Managerial and Decision Economics*, 31, 325–338.
- KYLE, M. (2009): *Parallel Trade in Pharmaceuticals: Firm Responses and Competition Policy*, Chapter 13 in *International Antitrust Law & Policy: Fordham Competition Law 2009*, edited by Barry Hawk (Juris Publishing, New York).
- KYLE, M. K. (2007): “Pharmaceutical Price Controls and Entry Strategies,” *The Review of Economics and Statistics*, 89, 88–99.
- (2011): “Strategic responses to parallel trade,” *The BE Journal of Economic Analysis & Policy*, 11, 1–32.
- MAINI, L. AND F. PAMMOLLI (2019): “Reference Pricing as a Deterrent to Entry: Evidence from the European Pharmaceutical Market,” *mimeo*.
- MALUEG, D. A. AND M. SCHWARTZ (1994): “Parallel imports, demand dispersion, and international price discrimination,” *Journal of International Economics*, 37, 167 – 195.
- MORAGA-GONZALEZ, J., Z. SANDOR, AND M. WILDENBEST (2018): “Consumer search and prices in the automobile market,” *Working Paper*.

SAKSHAUG, S., K. FURU, Ø. KARLSTAD, M. RØNNING, AND S. SKURTVEIT (2007): “Switching statins in Norway after new reimbursement policy – a nationwide prescription study,” *British Journal of Clinical Pharmacology*, 64, 476–481.

TUNCEL, T. (2018): “Should Off-Label Drug Prescriptions be Prevented? Empirical Evidence from France,” *Working Paper, HEC Montreal*.

7 Appendix

7.1 Pharmacy chains behavior proofs

When the pharmacy chain procures the drug from both direct and parallel imports, both margins m_{0ct} and m_{1ct} must be positive and necessary first-order conditions for an interior solution of θ 's are

$$0 = \frac{\partial \pi_{ct}}{\partial \theta_{ct}^0} = \frac{\partial \pi_{ct}}{\partial \theta_{ct}^1}.$$

For θ_{ct}^0 , the first order condition is (the equivalent condition for θ_{ct}^1 is not shown):

$$0 = \sum_k m_{kct} \frac{\partial s_{kct}}{\partial \theta_{ct}^0} = \int \sum_k m_{kct} \left[\underbrace{\frac{\partial s_{ikt|c}}{\partial \theta_{ct}^0}}_{\substack{\text{change in} \\ \text{probability to} \\ \text{choose } k \text{ in } c}} \underbrace{s_{ict}}_{\substack{\text{probability} \\ \text{to choose} \\ \text{chain } c}} + \underbrace{s_{ikt|c}}_{\substack{\text{probability} \\ \text{to choose } k \\ \text{in chain } c}} \underbrace{\frac{\partial s_{ict}}{\partial \theta_{ct}^0}}_{\substack{\text{change in} \\ \text{probability to} \\ \text{choose chain } c}} \right] dF(\mathbf{V}_{it}|\boldsymbol{\beta}),$$

which shows that θ_{ct}^0 has substitution effects within and across chains for both versions of the drug.

Developing the first order conditions using the effects of θ 's on the demand, we show below that it must be that $\theta_{ct}^k = 0$ if m_{kct} is the lowest of the two margins. As

$$\frac{\partial s_{ikt|c}}{\partial \theta_{ct}^{k'}} = 1_{\{k=k'\}} - s_{ikt|c,B} \quad \text{and} \quad \frac{\partial s_{ict}}{\partial \theta_{ct}^{k'}} = \left[V_{ik'ct} - \lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) \right] s_{ict} (1 - s_{ict}) \leq 0,$$

using the fact that

$$\frac{\partial s_{ik't|c}}{\partial \theta_{ct}^0} s_{ict} + s_{ik't|c} \frac{\partial s_{ict}}{\partial \theta_{ct}^0} = (1_{\{k'=0\}} - s_{ik't|c,B}) s_{ict} + s_{ik't|c} \left[V_{i0ct} - \lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) \right] (1 - s_{ict}) s_{ict},$$

we obtain that the first-order condition for optimal θ_{ct}^0 implies

$$\frac{m_{0ct}}{m_{1ct}} = \frac{\int s_{i1t|c,B} s_{ict} + s_{i1t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it})}{\int s_{i1t|c,B} s_{ict} - s_{i0t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it})} \quad (7.1)$$

because $1 - s_{i0t|c,B} = s_{i1t|c,B}$ and $1 - s_{i0t|c} = s_{i1t|c}$.

Similarly, the first-order condition with respect to θ_{ct}^1 (for an interior solution) can be written

$$\frac{m_{1ct}}{m_{0ct}} = \frac{\int s_{i0t|c,B} s_{ict} + s_{0t|c} [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i1ct}] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it}|\boldsymbol{\beta})}{\int s_{i0t|c,B} s_{ict} - s_{1t|c} [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i1ct}] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it}|\boldsymbol{\beta})}. \quad (7.2)$$

We can see that only one of the first-order conditions will be satisfied. Indeed, as $1 - s_{i0t|c} = s_{i1t|c}$,

$$\begin{aligned} & s_{i1t|c,B} s_{ict} + s_{i1t|c} [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i0ct}] (1 - s_{ict}) s_{ict} \\ = & s_{i1t|c,B} s_{ict} - s_{i0t|c} [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i0ct}] (1 - s_{ict}) s_{ict} + [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i0ct}] (1 - s_{ict}) s_{ict} \\ > & s_{i1t|c,B} s_{ict} - s_{i0t|c} [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i0ct}] (1 - s_{ict}) s_{ict}, \end{aligned}$$

and similarly,

$$s_{i0t|c,B} s_{ict} + s_{i0t|c} [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i1ct}] (1 - s_{ict}) s_{ict} > s_{i0t|c,B} s_{ict} - s_{i1t|c} [\lambda_c \ln (\sum_k e^{V_{ikct}/\lambda_c}) - V_{i1ct}] (1 - s_{ict}) s_{ict}$$

Thus, equation (7.1) cannot be true if $m_{1ct} > m_{0ct}$, and equation (7.2) cannot be true if $m_{1ct} < m_{0ct}$.

In the case in which $m_{1ct} < m_{0ct}$, there is no interior solution for θ_{ct}^1 , and thus we will have $\theta_{ct}^1 = 0$, meaning that the pharmacy chain never proposes the drug with the lowest margin alone. Then, θ_{ct}^0 is a solution of equation (7.1). Thus if $m_{1ct} < m_{0ct}$ then $\theta_{ct}^1 = 0$ and if $m_{1ct} > m_{0ct}$ then $\theta_{ct}^0 = 0$. The intuitive explanation is that when the chain increases the probability of only having the lower margin product available, profits are hurt both due to the opportunity cost of consumers who would otherwise have bought the high margin product when both were available and the loss of market share due to offering less variety on average.

7.2 Counterfactuals taking into account reaction in source countries

The bargaining surplus for the manufacturer with respect to another country I that is not a source country for any chain c ($I \neq I(c)$ for any c) is irrelevant for our concern, since prices in countries that are not exporting to Norway should not be affected by the changes in the Norwegian market regulation, provided these other countries do not export to source countries of Norway.¹⁹

¹⁹We do not explore the possible effects of changes in negotiation in other countries who do not export to Norway but who export to countries that export to Norway. As our counterfactuals tend to reduce parallel trade, parallel trade from new countries is unlikely. We thus assume that no country would start exporting to Norway if they are not already doing it.

Method taking into account price reactions in source countries The bargaining surplus for the manufacturer with respect to a source country $I(c)$ (for a given c) is

$$\begin{aligned}
(\Pi_t - \Pi_{-I(c),t}) &= \sum_{\tilde{c}} [(w_{1\tilde{c}t} - c_t)s_{1\tilde{c}t} + (p_{1\tilde{c}t}^{I(\tilde{c})} - c_t)s_{0\tilde{c}t}]M_N + \sum_I (p_{1t}^I - c_t)q_{It}(p_{1t}^I) \\
&\quad - \sum_{\tilde{c}} [(w_{1\tilde{c}t} - c_t)s_{1\tilde{c}t \setminus I(c)} + (p_{1\tilde{c}t}^{I(\tilde{c})} - c_t)s_{0\tilde{c}t \setminus I(c)}]M_N + \sum_{I \neq I(c)} (p_{1t}^I - c_t)q_{It}(p_{1t}^I) \\
&= \sum_{\tilde{c}} (w_{1\tilde{c}t}\Delta_{I(c)}s_{1\tilde{c}t} + p_{1\tilde{c}t}^{I(\tilde{c})}\Delta_{I(c)}s_{0\tilde{c}t})M_N + (p_{1t}^{I(c)} - c_t)q_{I(c)t}(p_{1t}^{I(c)}), \tag{7.3}
\end{aligned}$$

with $\Delta_I s_{1\tilde{c}t} = s_{1\tilde{c}t} - s_{1\tilde{c}t \setminus I}$, $\Delta_I s_{0\tilde{c}t} = s_{0\tilde{c}t} - s_{0\tilde{c}t \setminus I}$, and $I(c)$ is the source country of chain c , where $s_{1\tilde{c}t \setminus I}$ is the demand of direct imports in chain \tilde{c} when there is no parallel imports from source country I , and $s_{0\tilde{c}t \setminus I}$ is the demand of parallel imports in chain \tilde{c} when there is no parallel imports from source country $I(c)$ (implying that $s_{0ct \setminus I(c)} = 0$ and $s_{0\tilde{c}t \setminus I(c)} = 0$ if $I(c) = I(\tilde{c})$), and M_N is the market size of Norway.

Then, Nash bargaining in source country $I(c)$ amounts to

$$\max_{p_{1t}^{I(c)}} (\Pi_t - \Pi_{-I(c),t})^{b_{I(c)}} (\Delta W_{I(c)}(p_{1t}^{I(c)}))^{1-b_{I(c)}}$$

where $\Delta W_I(p_{1t}^I)$ is the welfare gain provided by the drug in country I and b_I is the bargaining parameter of the manufacturer with respect to country I ($I(c)$ being the country I used as source of imports by chain c).

We allow the wholesale price p_{1ct}^I obtained by the manufacturer for a unit of drug sold in country I and reexported to the chain c in Norway to be different from the wholesale price p_{1t}^I obtained by the manufacturer for the domestic market of country I . If there is no intermediary and no transaction cost born by the manufacturer, both prices should be the same, but can otherwise be different. While allowing this flexibility, we impose that when the negotiated wholesale price p_{1t}^I in country I changes, the price paid by the parallel trader p_{0ct}^I changes by the same amount. We thus assume both that $\frac{\partial p_{1ct}^I}{\partial p_{1t}^I} = 1$ and $\frac{\partial p_{0ct}^I}{\partial p_{1t}^I} = 1$, which encompasses the case where we would impose $p_{1ct}^I = p_{1t}^I$ and $p_{0ct}^I = p_{1t}^I$.

This implies the following first order condition for a Nash-bargaining equilibrium:

$$b_{I(c)} \frac{1}{(\Pi_t - \Pi_{-I(c),t})} \frac{\partial (\Pi_t - \Pi_{-I(c),t})}{\partial p_{1t}^{I(c)}} + (1 - b_{I(c)}) \frac{\partial \ln \Delta W_{I(c)}(p_{1t}^{I(c)})}{\partial p_{1t}^{I(c)}} = 0 \tag{7.4}$$

where

$$\frac{\partial (\Pi_t - \Pi_{-I(c),t})}{\partial p_{1t}^{I(c)}} = \Delta_{I(c)} s_{0ct} M_N + q_{I(c)t}(p_{1t}^{I(c)}) + (p_{1t}^{I(c)} - c_t) \frac{\partial q_{I(c)t}(p_{1t}^{I(c)})}{\partial p_{1t}^{I(c)}}$$

and $\Pi_t - \Pi_{-I(c),t}$ comes from (7.3). Using this first order condition, one can account for the equilibrium change in wholesale price $p_{1t}^{I(c)}$ in the source country $I(c)$ in each counterfactual. We can also use this first order condition to identify the marginal cost c_t and bargaining parameter $b_{I(c)}$.

In our application, we assess the effects of Norwegian counterfactual policies on the wholesale price in France p_{1t}^I and thus on the relevant importing prices from France $p_{1t}^{I(c)}$, in addition to the effects in Norway. We also account for equilibrium effects on prices of other statins in France, meaning that $q_{It}(p_{1t}^I)$ and $W_I(p_{1t}^I)$ depend implicitly on prices of all statins in France, denoted by the vector \vec{p}_t^I .

Demand model and price setting in France We estimate a random coefficient logit demand model à la Berry et al. (1995) for the statin market in France, and use it to predict demand for and welfare gain from atorvastatin in France. The details of the demand estimation together with the regulatory environment in France are described in Appendix 8.10. We use the demand estimates to identify the welfare gain function $\Delta W_I(p_{1t}^{FR})$ in the source country France for atorvastatin at price p_{1t}^{FR} as $\Delta W_I(p_{1t}^I) \equiv \Delta W_a(\vec{p}_t^I)$ for $a = \text{atorvastatin}$ where \vec{p}_t^I is the price vector of all statins in the source country I (France). Given the demand model, the welfare gain $\Delta W_a(\vec{p}_t^I)$ is

$$\begin{aligned} \Delta W_a(\vec{p}_t^I) &= M_F \left[\int \frac{1}{\beta_p^i} \ln(1 + \sum_{\bar{a}} \exp(\beta_p^i p_{\bar{a}t} + \beta_g g_{\bar{a}t} + \beta_{\bar{a}} + \beta_t + \xi_{\bar{a}t})) dF(\beta_p^i) \right. \\ &\quad \left. - \int \frac{1}{\beta_p^i} \ln(1 + \sum_{\bar{a} \neq a} \exp(\beta_p^i p_{\bar{a}t} + \beta_g g_{\bar{a}t} + \beta_{\bar{a}} + \beta_t + \xi_{\bar{a}t})) dF(\beta_p^i) \right] \end{aligned}$$

where M_F is the French market size.

We then use the bargaining first order condition for atorvastatin (7.4) and the analogous conditions for other statins to simulate the counterfactual price equilibrium in the French statin market as a whole. As other statins are not exported to Norway, the first order conditions for other statins are simpler, and depend on the Norwegian policy only through its effect on the price of atorvastatin (Lipitor).

As the results also depend on the bargaining parameter b_{FR} of pharmaceutical companies with respect to the French regulator, we first identify this bargaining parameter using the observed equilibrium prices and the Nash bargaining first order condition for drugs that are not subject to parallel trade. Indeed, the Nash bargaining necessary first order condition for any statin a that is on patent and not exported to Norway can be written to express marginal cost as

$$c_{at} = p_{at} + \frac{1}{\frac{\partial \ln q_{at}(\vec{p}_t^I)}{\partial p_{at}} + \frac{1-b_{FR}}{b_{FR}} \frac{\partial \ln \Delta_a W_{FR}(\vec{p}_t^I)}{\partial p_{at}}} \quad (7.5)$$

for $a \neq \text{atorvastatin}$, where $\Delta_a W_{FR}$ is the welfare gain in France provided by statin a , $q_{at}(\vec{p}_t^I)$ is the demand of statin a , c_{at} the marginal cost and $\vec{p}_t^I = (p_{at})_{a=1, \dots, A}$ the vector of all statin prices in source country I (France). We show in Appendix 8.10 how we account for price setting of generics, which is not subject to the same regulatory rule. We estimate the bargaining parameter b_{FR} using a set of restrictions on marginal costs, assuming that they are the sum of a molecule fixed effect, a strength fixed effect, a quarter fixed effect

and a mean independent deviation. We obtain an $\hat{b}_{FR} = 0.49$, which is in the same range of values obtained by Tuncel (2018) for other drug markets in France.

Then, we can use the bargaining first order conditions for all statins together with bargaining first order conditions for parallel and direct imported atorvastatin with chains in Norway to find the new counterfactual equilibrium.

7.3 Effects of parallel imports entry on margins and profits of pharmacist chains

Table 7.1: *Reduced form evidence of parallel imports entry on pharmacist profits and margins*

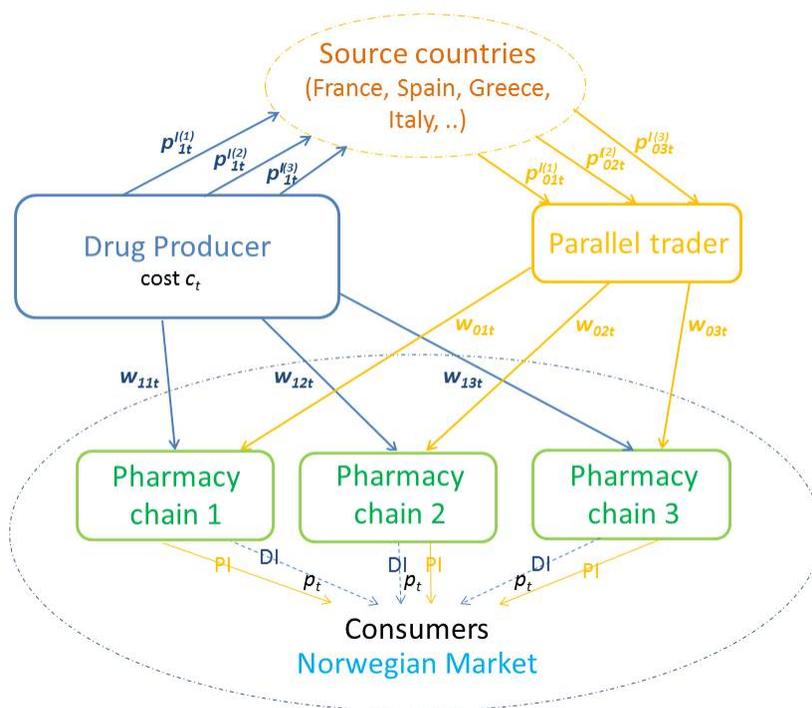
Dependent Variable	$\ln \frac{q_{j0ct}m_{j0ct} + q_{j1ct}m_{j1ct}}{q_{j0ct} + q_{j1ct}}$			$\ln(q_{j0ct}m_{j0ct} + q_{j1ct}m_{j1ct})$		
	(OLS) (1)	(OLS) (2)	(2SLS) (3)	(OLS) (4)	(OLS) (5)	(2SLS) (6)
Presence PI of j in chain c at t	-0.498 (0.025)	0.019 (0.004)	0.585 (0.215)	1.476 (0.029)	0.033 (0.015)	1.267 (0.544)
Chain-month fixed effects	Yes	Yes	Yes	Yes	Yes	Yes
Chain-year fixed effects	Yes	Yes	Yes	Yes	Yes	Yes
Year-month fixed effects	Yes	Yes	Yes	Yes	Yes	Yes
Products fixed effects		Yes	Yes		Yes	Yes
N	35,756	35,756	35,756	35,756	35,756	35,756

Notes: Product j is defined by ATC code level 5 (molecule)-strength. In the case of Two Stage Least Squares estimates (2SLS), the variable “Presence of PI” is instrumented using the wholesale price in Czech rep., France, Poland, Spain, United Kingdom, as well as exchange rates between NOK and euros, US dollars, GBP, Czech crown, Swiss franc interacted with pharmacy chain dummies.

8 Supplementary Material for Online Publication Only

8.1 Graphic description of vertical chain

Figure 8.1: *Vertical chain*



8.2 Evidence on switching behavior across chains and drug versions

Table 8.1 shows the average transition probabilities by the combination of chain and PI versus DI. It shows that there is much more switching across versions within a chain than switching across chains within a version. This is computed thanks to individual purchases that the anonymous panel allows to follow over time.

Table 8.1: *Transition Probabilities Across Chains and Drug Versions*

		Chain 1		Chain 2		Chain 3	
Drug Version		DI	PI	DI	PI	DI	PI
Chain 1	DI	0.44	0.47	0.04	0.01	0.02	0.03
	PI	0.21	0.69	0.02	0.03	0.02	0.03
Chain 2	DI	0.03	0.04	0.62	0.27	0.02	0.02
	PI	0.02	0.06	0.34	0.54	0.02	0.03
Chain 3	DI	0.04	0.06	0.03	0.02	0.51	0.35
	PI	0.02	0.07	0.02	0.02	0.22	0.64

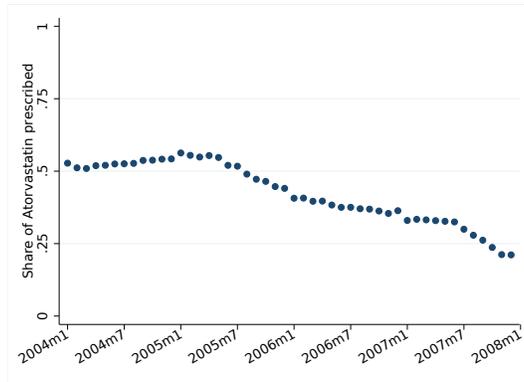
Notes: Probability to switch to purchase drug version and chain in column given last period purchase of version and chain in row.

8.3 Prescription behavior and parallel trade

One worry for the identification of our model is that doctors will change their prescription behavior if pharmacies induce consumers to consume parallel traded Lipitor more frequently. An example of what we

have in mind is that consumers might oppose getting parallel traded drugs, thereby making their doctor prescribe them other types of statins for which there does not exist parallel traded alternatives. Over the sample period, there was an increase in the share of statin prescriptions going to Simvastatin due to new guidelines for statin prescriptions from the Norwegian Medicines Agency and a decrease in the share of statin prescriptions going to atorvastatin (the molecule contained in Lipitor), as shown in Figure 8.2. We regard this decrease as a function of the change in policy for statin prescriptions induced by the government, who implemented a lower price cap on simvastatin than atorvastatin, and not necessarily related to the preferences of consumers or doctors for directly imported versus parallel trade drugs.

Figure 8.2: *Physicians' prescription of atorvastatin as share of total statin prescription*



We investigate the potential endogeneity issues arising from doctors responding to pharmacies strategies for selling parallel traded Lipitor by changing what statin they prescribe. Using data on the prescription behavior of individual doctors, we can look at the share of statin prescriptions going to atorvastatin, together with the behavior of the pharmacies to which each doctor's patients are exposed. This is feasible due to availability of information linking the doctor to the prescription used by a patient for each transaction at each given pharmacy. We use information about the availability of parallel imports (assuming that if a pharmacy did not sell any parallel imports during a month, it means it was not available) and the ratio of margin for parallel and direct imports at a given pharmacy chain. The availability gives a sense of whether the doctor's patient potentially faced foreclosure of direct imports, whereas the margin can be thought of as a reduced-form measure of the pharmacy's decision to foreclose direct imports. We calculate the weighted sum of availability and margin ratio in each chain for each doctor, where the measure is weighted by the share of the doctor's patients patronizing the different chains. More precisely, for doctor d in month t

$$available_{dt} = \frac{1}{N_{dt}} \sum_{i=1}^{N_{dt}} \mathbf{1}_{\{parallel_{it}\}},$$

where N_{dt} is the number of patients for doctor d in month t , and $\mathbf{1}_{\{parallel_{it}\}}$ is an indicator for whether patient i went to a pharmacy offering parallel traded Lipitor in month t . Similarly,

$$ratio_{dt} = \frac{1}{N_{dt}} \sum_{i=1}^{N_{dt}} \frac{m_{0c(i)t}}{m_{1c(i)t}},$$

where $\frac{m_{0c(i)t}}{m_{1c(i)t}}$ is the ratio of margins for parallel (0) and direct (1) imported Lipitor at the pharmacy chain $c(i)$ visited by patient i in month t . Overall, doctors prescribe Lipitor in 43% of the cases where a statin was prescribed, whereas parallel trade is available for 25% of the patients. The number of unique doctors in our sample is 14,051, who are observed for a maximum of 48 months between January 1, 2004 and December 31, 2007.

Table 8.2 presents the results of OLS regressions of atorvastatin's share of statin prescriptions on weighted margin ratios and parallel trade availability. The observation unit is a doctor-month. Column (1) shows a large negative coefficient on margin and availability, although this is driven by the overall downward trend in atorvastatin prescriptions, together with a tendency for both the margin ratio and the availability of parallel

Table 8.2: *Effects of margins and availability of parallel imports on atorvastatin prescription*

	(1)	(2)	(3)	(4)	(5)	(6)
$ratio_{dt} * available_{dt}$	-0.052 (0.003)	-0.000 (0.003)	0.003 (0.003)	-0.036 (0.002)	0.005 (0.002)	0.007 (0.002)
$ratio_{dt}$	-0.018 (0.006)	-0.010 (0.006)	-0.013 (0.006)	-0.047 (0.004)	-0.022 (0.003)	-0.023 (0.003)
Time trend		Yes			Yes	
Time FE			Yes			Yes
Physician FE				Yes	Yes	Yes
N	258,281	258,281	258,281	258,281	258,281	258,281
R^2	0.01	0.11	0.13	0.02	0.18	0.20

Note: OLS regression. Standard errors clustered by doctor. The dependent variable is the share of atorvastatin prescribed by physician.

trade to increase over time. This is confirmed by the coefficient on margin ratio going to a quite precisely estimated zero in Columns (2) and (3), where we add a linear time trend and time-fixed effects, respectively. When we add doctor-fixed effects together with a time trend or time-fixed effects in Columns (5) and (6), we obtain a positive coefficient on the margin ratio and a negative coefficient on availability, both of which are statistically significant. However, considering the size of the coefficients, none of them are economically significant. The coefficient on the margin ratio tells us that the effect of an increase of roughly two standard deviations (the standard deviation of that variable being 0.54), the atorvastatin share of statin prescriptions will increase by roughly one half percentage point. Similarly for availability, an increase in availability from none to full would yield a decrease in atorvastatin prescriptions by 2.2 percentage points. Considering that the average availability is 25%, this result implies that very large changes in pharmacies behavior is related to relatively small changes in the prescription behavior of doctors in our sample. We thus conclude that we should not be concerned by a potential identification problem due to doctors changing molecule prescriptions in response to pharmacies incentives to sell parallel traded Lipitor more frequently.

8.4 Details on derivatives of $\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$

In order to obtain how wholesale prices affect the equilibrium $\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$, let $\mathbf{F}_{\theta,t}$ denote the vector of derivatives of pharmacy chain profit with respect to direct import availability at time t , i.e.

$$\mathbf{F}_{\theta,t} \equiv \left(\frac{\partial \pi_{1t}}{\partial \theta_{1t}}, \frac{\partial \pi_{2t}}{\partial \theta_{2t}}, \dots, \frac{\partial \pi_{Ct}}{\partial \theta_{Ct}} \right)'$$

Implicit differentiation of the system of first order conditions $\mathbf{F}_{\theta,t} = \mathbf{0}$ yields

$$\frac{\partial \mathbf{F}_{\theta,t}}{\partial \theta_t'} \Big|_{\theta_t = \theta_t^*} d\theta_t + \frac{\partial \mathbf{F}_{\theta,t}}{\partial \mathbf{w}_{1t}'} \Big|_{\theta_t = \theta_t^*} d\mathbf{w}_{1t} = \mathbf{0}.$$

The Jacobian of $\theta_t^*(\mathbf{w}_{0t}, \mathbf{w}_{1t})$ with respect to \mathbf{w}_{1t} is then

$$\frac{\partial \theta_t^*}{\partial \mathbf{w}_{1t}'} = - \left(\frac{\partial \mathbf{F}_{\theta,t}}{\partial \theta_t'} \Big|_{\theta_t = \theta_t^*} \right)^{-1} \frac{\partial \mathbf{F}_{\theta,t}}{\partial \mathbf{w}_{1t}'} \Big|_{\theta_t = \theta_t^*}.$$

Of course, if some elements of θ_t^* is not interior, the corresponding elements of $\frac{\partial \theta_t^*}{\partial \mathbf{w}_{1t}'}$ will be zero.

Recalling that $\frac{\partial \pi_{ct}}{\partial \theta_{ct}} = (\bar{p}_t - w_{0ct}) \frac{\partial s_{0ct}}{\partial \theta_{ct}}(\theta_t) + (\bar{p}_t - w_{1ct}) \frac{\partial s_{1ct}}{\partial \theta_{ct}}(\theta_t)$, we have that

$$\frac{\partial \mathbf{F}_{\theta,t}}{\partial \mathbf{w}'_{1t}} = - \begin{pmatrix} \frac{\partial s_{11t}}{\partial \theta_{1t}} & 0 & \cdots & 0 \\ 0 & \frac{\partial s_{12t}}{\partial \theta_{2t}} & \cdots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \cdots & \frac{\partial s_{1Ct}}{\partial \theta_{Ct}} \end{pmatrix},$$

while

$$\frac{\partial \mathbf{F}_{\theta,t}}{\partial \theta'_t} = \begin{pmatrix} \sum_k m_{k1t} \frac{\partial^2 s_{k1t}}{\partial \theta_{1t}^2} & \sum_k m_{k1t} \frac{\partial^2 s_{k1t}}{\partial \theta_{1t} \partial \theta_{2t}} & \cdots & \sum_k m_{k1t} \frac{\partial^2 s_{k1t}}{\partial \theta_{1t} \partial \theta_{Ct}} \\ \sum_k m_{k2t} \frac{\partial^2 s_{k2t}}{\partial \theta_{2t} \partial \theta_{1t}} & \sum_k m_{k2t} \frac{\partial^2 s_{k2t}}{\partial \theta_{2t}^2} & \cdots & \sum_k m_{k2t} \frac{\partial^2 s_{k2t}}{\partial \theta_{2t} \partial \theta_{Ct}} \\ \vdots & \vdots & \ddots & \vdots \\ \sum_k m_{kCt} \frac{\partial^2 s_{kCt}}{\partial \theta_{Ct} \partial \theta_{1t}} & \sum_k m_{kCt} \frac{\partial^2 s_{kCt}}{\partial \theta_{Ct} \partial \theta_{2t}} & \cdots & \sum_k m_{kCt} \frac{\partial^2 s_{kCt}}{\partial \theta_{Ct}^2} \end{pmatrix}$$

Then, all the derivatives of market shares with respect to w_{1ct} in equation (3.5) can be obtained from elements of the stacked vector $\frac{\partial s_{kt}}{\partial \mathbf{w}'_{1t}}$ for $k = 0$ or 1 and which satisfies

$$\frac{\partial s_{kt}}{\partial \mathbf{w}'_{1t}} = \left(\frac{\partial s_{kt}}{\partial \theta'_t} \Big|_{\theta_t = \theta_t^*} \right) \frac{\partial \theta_t^*}{\partial \mathbf{w}'_{1t}} = \left(\frac{\partial s_{kt}}{\partial \theta'_t} \Big|_{\theta_t = \theta_t^*} \right) \left(- \frac{\partial \mathbf{F}_{\theta,t}}{\partial \theta'_t} \Big|_{\theta_t = \theta_t^*} \right)^{-1} \frac{\partial \mathbf{F}_{\theta,t}}{\partial \mathbf{w}'_{1t}} \Big|_{\theta_t = \theta_t^*},$$

which shows that the change in a given market share, s_{kct} , caused by the change in a given wholesale price, $w_{1\bar{c}t}$, will depend on the change in the full vector of θ 's following from the change in the Nash equilibrium in the competition between chains.

8.5 Asymptotic Distribution of θ_{ct} Estimates

In the case of interior solution to the Nash equilibrium in θ_{ct} , θ_{ct} must satisfy first order condition (3.2) given other $\theta_{\bar{c}t}$. Let's denote $\theta_{ct}^u(\beta)$ the solution to the first order condition whether it belongs to the $[0,1]$ interval or not. Then we know that the solution of the Nash equilibrium is $\theta_{ct}(\beta) = \theta_{ct}^u(\beta) \mathbf{1}_{\{\theta_{ct}^u(\beta) \in (0,1)\}} + \mathbf{1}_{\{\theta_{ct}^u(\beta) \geq 1\}}$. Using the Delta method we can first find the asymptotic law of $\theta_{ct}^u(\beta)$. We need the gradient of $\theta_{ct}^u(\beta)$ with respect to β . Fully differentiating the first order condition determining $\theta_{ct}^u(\beta)$, we obtain for all c :

$$\sum_{c'} \left(m_{0ct} \frac{\partial^2 s_{0ct}}{\partial \theta_{ct}^u \partial \theta_{c't}^u} + m_{1ct} \frac{\partial^2 s_{1ct}}{\partial \theta_{ct}^u \partial \theta_{c't}^u} \right) \frac{\partial \theta_{c't}^u(\beta)}{\partial \beta} + m_{0ct} \frac{\partial^2 s_{0ct}}{\partial \theta_{ct}^u \partial \beta} + m_{1ct} \frac{\partial^2 s_{1ct}}{\partial \theta_{ct}^u \partial \beta} = 0$$

where

$$\frac{\partial^2 s_{0ct}}{\partial \theta_{ct}^u \partial \theta_{c't}^u} = \int -\rho_{ict} \frac{\partial s_{ict}}{\partial \theta_{c't}^u} - \mathbf{1}_{\{c=c'\}} \rho_{ict} \delta_{ict} s_{ict} (1 - s_{ict}) + (1 - \theta_{ct}^u \rho_{ict}) \delta_{ict} [1 - 2s_{ict}] \frac{\partial s_{ict}}{\partial \theta_{c't}^u} dF(V_{it}|\beta),$$

$$\frac{\partial^2 s_{1ct}}{\partial \theta_{ct}^u \partial \theta_{c't}^u} = \int \rho_{ict} \frac{\partial s_{ict}}{\partial \theta_{c't}^u} + \mathbf{1}_{\{c=c'\}} \rho_{ict} \delta_{ict} s_{ict} (1 - s_{ict}) + \theta_{ct}^u \rho_{ict} \delta_{ict} [1 - 2s_{ict}] \frac{\partial s_{ict}}{\partial \theta_{c't}^u} dF(V_{it}|\beta)$$

with

$$\frac{\partial s_{ict}}{\partial \theta_{c't}^u} = \delta_{ic't} (\mathbf{1}_{\{c=c'\}} - s_{ict}) s_{ic't}$$

and $\frac{\partial^2 s_{1ct}}{\partial \theta_{ct}^u \partial \beta}$ and $\frac{\partial^2 s_{0ct}}{\partial \theta_{ct}^u \partial \beta}$ come from taking derivatives with respect to β of:

$$\frac{\partial s_{0ct}}{\partial \theta_{ct}^u} = \int (-\rho_{ict} s_{ict} + (1 - \theta_{ct}^u \rho_{ict}) \delta_{ict} s_{ict} (1 - s_{ict})) dF(V_{it}|\beta), \text{ and}$$

$$\frac{\partial s_{1ct}}{\partial \theta_{ct}^u} = \int (\rho_{ict} s_{ict} + \theta_{ct}^u \rho_{ict} \delta_{ict} s_{ict} (1 - s_{ict})) dF(V_{it}|\beta).$$

Then we know that $\hat{\theta}_{ct}^u(\beta) \hookrightarrow N\left(\theta_{ct}^u(\hat{\beta}), \text{var}\left(\hat{\theta}_{ct}^u(\beta)\right)\right)$ with $\text{var}\left(\hat{\theta}_{ct}^u(\hat{\beta})\right) = \left[\frac{\partial \theta_{ct}^u(\hat{\beta})}{\partial \beta}\right]' \text{var}(\hat{\beta}) \left[\frac{\partial \theta_{ct}^u(\hat{\beta})}{\partial \beta}\right]$ where $\left[\frac{\partial \theta_{ct}^u(\beta)}{\partial \beta}\right]$ is the Jacobian matrix of $\theta_{ct}^u(\beta) = (\theta_{1t}^u(\beta), \dots, \theta_{Ct}^u(\beta))'$ with respect to the vector of parameters β , and $\text{var}(\hat{\beta})$ is the variance-covariance matrix of $\hat{\beta}$.

As $\theta_{ct}(\beta) = \theta_{ct}^u(\beta) \mathbf{1}_{\{\theta_{ct}^u(\beta) \in (0,1)\}} + \mathbf{1}_{\{\theta_{ct}^u(\beta) \geq 1\}}$ we obtain directly the asymptotic law of $\theta_{ct}(\beta)$ using the one of $\theta_{ct}^u(\beta)$. θ_{ct} is censored normally distributed. With ϕ the $N(0,1)$ c.d.f., the c.d.f. of $\hat{\theta}_{ct}(\hat{\beta})$ is $P\left(\hat{\theta}_{ct}(\hat{\beta}) \leq a\right) = \phi\left(\frac{a - \hat{\theta}_{ct}^u(\hat{\beta})}{\text{var}(\hat{\theta}_{ct}^u(\hat{\beta}))}\right) \mathbf{1}_{\{a \in (0,1)\}} + \mathbf{1}_{\{a \geq 1\}}$ which allows construct the confidence interval of $\theta_{ct}(\beta)$.

8.6 Inner Loop Algorithm of Demand Estimation

In each period t , given the other chains choices for $\theta_{\tilde{c}t}$ ($\tilde{c} \neq c$), each pharmacy chain c solves the constrained maximization problem:

$$\max_{\theta_{ct}} \pi_{ct} \quad \text{s.t.} \quad 0 \leq \theta_{ct} \leq 1$$

Letting μ_{ct}^L and μ_{ct}^H denote the multipliers associated with the lower and upper bound on θ_{ct} respectively, the necessary conditions for maximization of the corresponding Lagrangian are

$$\begin{aligned} \frac{\partial \pi_{ct}}{\partial \theta_{ct}} + \mu_{ct}^L - \mu_{ct}^H &= 0 \\ \mu_{ct}^L \geq 0, \quad \mu_{ct}^L \theta_{ct} &= 0, \quad \theta_{ct} \geq 0 \\ \mu_{ct}^H \geq 0, \quad \mu_{ct}^H (1 - \theta_{ct}) &= 0, \quad \theta_{ct} \leq 1 \end{aligned}$$

The equilibrium in each period t is given by the solution to these equations for each chain c . This equilibrium can be redefined as the solution to the following constrained minimization problem:

$$\begin{aligned} \min_{\{\theta_{ct}, \mu_{ct}^L, \mu_{ct}^H\}_{c \in \{1, \dots, C\}}} & \sum_{c \in \{1, \dots, C\}} (\mu_{ct}^L \theta_{ct} + \mu_{ct}^H (1 - \theta_{ct})) \\ & \text{s.t.} \\ & \frac{\partial \pi_{ct}}{\partial \theta_{ct}} + \mu_{ct}^L - \mu_{ct}^H = 0 \quad \forall c \in \{1, \dots, C\}, \\ & 0 \leq \theta_{ct} \leq 1, \mu_{ct}^L \geq 0, \mu_{ct}^H \geq 0 \quad \forall c \in \{1, \dots, C\}. \end{aligned}$$

The objective function in this minimization problem is the sum of the complementary slackness condition corresponding to the bounds on θ for each chain, and will thus be zero at the solution, while the constraints ensure that the solution is a Nash-equilibrium.

The full problem in the inner loop of the estimation also includes fitting the mean utility parameters α_{jct} for each product j at each chain c in each period t . These mean utility parameters are set such that observed shares \hat{s}_{jct} are equal to predicted shares $s_{jct}(\theta_t, \alpha_t, \beta)$, where θ_t is the vector of θ_{ct} for all chains c , and α_t is the vector of mean utility parameters for all products in period t . We can write this restriction as

$$\mathbf{s}_t(\theta_t, \alpha_t, \beta) = \hat{\mathbf{s}}_t,$$

where $\mathbf{s}_t(\theta_t, \alpha_t, \beta)$ is the vector of predicted market shares from the model, and $\hat{\mathbf{s}}_t$ is the vector of observed market shares. These conditions can then be included as constraints in the minimization problem characterizing the market equilibrium in period t .

The full constrained minimization problem can then be written (in vector notation)

$$\begin{aligned}
& \min_{\alpha_t, \theta_t, \mu_t^L, \mu_t^H} \mu_t^L \cdot \theta_t + \mu_t^H \cdot (\mathbf{1} - \theta_t) \\
& \text{s.t.} \\
& \quad s_t(\theta_t, \alpha_t, \beta) = \hat{s}_t, \\
& \quad \frac{\partial \pi_t}{\partial \theta_t} + \mu_t^L - \mu_t^H = \mathbf{0}, \\
& \quad \mathbf{0} \leq \theta_t \leq \mathbf{1}, \quad \mu_t^L \geq \mathbf{0}, \quad \mu_t^H \geq \mathbf{0}.
\end{aligned}$$

Informally, we can think about the market share constraint as particularly informative about the mean utility parameters α_t , while the constraints corresponding to first order conditions for profit maximization are particularly informative about θ_t , though in practice they will jointly inform all parameters. Note that observed margins only enter each chain's profit maximization problem (i.e., it does not have a direct effect on demand), which serves as an exclusion restriction in our model.

The solution to this constrained minimization program is computed for each market t using a sequential quadratic method.²⁰ In our empirical estimates, we find a solution satisfying all constraints with the minimized value equal to 0 for all markets. As further checks on the solutions of the inner loop, we perform several additional tests (at the parameter vector estimated in the outer loop). One is a check of the second order conditions of the firms' maximization problems, to verify that the θ 's constitute a maximum. Another is a check of whether a firm would profit by unilaterally deviating by setting θ to one of the corners (if θ is already at a corner, only the other is tested), as a test of the Nash equilibrium. Also, we perform two tests for multiple equilibria. First, we recalculate the solution to the system of equations given above for the cases where we fix a firm's θ at each of the corners (for each firm separately), thus removing the constraint corresponding to this firm's profit maximization problem. We then check whether any of the solutions satisfies the full set of equations. Second, we solve the system of equations for many different starting values, checking whether we obtain non-unique solutions.

8.7 Pharmacy retail pricing with price ceiling

Here we show that a pharmacy chain offering two goods, PI ($j = 0$) and DI ($j = 1$), subject to a common price ceiling \bar{p} will sometimes choose to price both goods at the price ceiling, even if consumers have a preference for one of the two. Let's assume that consumers have a preference for DI , such that PI will be bought to a lower extent if prices and availability are equal. It can be shown that the chosen prices will both sometimes be at the price ceiling and that the extent of pharmaceutical coverage and "tightness" of the price ceiling will make this even more likely.

Let the demand for each good j at pharmacy c be given by $q_{jc}(p_{0c}, p_{1c}, p_{0-c}, p_{1-c})$, where p_{jc} is the price paid by the consumer for good j in pharmacy c . The price set by the firm, r_{jc} is related to the price paid by the consumer through $p_{jc} = \tau r_{jc}$, where $0 \leq \tau \leq 1$ is the co-payment rate. The profits of pharmacy chain c is given by

$$\pi_c = q_{0c}(r_{0c} - w_{0c}) + q_{1c}(r_{1c} - w_{1c}),$$

where w_{jc} is the pharmacy chain's wholesale price for good j . In a Nash equilibrium, given prices in other chains, the pharmacy chain solves the problem:

$$\max_{r_{0c}, r_{1c}} \pi_c \quad \text{s.t.} \quad r_{0c}, r_{1c} \leq \bar{p},$$

with the corresponding complementary slackness conditions for each $j \in \{0, 1\}$

$$q_{jc} + \tau \frac{\partial q_{0c}}{\partial p_{jc}}(r_{0c} - w_{0c}) + \tau \frac{\partial q_{1c}}{\partial p_{jc}}(r_{1c} - w_{1c}) \geq 0, \quad r_{jc} \leq \bar{p}.$$

Assume that the price ceiling is sufficiently low to bind for good 1 ($r_{1c} = \bar{p}$), which is the one which consumers value the most and will command the highest price in the absence of the price ceiling. To see

²⁰See, e.g., (Judd, 1998, ch. 4.7). Specifically, we use sequential least squares programming (SLSQP), as implemented in the optimization routines of the Python package SciPy.

that the pharmacy could find it optimal to price at the ceiling also for the other product, note that the unconstrained price for good 0 in this case would be

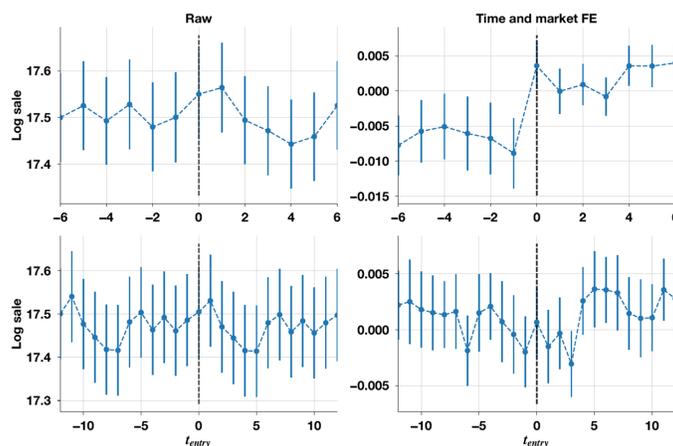
$$r_{0c}^* = w_{0c} + \frac{q_{0c}}{-\tau \frac{\partial q_{0c}}{\partial p_{0c}}} + \frac{\frac{\partial q_{1c}}{\partial p_{0c}}}{-\frac{\partial q_{0c}}{\partial p_{0c}}} (\bar{p} - w_{1c}).$$

It is straightforward to see that r_{0c}^* could exceed \bar{p} if the price ceiling is tight enough. From the second term, we see that the lower the co-payment rate τ , the less responsive consumers are to any change in the retail price p_{0c} , thus increasing the optimal unconstrained price r_{0c}^* . A lower price ceiling will tend to reduce r_{0c}^* through the reduced sales of 0, since the price of good 1 becomes lower, and through reducing the profit margin on good 1, which lowers the value of the diverted sales to good 1 with an increase in the price of good 0, but unless the price of good 0 responds too much to a change in the price of good 1 (i.e., the slope of the “reaction function” is too large), it will be possible for both goods to be constrained by the price ceiling simultaneously.

8.8 Outside option in the demand for atorvastatin in Norway

Concerning the importance of the outside option of not purchasing the drug, as we cannot observe if some patients are prescribed atorvastatin but are not buying the drug. We thus investigate whether improved access to pharmacies increases or not the purchases of the drug. In a country like Norway with large health insurance coverage in the case of treatment for cholesterol control, we can expect that only a very small share of the population in need is not taking the treatment. However, we evaluate the effect of improved access which should affect the value of an outside option by measuring the changes in sales of atorvastatin in each predefined area when one pharmacy enters the market. We regress the log sales in a given area on monthly dummies relative to the date of entry of a pharmacy and find no significant effect of entry on sales, showing that it is unlikely that the outside option of not purchasing a drug is very important. Graph 8.3 shows that this change is very small and almost zero statistically and economically.

Figure 8.3: *Effect of entry of a pharmacy outlet on sales in a given area*



On the left panel, the top graph shows the log sales quantity in a given area before and after entry of a pharmacy outlet with a 6 weeks window. The bottom graph of the left panel shows the same with a 10 weeks window. Vertical bars correspond to the standard deviation of log sales across areas at each week. On the right panel, we have the same means and standard deviations estimates after removing market and time fixed effects. We can see that the effect of entry on a 10 week window seem null and if slightly positive on a 6 week window, its magnitude is less than 1% of sales quantities.

8.9 Details on counterfactual computations when foreclosure is banned

In the case of no foreclosure the bargaining equations are

$$\frac{\partial \ln \Delta_1 \pi_{ct}}{\partial w_{1ct}} = \frac{1 - b_{1c}}{b_{1c}} \frac{\partial \ln \Delta_c \Pi_t}{\partial w_{1ct}} \quad \text{and} \quad \frac{\partial \ln \Delta_0 \pi_{ct}}{\partial w_{0ct}} = \frac{1 - b_{0c}}{b_{0c}} \frac{\partial \ln \Delta_c \Pi_t^{PI}}{\partial w_{0ct}}$$

where

$$\begin{aligned} \Delta_c \Pi_t &= \sum_{\tilde{c}} (w_{1\tilde{c}t} \Delta_{1c} s_{1\tilde{c}t} + p_{1t}^{I(\tilde{c})} \Delta_{1c} s_{0\tilde{c}t}), \\ \Delta_c \Pi_t^{PI} &= \sum_{\tilde{c} \neq c} (w_{0\tilde{c}t} - p_{0\tilde{c}t}^{I(\tilde{c})}) \Delta_{0c} s_{0\tilde{c}t}, \\ \Delta_1 \pi_{ct} &= (\bar{p}_t - w_{1ct}) s_{1ct} + (\bar{p}_t - w_{0ct}) \Delta_{1c} s_{0ct}, \\ \Delta_0 \pi_{ct} &= \pi_{ct} - \pi_{-0,ct} = (\bar{p}_t - w_{1ct}) \Delta_{0c} s_{1ct} + (\bar{p}_t - w_{0ct}) s_{0ct}. \end{aligned}$$

where market shares are integrals of individual choice probabilities computed as:

$$s_{ikct} = \frac{\left(\sum_{k' \in \{0,1\}} e^{V_{ik'ct}/\lambda_c} \right)^{\lambda_c - 1} e^{V_{ikct}/\lambda_c}}{\sum_{\tilde{c}} \left(\sum_{k' \in \{0,1\}} e^{V_{ik'\tilde{c}t}/\lambda_{\tilde{c}}} \right)^{\lambda_{\tilde{c}}}} \quad (8.1)$$

and where

$$\begin{aligned} \Delta_{1c} s_{ik\tilde{c}t} &= s_{ik\tilde{c}t} - \frac{\left(\sum_{k' \in \{0,1\}} e^{V_{ik'\tilde{c}t}/\lambda_{\tilde{c}}} \right)^{\lambda_{\tilde{c}} - 1} e^{V_{ik\tilde{c}t}/\lambda_{\tilde{c}}}}{e^{V_{i0ct}} + \sum_{c' \neq c} \left(\sum_{k' \in \{0,1\}} e^{V_{ik'c't}/\lambda_{c'}} \right)^{\lambda_{c'}}} \quad \text{if } \tilde{c} \neq c \\ \Delta_{1c} s_{i1ct} &= s_{i1ct} \quad \text{and} \quad \Delta_{1c} s_{i0ct} = s_{i0ct} - \frac{\left(\sum_{k' \in \{0,1\}} e^{V_{ik'ct}/\lambda_c} \right)^{\lambda_c - 1} e^{V_{i0ct}/\lambda_c}}{e^{V_{i0ct}} + \sum_{c' \neq c} \left(\sum_{k' \in \{0,1\}} e^{V_{ik'c't}/\lambda_{c'}} \right)^{\lambda_{c'}}} \end{aligned}$$

8.10 Demand and Price Setting Model for Statins in France

We use quarterly data on sales volumes and values of statin drugs in France and the US from IMS Health (now called IQVIA) for the years 2004 to 2007. The French data provide sales volumes and values for the retail sector and hospital sector. We model the demand for the retail sector which is the one for which the French regulation plays a role. We use the US retail sales to construct instrumental variables for prices in France. Our random coefficient logit model for French statin demand assume that, for any product a , the random utility for consumer i in France is

$$U_{iat} = \beta_p^i p_{at} + \beta_g g_{at} + \beta_a + \beta_t + \xi_{at} + \varepsilon_{iat}$$

where p_{at} is the price of statin a at time t , β_a is a molecule-strength fixed effect, g_{at} is a dummy variable indicating if the molecule of product a has lost patent exclusivity (changes over time), β_t are quarter specific fixed effects and ξ_{at} is an unobserved demand shock.

Specifying the random coefficient distribution of β_p^i as normal $N(\beta_p, \sigma_p^2)$, and ε_{iat} as extreme value distributed, we obtain the usual market shares

$$s_{at} = \int \frac{\exp(\beta_p^i p_{at} + \beta_g g_{at} + \beta_a + \beta_t + \xi_{at})}{1 + \sum_{\tilde{a}} \exp(\beta_p^i p_{\tilde{a}t} + \beta_g^i g_{\tilde{a}t} + \beta_{\tilde{a}} + \beta_t + \xi_{\tilde{a}t})} dF(\beta_p^i).$$

We estimate this model for the retail pharmaceutical market in France using the usual instrumental variables methods. As excluded instruments, we use the retail prices of drugs in the US and the number of drugs in the corresponding markets in the US. Table 8.3 show the estimation results and that heterogeneity in the price coefficient matters and is precisely estimated.

Table 8.3: Demand model for Statins in France

	BLP	
	Coef.	(Std Err.)
Patent loss of exclusivity dummy variable	β_g	0.0336 (0.2603)
Price	β_p	-2.3291 (0.2346)
	σ_p	1.2651 (0.4311)
Quarter fixed effects		Yes
Molecule-strength fixed effects		Yes
N		322

The demand model is estimated using the 20 mg, 40 mg and 80 mg markets. In France, there are two molecules for the statin 80 mg market (atorvastatin and fluvastatin), four molecules for the 40 mg market (atorvastatin, fluvastatin, pravastatin, simvastatin) and five for 20 mg (includes rosuvastatin in addition).

Then, the first order bargaining equation (7.5) is used to recover marginal cost, but only for branded statins as the prices of generics is fixed by regulation as a percentage of the branded version of the drug (Dubois and Lasio, 2018). This percentage was 60% during the time period of our data, and descriptive statistics on prices show that it was strictly implemented. For the counterfactual equilibrium prices of generics, we assume the same regulatory rule still applies and therefore the prices of generics of a molecule will be set as 60% percent of the bargained price of the branded product.

This implies that, in the equilibrium condition to be satisfied by the counterfactual prices, the semi-elasticity of demand and semi-elasticity of welfare account for this constraint ($\frac{dp_{g(a)t}}{dp_{at}} = 0.6$), i.e.,

$$\begin{aligned} \frac{\partial \ln q_{at}(\vec{p}_t^I)}{\partial p_{at}} &= \left. \frac{\partial \ln q_{at}(\vec{p}_t^I)}{\partial p_{at}} \right|_{p_{g(a)t}} + \frac{\partial \ln q_{at}(\vec{p}_t^I)}{\partial p_{g(a)t}} \underbrace{\frac{dp_{g(a)t}}{dp_{at}}}_{=0.6} \\ \frac{\partial \ln \Delta_a W_{FR}(\vec{p}_t^I)}{\partial p_{at}} &= \left. \frac{\partial \ln \Delta_a W_{FR}(\vec{p}_t^I)}{\partial p_{at}} \right|_{p_{g(a)t}} + \frac{\partial \ln \Delta_a W_{FR}(\vec{p}_t^I)}{\partial p_{g(a)t}} \underbrace{\frac{dp_{g(a)t}}{dp_{at}}}_{=0.6} \end{aligned}$$

where $g(a)$ denotes the generic version of drug a , and $\frac{\partial \ln q_{at}(\vec{p}_t^I)}{\partial p_{g(a)t}}$ denotes the cross price semi-elasticity of q_{at} with respect to the price of the generic version $p_{g(a)t}$.

To identify the bargaining parameter in France, we minimize the residual sum of squares

$$\sum_{a,t} (c_{at}(b) - \delta_a - \delta_s - \delta_t)^2$$

with respect to b, δ_a , a molecule-fixed marginal cost term; δ_s , a strength-fixed term; and δ_t , a quarter-fixed term, where $c_{at}(b) = p_{at} + \frac{1}{\frac{\partial \ln q_{at}(\vec{p}_t^I)}{\partial p_{at}} + \frac{1-b}{b} \frac{\partial \ln \Delta_a W_{FR}(\vec{p}_t^I)}{\partial p_{at}}}$.

To find the new equilibrium for a counterfactual policy in Norway, we simultaneously solve the first order conditions of other statins wholesale prices in France given by

$$p_{at} = c_{at} - \frac{1}{\frac{\partial \ln q_{at}(\vec{p}_t^I)}{\partial p_{at}} + \frac{1-b_{FR}}{b_{FR}} \frac{\partial \ln \Delta_a W_{FR}(\vec{p}_t^I)}{\partial p_{at}}} \text{ for all } a \text{ except atorvastatin}$$

where the right hand side of the equation has all statin prices in France as argument (\vec{p}_t^I), including atorvastatin (Lipitor).

8.11 Entry decisions of PI

We show indeed that when the wholesale prices in potential source countries decrease, there is entry of PI, which makes sense as it is when the procurement price of PI is lower that it is more profitable to have PI in Norway. We show this across all ATC5 therapeutic classification molecules-strength products for which there is no generics yet but for which the same product exists in one of the source countries during some time in

the 2004-2007 period for which we have the Norwegian data. We denote entry of parallel imports in market t for ATC code j in any of the pharmacist chain in Norway as $y_{jt} = 1$ if entry and $y_{jt} = 0$ otherwise. We estimate a logit model of entry as a function of the retail price

$$P(y_{jt} = 1) = \frac{\exp(\alpha_j + p_{jt}\beta + \sum_s w_{jst}\beta_s)}{1 + \exp(\alpha_j + p_{jt}\beta + \sum_s w_{jst}\beta_s)}$$

where p_{jt} is the observed mean retail price across the three chains for product j , and w_{jst} is the wholesale price of product j in country s . We estimate the simple logit where $\alpha_j = \alpha$ is common across ATC codes and also the fixed effect logit with unrestricted α_j . The following table shows the results for the 298 products. Column (2) shows the results with fixed effects on fewer observations because all markets for which there is no variation over time or strength of parallel imports presence are dropped because of the ATC5 fixed effect. The results show that the higher is the retail price in Norway of the product and the lower is the wholesale price in source countries the more likely is the entry of parallel imports. The only positive effect of wholesale price in France when not controlling for ATC5 fixed effect disappears in the second column with ATC5 fixed effects.

Table 8.4: *Probability of Market Entry of Parallel Import*

Logit model	(1)	(2)
Retail price Norway	0.038 (0.003)	0.056 (0.012)
Wholesale prices source countries (in NOK)		
Czech rep.	-0.302 (0.028)	0.031 (0.072)
France	-0.040 (0.032)	-1.463 (0.123)
Greece	-0.265 (0.032)	-0.805 (0.080)
Poland	0.071 (0.022)	-0.082 (0.089)
Spain	0.255 (0.039)	-0.061 (0.090)
UK	-0.127 (0.022)	0.040 (0.044)
ATC5 Fixed Effects	No	Yes
Year-Month fixed effects	Yes	Yes
N	8,554	4,179

We also estimate the same logit model at the product-chain level, with the following entry probability of parallel imports in chain c :

$$P(y_{jct} = 1) = \frac{\exp(\alpha_j + \alpha_c + p_{jct}\beta + \sum_s w_{jst}\beta_s)}{1 + \exp(\alpha_j + \alpha_c + p_{jct}\beta + \sum_s w_{jst}\beta_s)}$$

where p_{jct} is the observed retail price in chain c for product j . The next table shows also that the higher is the retail price of the product in Norway and the lower is the wholesale price in source countries the more likely is the entry of parallel imports.

Table 8.5: *Probability of Market Chain Entry of Parallel Import*

Logit model	(1)	(2)
Retail price Norway	0.019 (0.002)	0.029 (0.004)
Wholesale prices source countries (in NOK)		
Czech rep.	-0.234 (0.019)	-0.041 (0.042)
France	-0.064 (0.022)	-1.054 (0.064)
Greece	-0.307 (0.022)	-0.470 (0.045)
Poland	0.171 (0.016)	0.052 (0.050)
Spain	0.143 (0.026)	-0.111 (0.058)
UK	-0.125 (0.015)	-0.008 (0.029)
ATC5 fixed effects	No	Yes
Year-Month fixed effects	Yes	Yes
Chain fixed effects	Yes	Yes
N	25,222	12,489

8.12 Effects of counterfactual policies on consumer welfare

Aggregation of consumer welfare across individuals relies on transforming the welfare changes in monetary terms. As we don't identify the price sensitivity of Norwegian consumers in the data, we can aggregate individual changes only under the assumption that there is no heterogeneity of price sensitivity and we cannot transform the changes in monetary terms. We however are able to provide distributions of individual relative changes. Results on consumer welfare²¹ show that the share of consumers who would be better off with a ban on parallel imports is of 39% on average across markets (dosage - month) with some variation across markets such that the median across markets of the percentage of consumers who are better off is 34%. Thus, while banning one version of the product removes variety, a substantial portion of consumers are better off on average because most consumers prefer direct imports to parallel imports. In the case of banning foreclosure, effects are small and not reported.

8.13 General Bargaining Model

We show here that we can rewrite the bargaining stage model with both θ_{ct}^0 and θ_{ct}^1 meaning that we don't impose which drug will have a θ at a corner in the bargaining model (while we know which one will be zero in equilibrium, which makes the model simpler to present as we do in the main part of the paper).

When the manufacturer bargains over wholesale price, if he proposes a low enough price to the pharmacy chain, it may not be profitable for the parallel trader to enter and in that case the pharmacy chain has no other supply channel. This changes the pharmacy chain profit function which cannot use parallel imports as an alternative. At equilibrium we are never in the region of low enough manufacturer wholesale price w_{1ct} such that the parallel imports are not possible²². Thus, the Nash surplus of the pharmacy chain can be written in the case where, at the margin, it remains possible to use parallel imports and the Nash surplus of the manufacturer still needs to take into account the fact that the retailer can use parallel imports. We thus

²¹Our consumer welfare measure is based on expected utility that is $E[u_{ikct}] = \sum_{k,c} s_{ikct} V_{ikct}$ where s_{ikct} is the choice probability of the appropriate case. In the current situation s_{ikct} is given by equation (4.1), in the case of a parallel trade ban, it is given by equation (5.1), in the case of no foreclosure it is given by equation (5.3). Consumer welfare change is the change of this expected utility between two situations.

²²In fact this would bring much lower profit to the manufacturer as to prevent parallel trade it would have to sell in Norway at almost lower price than any other source country price. Since other countries have low price (for example France can negotiate lower price with the manufacturer because it has a large demand) it is more profitable to sell at higher price in Norway even if it induces parallel trade.

can write the Nash surplus of the manufacturer and the retailer as with both PI and DI (checking empirically that the wholesale prices are high enough).

Then, which θ is at a corner will depend on the wholesale prices resulting from the bargaining game. We show that the bargaining equations look similar, but the derivatives of demands with respect to wholesale prices have more complicated expressions even if they boil down to the one we have in the paper when wholesale prices of PI are lower than the ones of DI.

We denote by θ_{ct}^0 and θ_{ct}^1 the probabilities that the choice sets are $\{PI\}$ or $\{DI\}$, respectively, and thus $1 - \theta_{ct}^0 - \theta_{ct}^1$ the probability that the choice set is $B = \{DI, PI\}$. The utility of consumer i is given by

$$u_{ikct} = V_{ikct} + \varepsilon_{ict} + \lambda_c \varepsilon_{ikct}$$

where V_{ikct} is the mean utility consumer i obtains from choosing the drug of origin k in pharmacy chain c in market t and ε_{ict} and ε_{ikct} are chain-specific and product-specific sequentially observed shocks, respectively.

The probability that consumer i chooses $k \in \{0, 1\}$ conditional on choice of pharmacy chain c when both products are available in the pharmacy is given by

$$s_{ikt|c,B} = \frac{e^{V_{ikct}/\lambda_c}}{e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}} = \frac{1}{1 + e^{V_{ikct}/\lambda_c - V_{ik'ct}/\lambda_c}} \text{ with } k' = 1 - k$$

because ε_{ikct} is i.i.d. extreme value distributed.

The choice probability of product k conditional on the choice of pharmacy c is then

$$s_{ikt|c}(\theta_{ct}^0, \theta_{ct}^1) = \theta_{ct}^k + (1 - \theta_{ct}^0 - \theta_{ct}^1) s_{ikt|c,B}$$

that is, the probability of drug k being the only one available plus the probability that both are available times the probability that drug k is chosen when both are available.

The shock ε_{ikct} is observed after choosing a pharmacy chain and the consumer chooses a chain using the expected utility of choosing a pharmacy by taking expectations with respect to the possible choice sets and with respect to the shock ε_{ikct} . The consumer utility of visiting pharmacy c is then $I_{ict} + \varepsilon_{ict}$, where

$$I_{ict}(\theta_{ct}^0, \theta_{ct}^1) \equiv \sum_{k \in \{0,1\}} \theta_{ct}^k V_{ikct} + (1 - \theta_{ct}^0 - \theta_{ct}^1) E_{\varepsilon_{ikct}} \left[\max_{k \in \{0,1\}} (V_{ikct} + \lambda_c \varepsilon_{ikct}) \right]$$

with the log-sum formula for the inclusive value in case the choice set contains both products:

$$E_{\varepsilon_{ikct}} \left[\max_{k \in \{0,1\}} (V_{ikct} + \lambda_c \varepsilon_{ikct}) \right] = \lambda_c \ln \left(\sum_{k \in \{0,1\}} e^{V_{ikct}/\lambda_c} \right)$$

which is always greater than $\max(V_{i0ct}, V_{i1ct})$.

Then, as ε_{ict} is extreme value distributed independently across chains, patient i chooses chain c with probability

$$s_{ict}(\theta_t^0, \theta_t^1) = \frac{e^{I_{ict}(\theta_{ct}^0, \theta_{ct}^1)}}{\sum_{\bar{c}} e^{I_{i\bar{c}t}(\theta_{\bar{c}t}^0, \theta_{\bar{c}t}^1)}}.$$

Denoting by $F(\cdot|\beta)$ the cumulative distribution function of consumer preferences $V_{it} \equiv (V_{i01t}, \dots, V_{i0ct}, V_{i11t}, \dots, V_{i1ct})$ conditional on the parameter vector β , we can write the aggregate choice probability or market share of drug k sold by c in period t as

$$s_{kct}(\theta_t^0, \theta_t^1) = \int s_{ikct}(\theta_t^0, \theta_t^1) dF(\mathbf{V}_{it}|\beta) = \int s_{ict}(\theta_t^0, \theta_t^1) s_{ikt|c}(\theta_{ct}^0, \theta_{ct}^1) dF(\mathbf{V}_{it}|\beta), \quad (8.2)$$

and the aggregate market share of drug k within the pharmacy chain c as

$$s_{kt|c}(\theta_{ct}^0, \theta_{ct}^1) = \int s_{ikt|c} dF(\mathbf{V}_{it}|\beta) = \theta_{ct}^k + (1 - \theta_{ct}^0 - \theta_{ct}^1) \int s_{ikt|c,B} dF(\mathbf{V}_{it}|\beta).$$

Let us now turn to the behavior of the pharmacy chains. The profits of chain c normalized by market size in time t are

$$\pi_{ct} = \sum_{k \in \{0,1\}} (p_{kct} - w_{kct}) s_{kct},$$

where p_{kct} is the retail price and w_{kct} the wholesale price of drug k in pharmacy c at t . For almost all drugs under patent (including the one used in the structural model estimation), the retail prices happen to always be equal to the price ceiling ($p_{kct} = \bar{p}_t$). We denote by $m_{kct} \equiv \bar{p}_t - w_{kct}$ the product price-cost margin.

Appendix 7.1 of the paper shows that if $m_{1ct} < m_{0ct}$ then $\theta_{ct}^1 = 0$ and if $m_{1ct} > m_{0ct}$ then $\theta_{ct}^0 = 0$. We reproduce this proof here before continuing the exposition of the general bargaining model.

When the pharmacy chain procures the drug from both direct and parallel imports, both margins m_{0ct} and m_{1ct} must be positive and necessary first-order conditions for an interior solution of θ 's are

$$0 = \frac{\partial \pi_{ct}}{\partial \theta_{ct}^0} = \frac{\partial \pi_{ct}}{\partial \theta_{ct}^1}.$$

For θ_{ct}^0 , the first order condition is (the equivalent condition for θ_{ct}^1 is not shown):

$$0 = \sum_k m_{kct} \frac{\partial s_{kct}}{\partial \theta_{ct}^0} = \int \sum_k m_{kct} \left[\underbrace{\frac{\partial s_{ikt|c}}{\partial \theta_{ct}^0}}_{\substack{\text{change in} \\ \text{probability to} \\ \text{choose } k \text{ in } c}} \underbrace{s_{ict}}_{\substack{\text{probability} \\ \text{to choose} \\ \text{chain } c}} + \underbrace{s_{ikt|c}}_{\substack{\text{probability} \\ \text{to choose } k \\ \text{in chain } c}} \underbrace{\frac{\partial s_{ict}}{\partial \theta_{ct}^0}}_{\substack{\text{change in} \\ \text{probability to} \\ \text{choose chain } c}} \right] dF(\mathbf{V}_{it}|\boldsymbol{\beta}),$$

which shows that θ_{ct}^0 has substitution effects within and across chains for both versions of the drug.

Developing the first order conditions using the effects of θ 's on the demand, we show below that it must be that $\theta_{ct}^k = 0$ if m_{kct} is the lowest of the two margins. As

$$\frac{\partial s_{ikt|c}}{\partial \theta_{ct}^k} = 1_{\{k=k'\}} - s_{ikt|c,B} \quad \text{and} \quad \frac{\partial s_{ict}}{\partial \theta_{ct}^k} = \left[V_{ik'ct} - \lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) \right] s_{ict} (1 - s_{ict}) \leq 0,$$

using the fact that

$$\frac{\partial s_{ik't|c}}{\partial \theta_{ct}^0} s_{ict} + s_{ik't|c} \frac{\partial s_{ict}}{\partial \theta_{ct}^0} = (1_{\{k'=0\}} - s_{ik't|c,B}) s_{ict} + s_{ik't|c} \left[V_{i0ct} - \lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) \right] (1 - s_{ict}) s_{ict},$$

we obtain that the first-order condition for optimal θ_{ct}^0 implies

$$\frac{m_{0ct}}{m_{1ct}} = \frac{\int s_{i1t|c,B} s_{ict} + s_{i1t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it})}{\int s_{i1t|c,B} s_{ict} - s_{i0t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it})} \quad (8.3)$$

because $1 - s_{i0t|c,B} = s_{i1t|c,B}$ and $1 - s_{i0t|c} = s_{i1t|c}$.

Similarly, the first-order condition with respect to θ_{ct}^1 (for an interior solution) can be written

$$\frac{m_{1ct}}{m_{0ct}} = \frac{\int s_{i0t|c,B} s_{ict} + s_{i0t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i1ct} \right] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it}|\boldsymbol{\beta})}{\int s_{i0t|c,B} s_{ict} - s_{i1t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i1ct} \right] (1 - s_{ict}) s_{ict} dF(\mathbf{V}_{it}|\boldsymbol{\beta})}. \quad (8.4)$$

We can see that only one of the first-order conditions will be satisfied. Indeed, as $1 - s_{i0t|c} = s_{i1t|c}$,

$$\begin{aligned} & s_{i1t|c,B} s_{ict} + s_{i1t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict} \\ = & s_{i1t|c,B} s_{ict} - s_{i0t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict} + \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict} \\ > & s_{i1t|c,B} s_{ict} - s_{i0t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i0ct} \right] (1 - s_{ict}) s_{ict}, \end{aligned}$$

and similarly,

$$s_{i0t|c, B} s_{ict} + s_{i0t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i1ct} \right] (1 - s_{ict}) s_{ict} > s_{i0t|c, B} s_{ict} - s_{i1t|c} \left[\lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) - V_{i1ct} \right] (1 - s_{ict}) s_{ict}$$

Thus, equation (8.3) cannot be true if $m_{1ct} > m_{0ct}$, and equation (8.4) cannot be true if $m_{1ct} < m_{0ct}$.

In the case in which $m_{1ct} < m_{0ct}$, there is no interior solution for θ_{ct}^1 , and thus we will have $\theta_{ct}^1 = 0$, meaning that the pharmacy chain never proposes the drug with the lowest margin alone. Then, θ_{ct}^0 is a solution of equation (8.3). Thus if $m_{1ct} < m_{0ct}$ then $\theta_{ct}^1 = 0$ and if $m_{1ct} > m_{0ct}$ then $\theta_{ct}^0 = 0$.

These conditions lead to demands as $s_{ikct}(\theta_t^0, \theta_t^1)$.

Thus, there are two cases depending on which good is the high margin one. If parallel imports (good 0) is the high-margin product for chain c , then $\theta_{ct}^1 = 0$, in the other case, $\theta_{ct}^0 = 0$. We can now simplify the previous expression of the expected inclusive value as

$$I_{ict}(\theta_{ct}^0, \theta_{ct}^1) = 1_{\{w_{0ct} \leq w_{1ct}\}} \left[\theta_{ct}^0 V_{i0ct} + (1 - \theta_{ct}^0) \lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) \right] + 1_{\{w_{0ct} > w_{1ct}\}} \left[\theta_{ct}^1 V_{i1ct} + (1 - \theta_{ct}^1) \lambda_c \ln \left(\sum_k e^{V_{ikct}/\lambda_c} \right) \right]$$

and the individual choice probabilities are

$$s_{i1ct}(\theta_t^0, \theta_t^1) = \frac{e^{I_{ict}(\theta_{ct}^0, \theta_{ct}^1)}}{\sum_{\bar{c}} e^{I_{i\bar{c}t}(\theta_{\bar{c}t}^0, \theta_{\bar{c}t}^1)}} \left[\theta_{ct}^1 + (1 - \theta_{ct}^0 - \theta_{ct}^1) \frac{e^{V_{i1ct}/\lambda_c}}{e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}} \right]$$

and

$$s_{i0ct}(\theta_t^0, \theta_t^1) = \frac{e^{I_{ict}(\theta_{ct}^0, \theta_{ct}^1)}}{\sum_{\bar{c}} e^{I_{i\bar{c}t}(\theta_{\bar{c}t}^0, \theta_{\bar{c}t}^1)}} \left[\theta_{ct}^0 + (1 - \theta_{ct}^0 - \theta_{ct}^1) \frac{e^{V_{i0ct}/\lambda_c}}{e^{V_{i0ct}/\lambda_c} + e^{V_{i1ct}/\lambda_c}} \right]$$

where $\theta_t^0 \equiv (\theta_{0t}^0, \dots, \theta_{Ct}^0)'$ and $\theta_t^1 \equiv (\theta_{0t}^1, \dots, \theta_{Ct}^1)'$.

Integrating over the distribution of preferences, we obtain the market share of each product as

$$s_{kct}(\theta_t^0, \theta_t^1) = \int s_{ikct}(\theta_t^0, \theta_t^1) dF(\mathbf{V}_{it} | \beta).$$

The profit maximization problem for each chain c at t now implies the following optimality condition:

$$\frac{\partial \pi_{ct}}{\partial \theta_{ct}^k}(\theta_t^0, \theta_t^1) \begin{cases} \leq 0 & \text{if } \theta_{ct}^k = 0, \\ = 0 & \text{if } 0 < \theta_{ct}^k < 1, \\ \geq 0 & \text{if } \theta_{ct}^k = 1. \end{cases} \quad (8.5)$$

The derivative of profits with respect to the θ 's are

$$\frac{\partial \pi_{ct}}{\partial \theta_{ct}^k} = m_{0ct} \frac{\partial s_{0ct}(\theta_t^0, \theta_t^1)}{\partial \theta_{ct}^k} + m_{1ct} \frac{\partial s_{1ct}(\theta_t^0, \theta_t^1)}{\partial \theta_{ct}^k} \quad (8.6)$$

This implies that

$$\frac{\partial \theta_{ct}^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t})}{\partial w_{kct}} \begin{cases} = 0 & \text{if } \theta_{ct}^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}) = 0 \Leftrightarrow \mathbf{w}_{0ct} > \mathbf{w}_{1ct} \\ = \frac{\partial \theta_{ct}^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t})}{\partial w_{kct}} & \text{if } \theta_{ct}^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}) > 0 \Leftrightarrow \mathbf{w}_{0ct} \leq \mathbf{w}_{1ct} \end{cases}$$

$$\frac{\partial \theta_{ct}^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t})}{\partial w_{kct}} \begin{cases} = 0 & \text{if } \theta_{ct}^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}) = 0 \Leftrightarrow \mathbf{w}_{1ct} > \mathbf{w}_{0ct} \\ = \frac{\partial \theta_{ct}^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t})}{\partial w_{kct}} & \text{if } \theta_{ct}^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}) > 0 \Leftrightarrow \mathbf{w}_{1ct} \leq \mathbf{w}_{0ct} \end{cases}$$

We now model the behavior of the manufacturer and parallel importer that bargain with pharmacy chains over wholesale prices. Using the simpler notation $\theta_t^{0*}, \theta_t^{1*}$ for $\theta_t^{0*}(w_{0t}, w_{1t}), \theta_t^{1*}(w_{0t}, w_{1t})$, the profits of the

manufacturer are given by

$$\Pi_t(\mathbf{w}_{1t}, \theta_t^{0*}, \theta_t^{1*}) = \sum_c \underbrace{(w_{1ct} - c_t)s_{1ct}(\theta_t^{0*}, \theta_t^{1*})}_{\text{Profit to Manufacturer of Direct Imports profit in chain } c} + \underbrace{(p_{1ct}^{I(c)} - c_t)s_{0ct}(\theta_t^{0*}, \theta_t^{1*})}_{\text{Profit to Manufacturer of Parallel Import in chain } c \text{ at wholesale source price } p_{1ct}^I},$$

where c_t is the marginal cost of production, $p_{1ct}^{I(c)}$ is the manufacturer price in the source country of the parallel importer supplying chain c , and, as before, w_{1ct} is the wholesale prices charged for direct imported drugs to chain c at time t .

Each pairwise negotiation with the pharmacy chains, the manufacturer and pharmacy chain c set wholesale prices to maximize the Nash-product

$$\max_{w_{1ct}} (\Pi_t - \Pi_{-c,t})^{b_{1c}} (\pi_{ct} - \pi_{-1,ct})^{1-b_{1c}}, \quad (8.7)$$

where b_{1c} is the bargaining weight of the manufacturer when negotiating with chain c , $\Pi_{-c,t}$ is the manufacturer's profit in absence of an agreement with pharmacy chain c , and $\pi_{-1,ct}$ is likewise pharmacy chain c 's profit in absence of an agreement with the manufacturer. The first-order condition for a solution to equation (8.7) is

$$b_{1c} \frac{\partial \Pi_t / \partial w_{1ct}}{\Pi_t - \Pi_{-c,t}} + (1 - b_{1c}) \frac{\partial \pi_{ct} / \partial w_{1ct}}{\pi_{ct} - \pi_{-1,ct}} = 0. \quad (8.8)$$

In maximizing the Nash product, there will be an effect on the manufacturer's profit from how changes in wholesale prices affect the equilibrium $\theta_t^*(w_{0t}, w_{1t})$ in the next stage of the game.

Denote the net value of agreement for the manufacturer and chain c as $\Delta_c \Pi_t \equiv \Pi_t - \Pi_{-c,t}$ and $\Delta_1 \pi_{ct} \equiv \pi_{ct} - \pi_{-1,ct}$, respectively. The derivative of the manufacturer's profit with respect to the wholesale price is

$$\begin{aligned} & \frac{\partial \Pi_t(\mathbf{w}_{1t}, \theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} \\ &= s_{1ct}(\theta_t^{0*}, \theta_t^{1*}) + \sum_{\bar{c}} \left[(w_{1\bar{c}t} - c_t) \frac{\partial s_{1\bar{c}t}(\theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} + (p_{1\bar{c}t}^{I(\bar{c})} - c_t) \frac{\partial s_{0\bar{c}t}(\theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} \right] \\ &= s_{1ct}(\theta_t^{0*}, \theta_t^{1*}) + \sum_{\bar{c}} \left[w_{1\bar{c}t} \frac{\partial s_{1\bar{c}t}(\theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} + p_{1\bar{c}t}^{I(\bar{c})} \frac{\partial s_{0\bar{c}t}(\theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} \right] \end{aligned}$$

where we use the fact that aggregate demand is fixed and thus $\sum_{\bar{c}} (\frac{\partial s_{1\bar{c}t}}{\partial w_{1ct}} + \frac{\partial s_{0\bar{c}t}}{\partial w_{1ct}}) = 0$.

Similarly, the derivative of chain c 's profits with respect to the wholesale price w_{1ct} is

$$\begin{aligned} & \frac{\partial \pi_{ct}(\mathbf{w}_{0ct}, \mathbf{w}_{1ct}, \theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} \\ &= -s_{1ct}(\theta_t^{0*}, \theta_t^{1*}) + (\bar{p}_t - w_{1ct}) \frac{\partial s_{1ct}(\theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} + (\bar{p}_t - w_{0ct}) \frac{\partial s_{0ct}(\theta_t^{0*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}), \theta_t^{1*}(\mathbf{w}_{0t}, \mathbf{w}_{1t}))}{\partial w_{1ct}} \end{aligned}$$

In the two expressions above, the derivatives of market shares with respect to wholesale prices depend on the derivatives of market shares with respect to equilibrium θ_t 's and the derivatives of equilibrium θ_t 's with respect to wholesale prices, which can be obtained using the optimal behavior of pharmacies, as detailed below.

Using vector notations for market shares $s_{0t} = (s_{01t}, \dots, s_{0Ct})$ and $s_{1t} = (s_{11t}, \dots, s_{1Ct})$, we can then rewrite equation (8.8) governing the solution to the bargaining between the manufacturer and chain c as

$$s_{1ct} + \mathbf{w}'_{1t} \frac{\partial s_{1t}}{\partial w_{1ct}} + \mathbf{p}'_{1t} \frac{\partial s_{0t}}{\partial w_{1ct}} = \frac{1 - b_{1c}}{b_{1c}} \frac{\Delta_c \Pi_t}{\Delta_1 \pi_{ct}} \left(s_{1ct} - m_{1ct} \frac{\partial s_{1ct}}{\partial w_{1ct}} - m_{0ct} \frac{\partial s_{0ct}}{\partial w_{1ct}} \right) \quad (8.9)$$

Letting $s_{j\bar{c}t\setminus 1c}$ denote the share of chain \bar{c} 's product j in t when direct imports are not available at chain c , we can express the net value for the manufacturer, suppressing arguments θ_t^* , as

$$\begin{aligned}\Delta_c \Pi_t &= \sum_{\bar{c}} [(w_{1\bar{c}t} - c_t) s_{1\bar{c}t} + (p_{1\bar{c}t}^{I(\bar{c})} - c_t) s_{0\bar{c}t}] - \sum_{\bar{c}} [(w_{1\bar{c}t} - c_t) s_{1\bar{c}t\setminus 1c} + (p_{1\bar{c}t}^{I(\bar{c})} - c_t) s_{0\bar{c}t\setminus 1c}] \\ &= \sum_{\bar{c}} (w_{1\bar{c}t} \Delta_{1c} s_{1\bar{c}t} + p_{1\bar{c}t}^{I(\bar{c})} \Delta_{1c} s_{0\bar{c}t}),\end{aligned}$$

because $s_{jct\setminus 1c} = 0$, and defining $\Delta_{1c} s_{j\bar{c}t} \equiv s_{j\bar{c}t} - s_{j\bar{c}t\setminus 1c}$, that is, the difference in share of product j in chain \bar{c} between the case of agreement and disagreement in the negotiations between the manufacturer and chain c .

Similarly, the net value for the chain is

$$\Delta_1 \pi_{ct} = (\bar{p}_t - w_{1ct}) s_{1ct} + (\bar{p}_t - w_{0ct}) \Delta_{1c} s_{0ct},$$

Note that the derivatives of market shares with respect to wholesale price follow from the chain rule and the implicit function theorem governing the change in equilibrium θ_t^* when wholesale prices change due to pharmacy chains' optimal behavior.

Parallel Importers Behavior:

The parallel importer profits is given by

$$\Pi_t^{PI} = \sum_c (w_{0ct} - p_{0ct}^{I(c)}) s_{0ct}(\theta_t^{0*}, \theta_t^{1*}),$$

where w_{0ct} is the wholesale price paid for parallel imported drugs by chain c at time t and $p_{0ct}^{I(c)}$ is the price that the importer has to pay for the drug in the source country, which we allow to vary across chains c for full generality because each chain may require different source countries.

We assume that the parallel importer bargains over the wholesale price with each pharmacy chain c , where they take as given the negotiated wholesale prices of originator products to each pharmacy chain $w_{1t} = (w_{11t}, w_{12t}, \dots, w_{1Ct})$. When bargaining over the wholesale prices charged to the chains, w_{0t} , the parallel importer will also take into account how changes in these prices will affect the equilibrium $\theta_t^{0*}(w_{0t}, w_{1t})$, $\theta_t^{1*}(w_{0t}, w_{1t})$. Similarly to equation (8.8), the first-order conditions for the solution to the Nash bargaining between each pharmacy chain c and the parallel importer is

$$b_{0c} \frac{\partial \Pi_t^{PI} / \partial w_{0ct}}{\Pi_t^{PI} - \Pi_{-c,t}^{PI}} + (1 - b_{0c}) \frac{\partial \pi_{ct} / \partial w_{0ct}}{\pi_{ct} - \pi_{-0,ct}} = 0, \quad (8.10)$$

which can be rewritten, following the previous approach using vector notations for prices and market shares stacked over the chains c , as

$$s_{0ct} + (\mathbf{w}_{0t} - \mathbf{p}_{0t}^I)' \frac{\partial \mathbf{s}_{0t}}{\partial w_{0ct}} = \frac{1 - b_{0c}}{b_{0c}} \frac{\Delta_c \Pi_t^{PI}}{\Delta_0 \pi_{ct}} \left(s_{0ct} - m_{1ct} \frac{\partial s_{1ct}}{\partial w_{0ct}} - m_{0ct} \frac{\partial s_{0ct}}{\partial w_{0ct}} \right) \quad (8.11)$$

where the left-hand side is the derivative of parallel importer profits with respect to the wholesale price w_{0ct} and we denoted $\Delta_c \Pi_t^{PI} = \Pi_t^{PI} - \Pi_{-c,t}^{PI}$ with $\Pi_{-c,t}^{PI} = \sum_{\bar{c} \neq c} (w_{0\bar{c}t} - p_{0\bar{c}t}^I) s_{0\bar{c}t\setminus 0c}$ and

$$\Delta_0 \pi_{ct} = \pi_{ct} - \pi_{-0,ct} = (\bar{p}_t - w_{1ct}) \Delta_{0c} s_{1ct} + (\bar{p}_t - w_{0ct}) s_{0ct}$$

where as defined previously $\Delta_{0c} s_{1ct}$ corresponds to the market share of the direct imports at chain c when there are no parallel trade version at chain c .